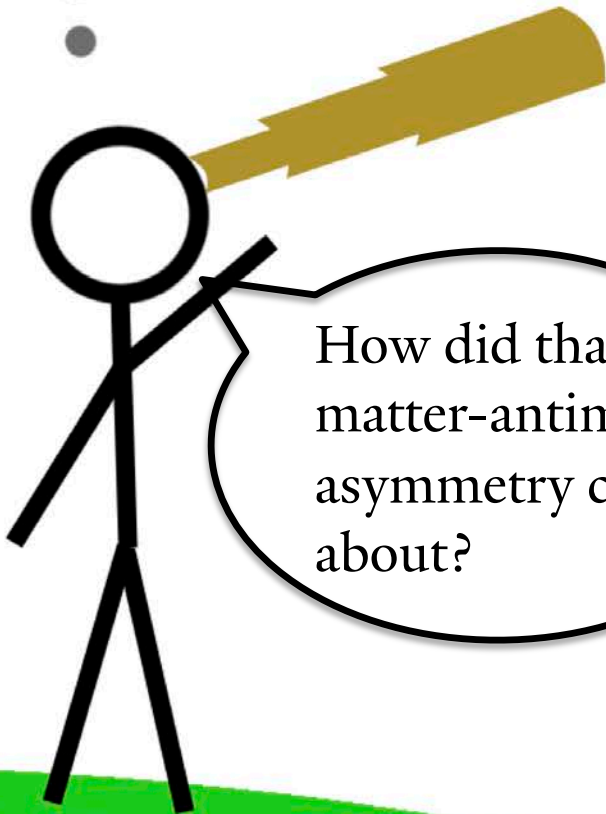


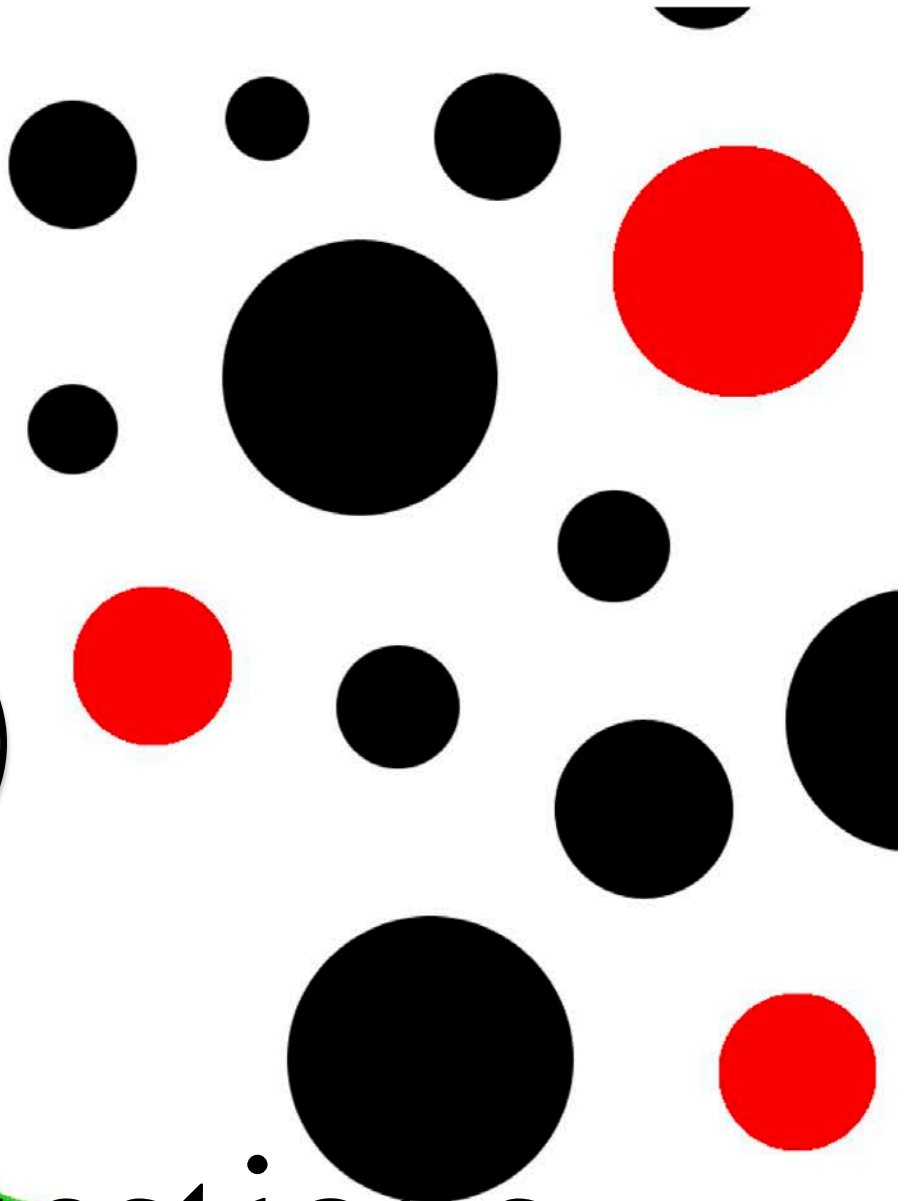
# The ACME Experiment

(an improved limit  
on the electric  
dipole moment of  
the electron)

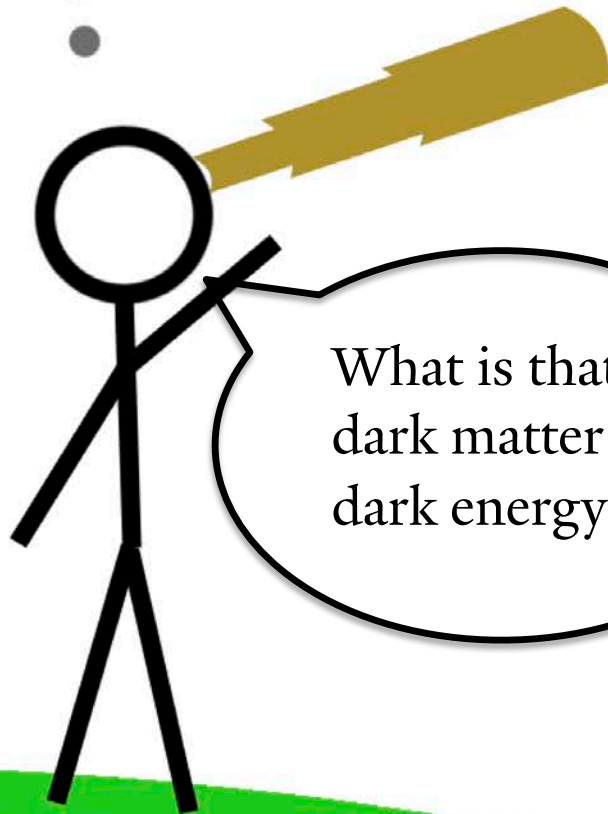
Brendon O'leary  
ACME Collaboration  
WIDG@Yale  
March 4, 2014



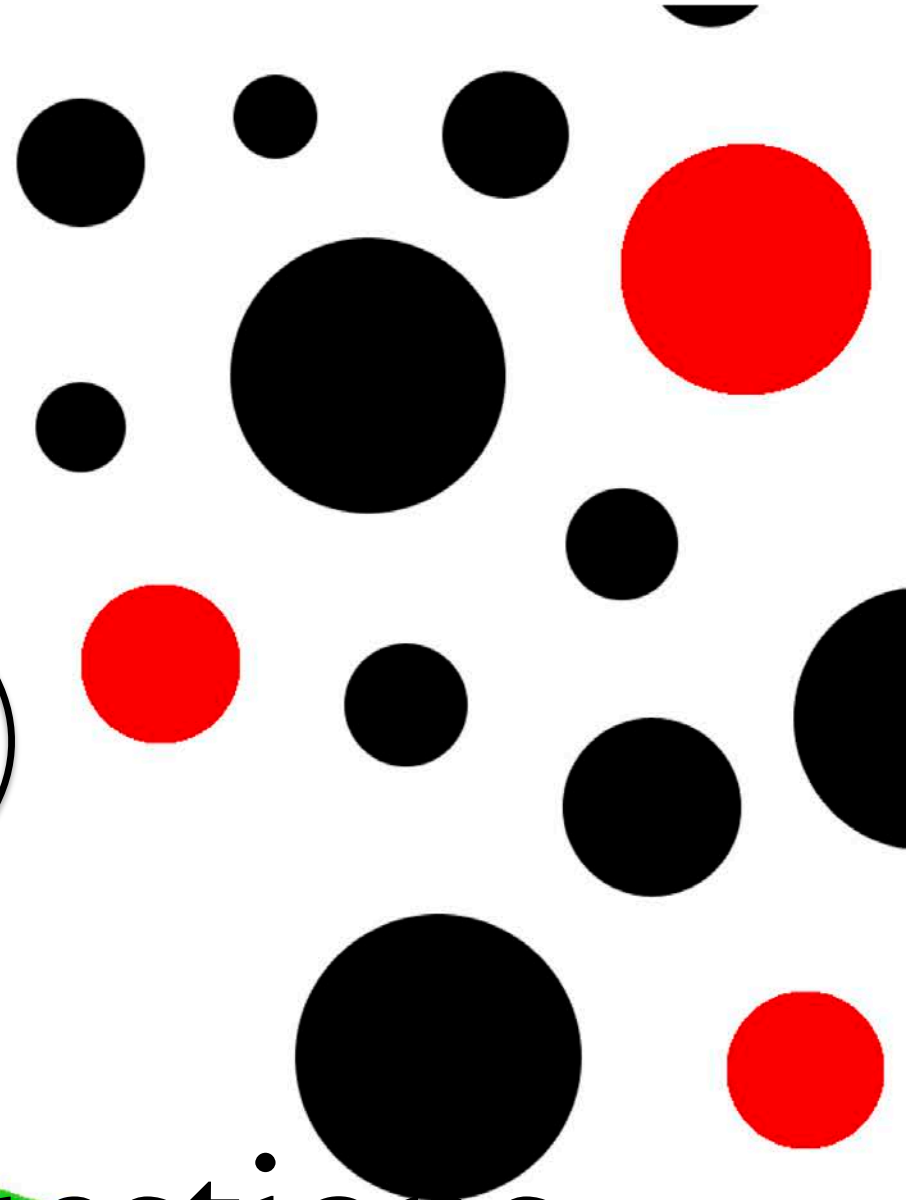
How did that  
matter-antimatter  
asymmetry come  
about?



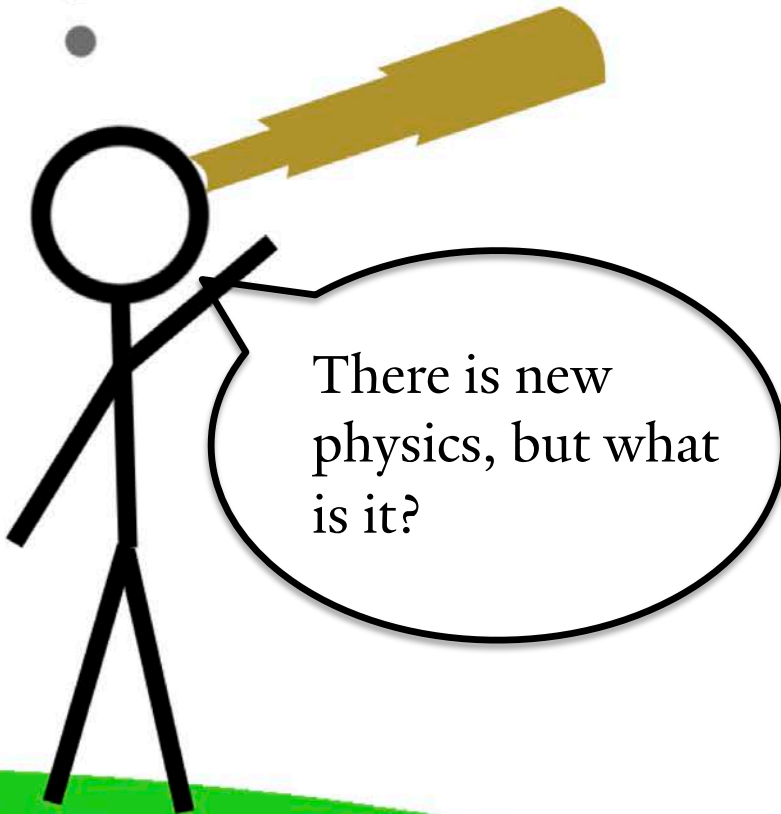
Open questions  
drive our quest



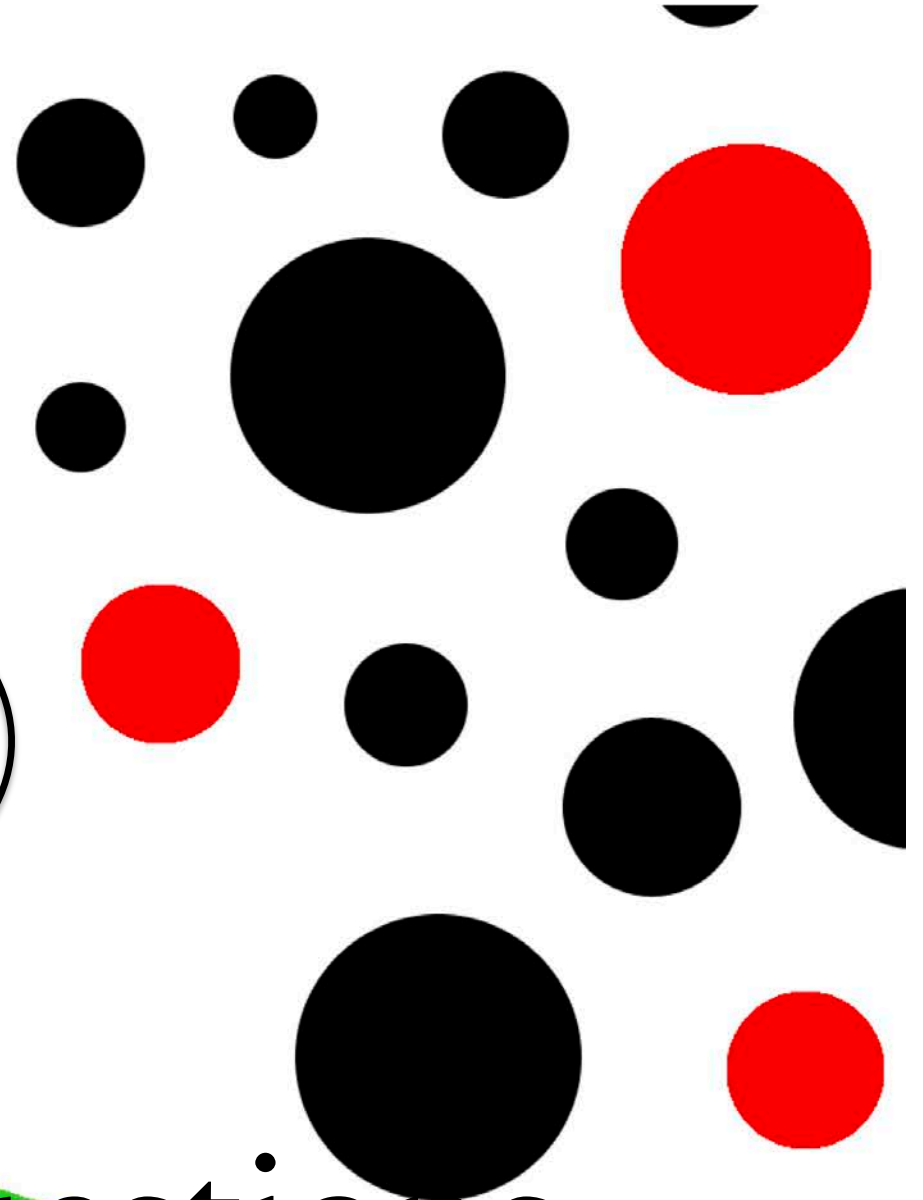
What is that  
dark matter and  
dark energy?



Open questions  
drive our quest



There is new physics, but what is it?



Open questions  
drive our quest

# Possible Solutions

(new particle theories beyond the standard model)

- What is that dark matter?
- How did that matter-antimatter asymmetry come about?

# Possible Solutions

(new particle theories beyond the standard model)

- What is that dark matter?
  - heavy particles that we haven't discovered yet that interact weakly with known particles (WIMPs)?

LUX

Dark Matter Detection



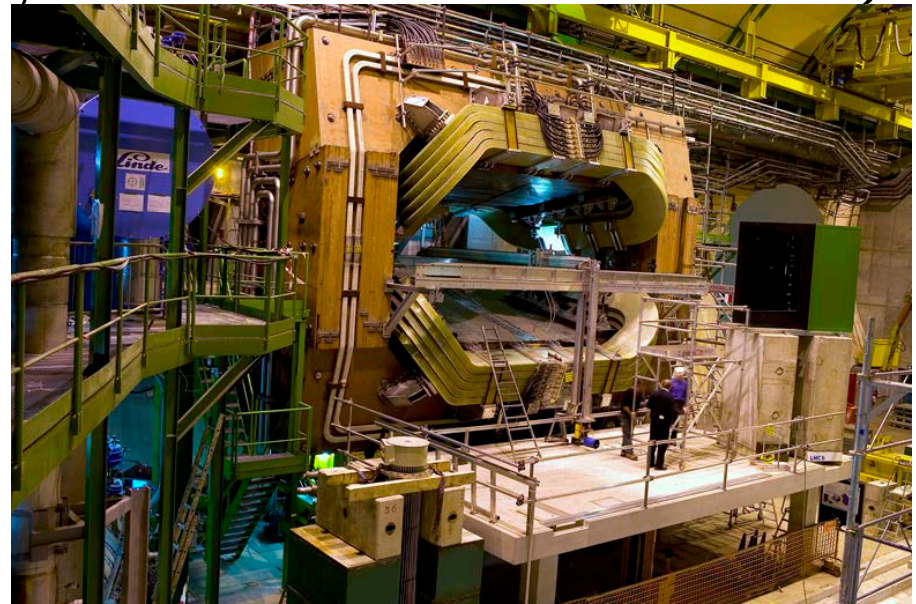
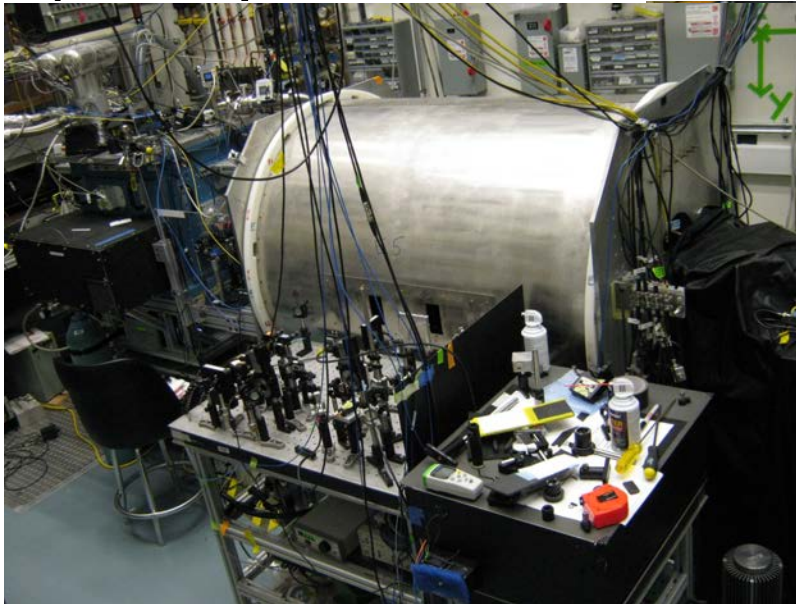
ATLAS

Massive Particle Creation



# Possible Solutions

(new particle theories beyond the standard model)



• How did that matter-antimatter asymmetry come about?

-Sakharov's conditions say that CP violating interactions are required for this to happen. New particles would mean new CP violating phases in weak mixing matrix.

ACME  
EDM Experiment

LHCb  
CP-Violating Decays

A.D. Sakharov, 1967, JETP Lett. 6, 24

M. Dine, A. Kusenko. Rev. Mod. Phys. 76, 1 (2003)

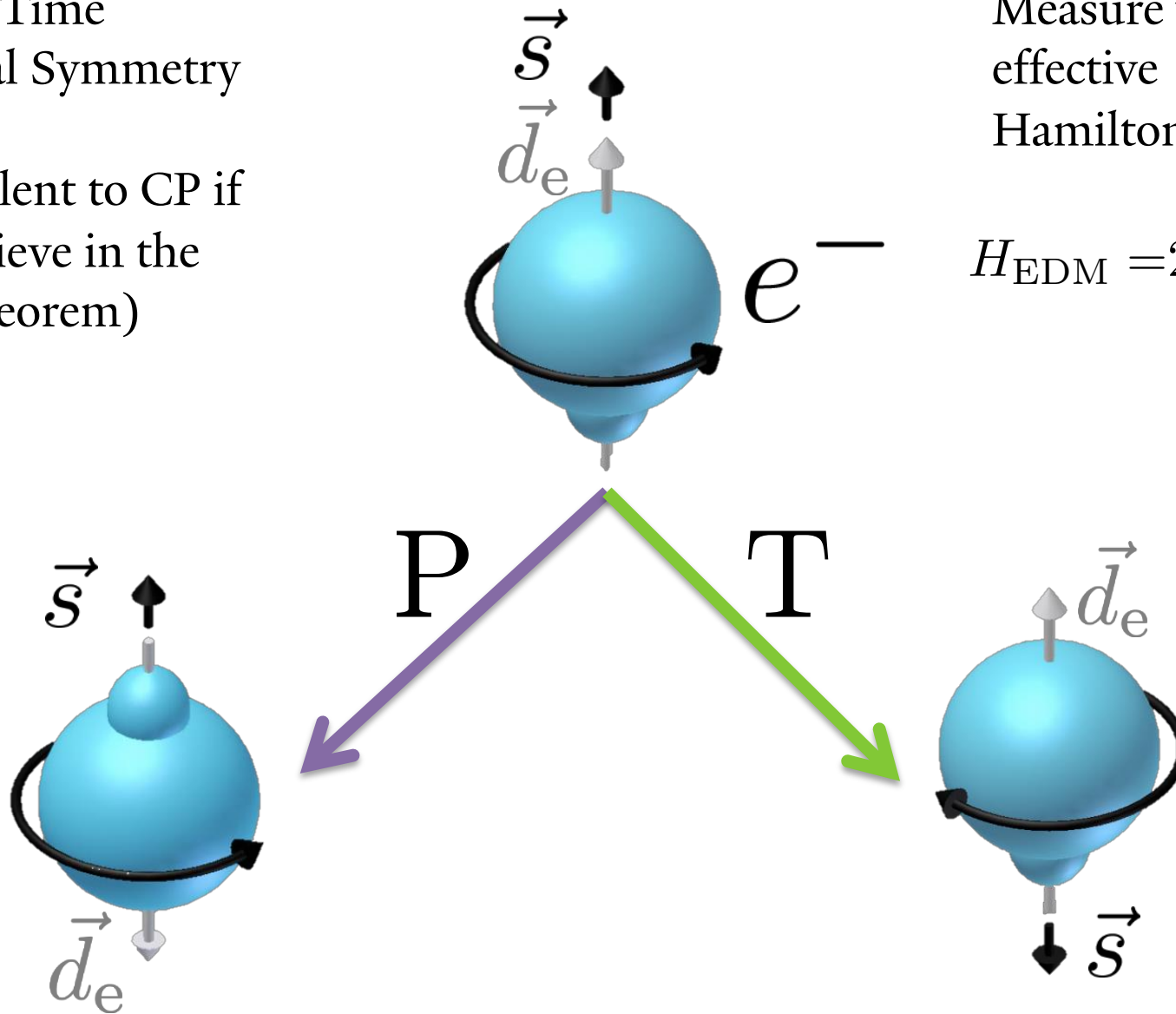
# Electric Dipole Moments

Violate Time  
Reversal Symmetry

(equivalent to CP if  
you believe in the  
CPT theorem)

Measure via the  
effective  
Hamiltonian:

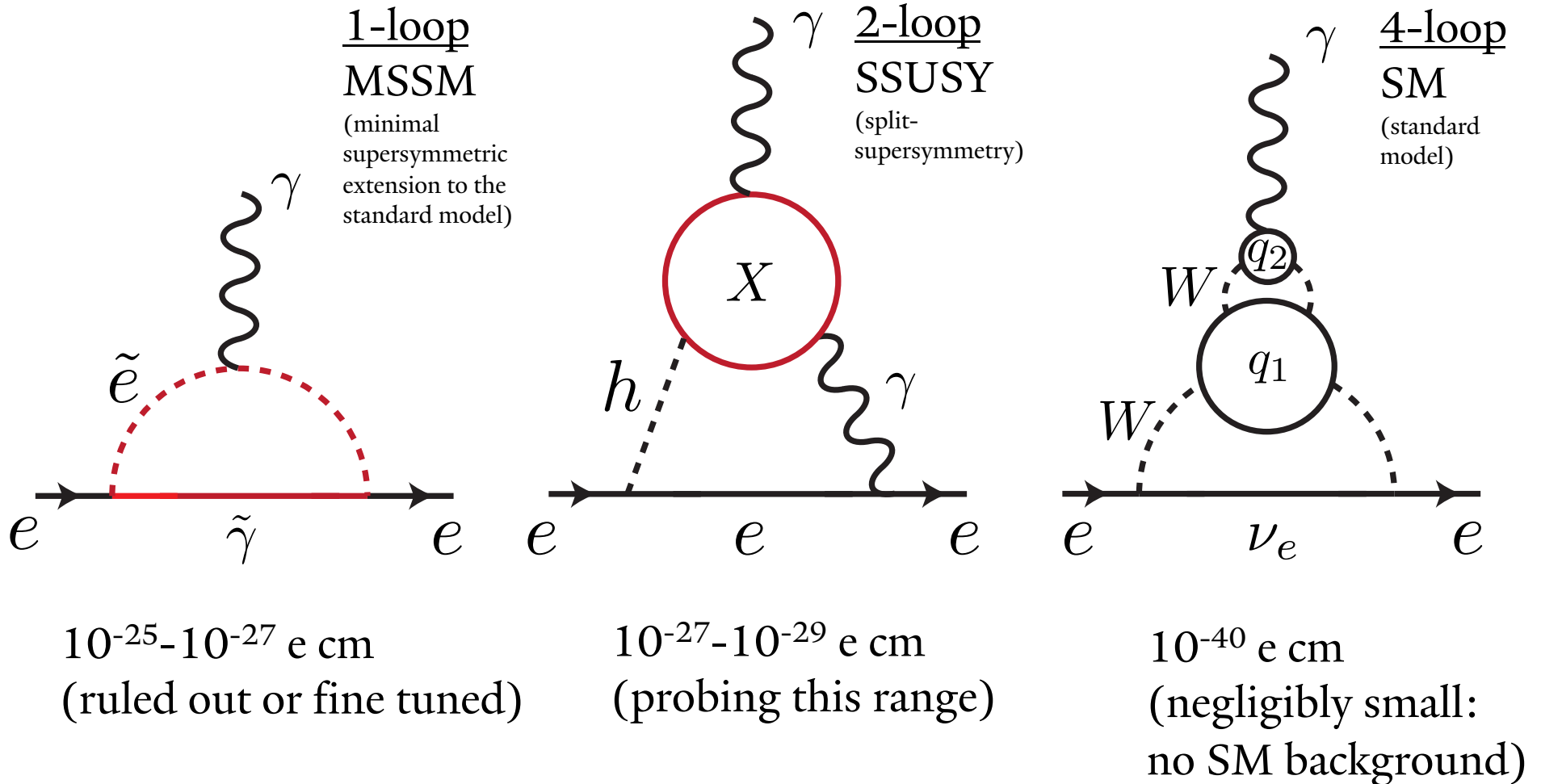
$$H_{\text{EDM}} = 2d_e \vec{S} \cdot \vec{\mathcal{E}}$$





# EDMs in Particle Theory

Our EDM sensitivity is at the level of  $\delta d_e \approx 10^{-28} e \cdot \text{cm}$



Any measured EDM must come from New Physics!

# EDMs in Particle Theory

typical EDM diagram scaling:

$$d_e \approx \mu_B \left( \frac{g^2}{4\pi} \right)^n \left( \frac{m_e}{m_X} \right)^2 \sin(\phi_{\text{CP}})$$

coupling between SM and new particles (assume  $g^2 \sim .01$ )

number of loops

CP violating phase (assume  $\sim .1-1$ )

new particle mass scale

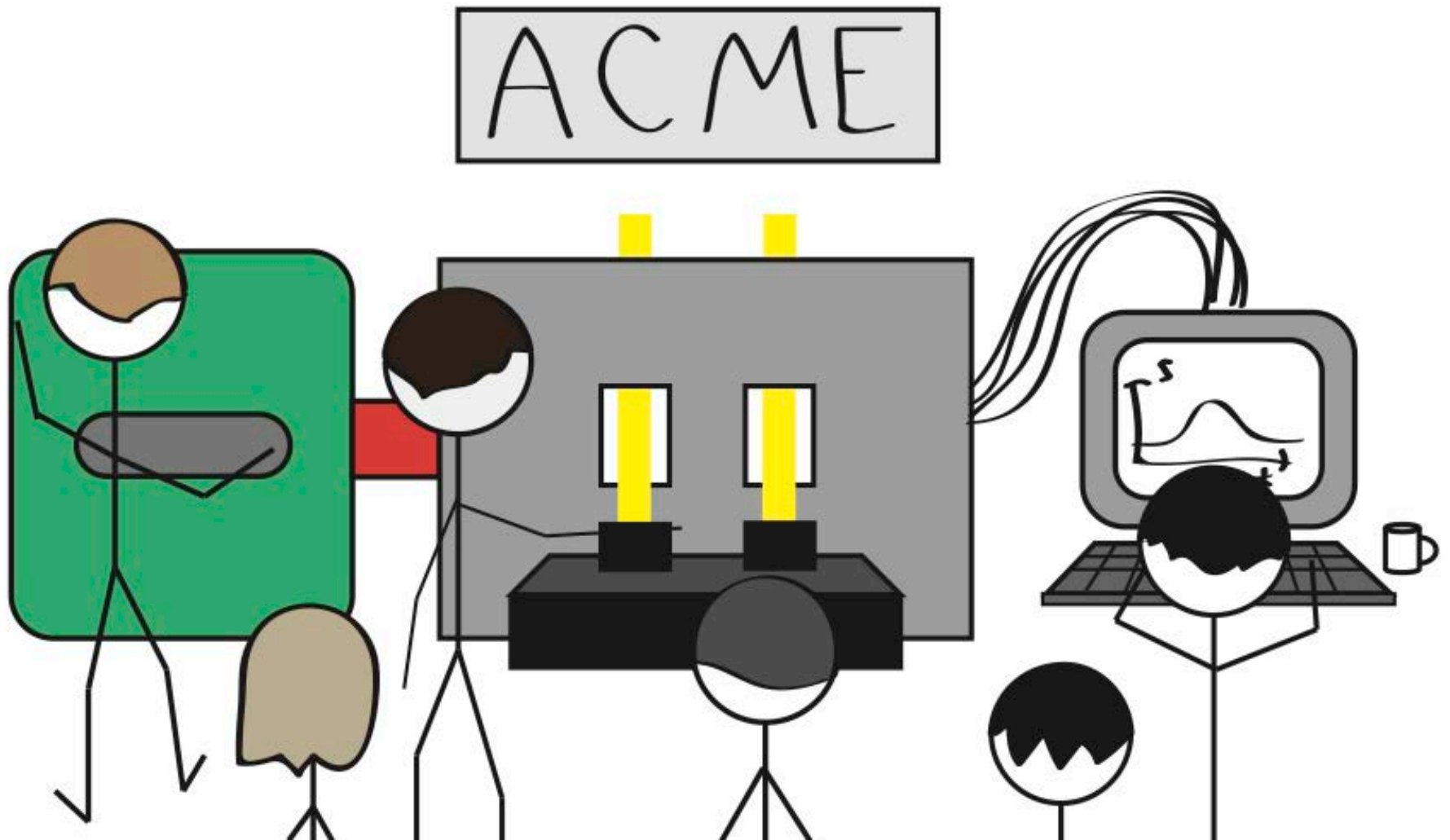
ACME experiment is sensitive to  
supersymmetric particles with  $\sim$ TeV scale masses  
(with certain commonly made assumptions)

S. Barr, Int. J. Mod. Phys. A 08 (1993)

M. Pospelov, A. Ritz, Ann Phys. 318 (2005)

J. Engel, M.J. Ramsey-Musolf, U. van Kolck, Prog. Part. Nucl. Phys. 71 (2013)

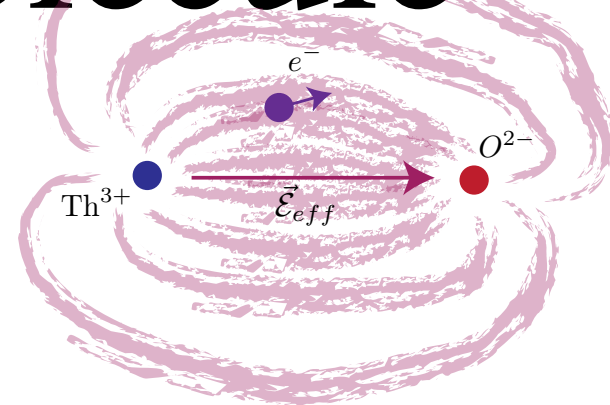
# The Measurement



# Lets use a molecule

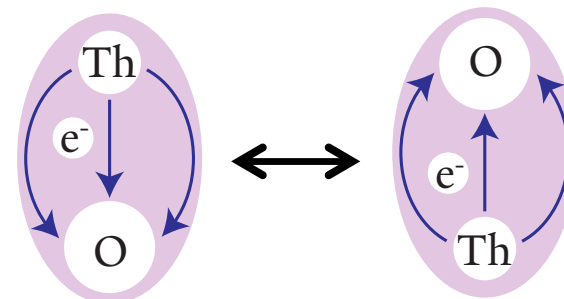
- Diatomic Molecules have large internal electric fields\*:  
the molecule is our laboratory.

$$\mathcal{E}_{\text{eff}} \approx 85 \text{ GV/cm}$$



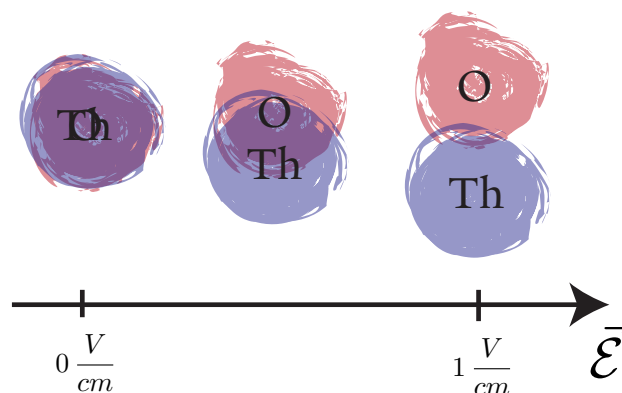
- Internal Co-magnetometer (omega doublet structure)

Can spectroscopically flip the molecule with respect to applied fields,  
N=+1 is aligned, N=-1 is anti-aligned



- Easily Polarized

Can align the molecules with small laboratory electric fields.



- Reduced sensitivity to magnetic field imperfections

$${}^3\Delta_1 \implies g \sim 10^{-2}$$

E. R. Meyer and J.L. Bohn, Phys. Rev. A 78, 010502(R) (2008).

L.V. Skripnikov, A.N. Petrov, A.V. Titov, J. Chem Phys. 139, 221103 (2013)

T. Fleig, M.K. Nayak, arXiv:1401.2284v2 (2014)

# \*Schiff's Theorem

$$H_{edm} = \vec{d}_e \cdot \vec{\mathcal{E}}$$

Classical Dipole Hamiltonian

$$\langle H_{edm} \rangle = \vec{d}_e \cdot \langle \vec{\mathcal{E}} \rangle = 0$$

Energy shift must be zero or else the electron would fly away!

$$\vec{d}_e^{rel} = 2d_e \left[ \vec{S} - \left( \frac{\gamma}{\gamma + 1} \right) (\vec{v} \cdot \vec{S}) \vec{v} \right]$$

Include relativistic length contraction

$$H_{edm} = 2d_e \vec{S} \cdot \vec{\mathcal{E}}_{mol} = \left\langle 2d_e \left( \frac{\gamma}{\gamma + 1} \right) (\vec{v} \cdot \vec{S}) (\vec{v} \cdot \vec{\mathcal{E}}) \right\rangle$$

EDM shift comes from length contracted bit of EDM interacting with the internal electric field

L. I. Schiff, Phys. Rev. 132, 2194 (1963)

P. G. H. Sandars, Phys. Lett. 14, 194 (1965)

E. D. Commins, J. D. Jackson, and D. P. DeMille, Am. J. Phys. 75, 532(2007)

$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} \text{Th} \\ \downarrow \\ \text{o} \end{array} - \begin{array}{c} \text{o} \\ \uparrow \\ \text{Th} \end{array} \right)$$

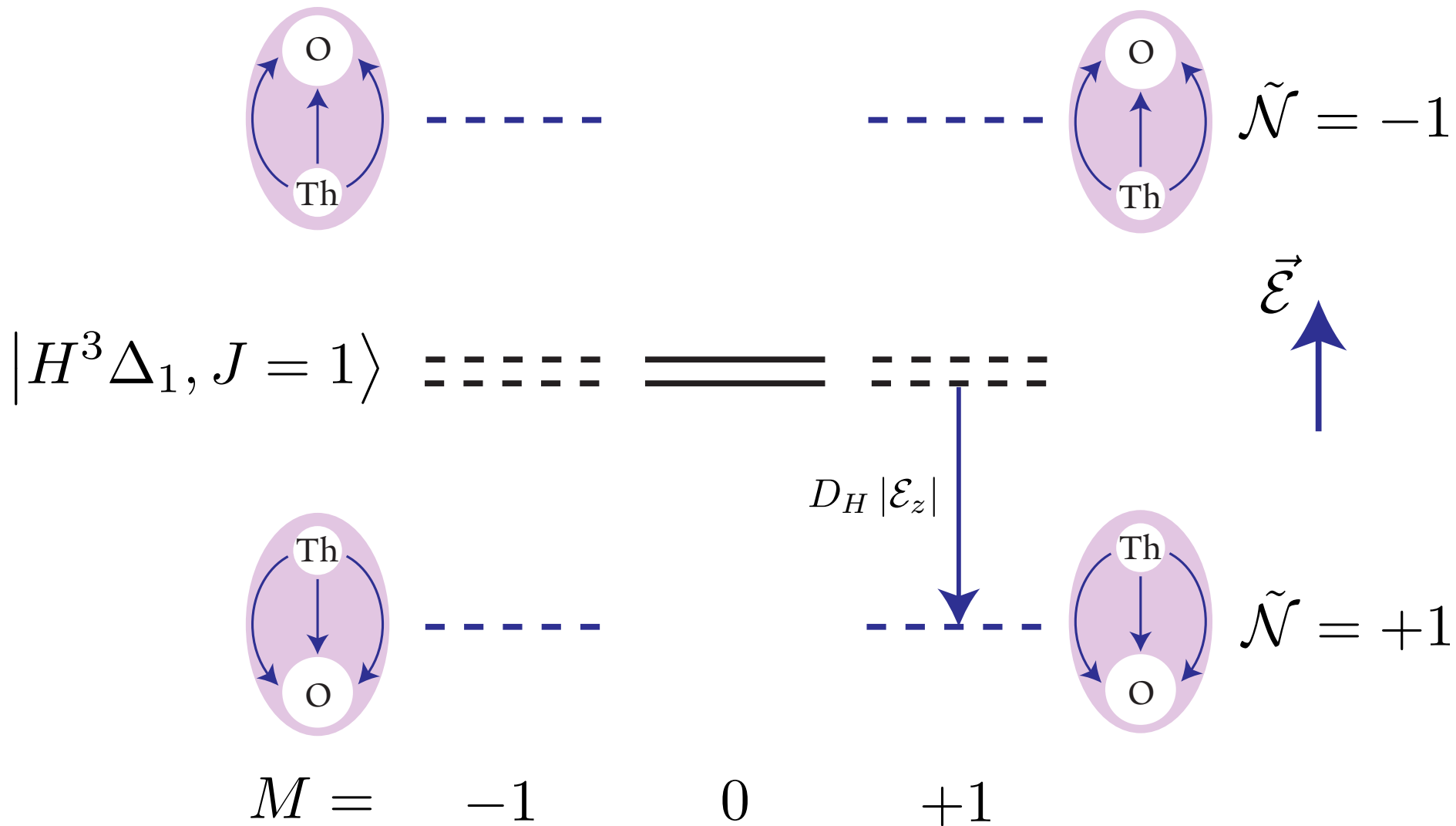
$$|H^3 \Delta_1, J = 1\rangle \quad \text{=====}$$

$$\frac{1}{\sqrt{2}} \left( \begin{array}{c} \text{Th} \\ \downarrow \\ \text{o} \end{array} + \begin{array}{c} \text{o} \\ \uparrow \\ \text{Th} \end{array} \right)$$

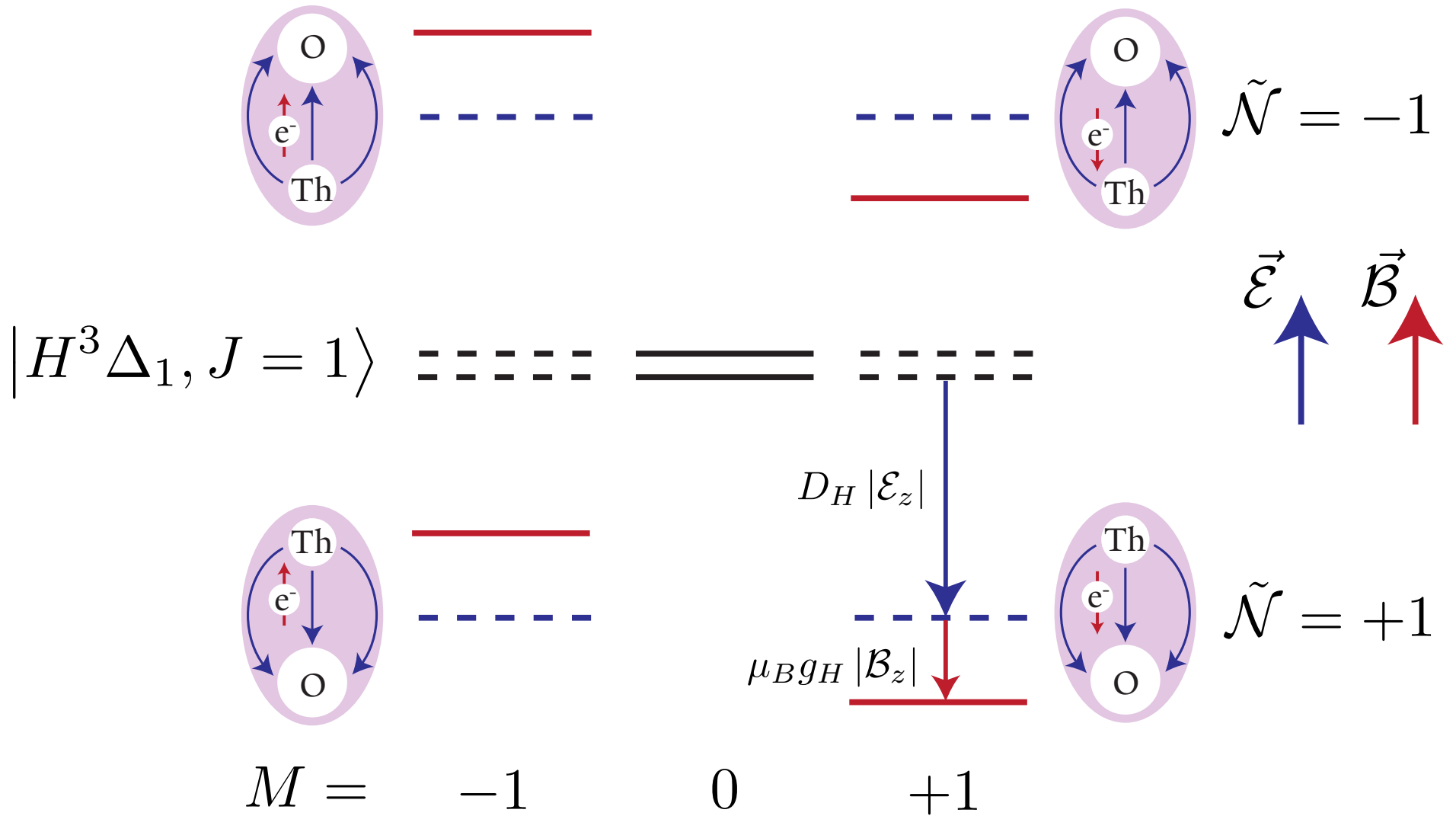
$$M = \quad -1 \quad \quad 0 \quad \quad +1$$

~ 2

$$E(M, \tilde{\mathcal{N}}, \tilde{\mathcal{E}}, \tilde{\mathcal{B}}) = -\tilde{\mathcal{N}} D_H |\mathcal{E}_z|$$

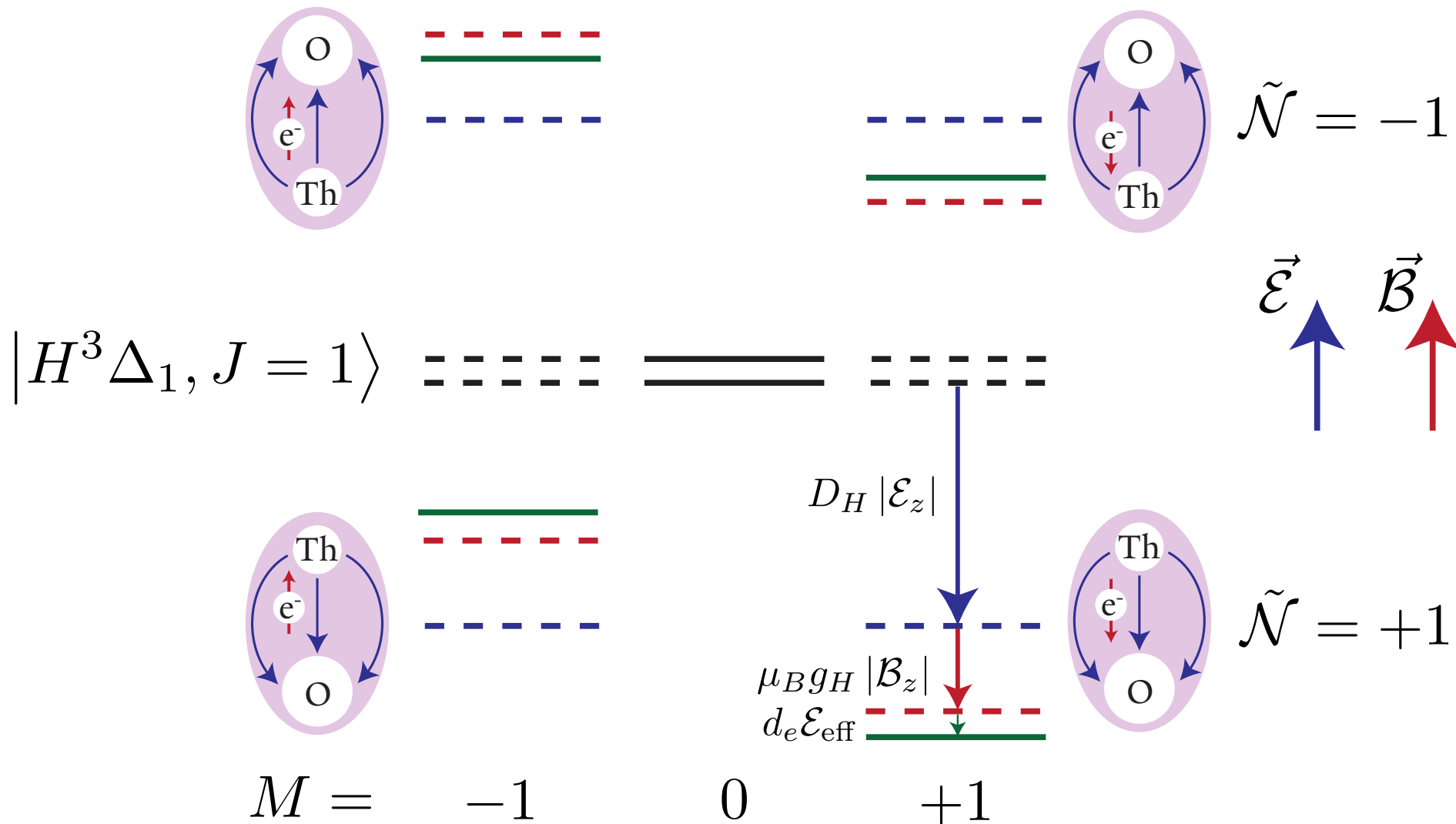


$$E(M, \tilde{N}, \vec{\mathcal{E}}, \vec{\mathcal{B}}) = -\tilde{N} D_H |\mathcal{E}_z| - M \mu_B g_H \tilde{\mathcal{B}} |\mathcal{B}_z|$$

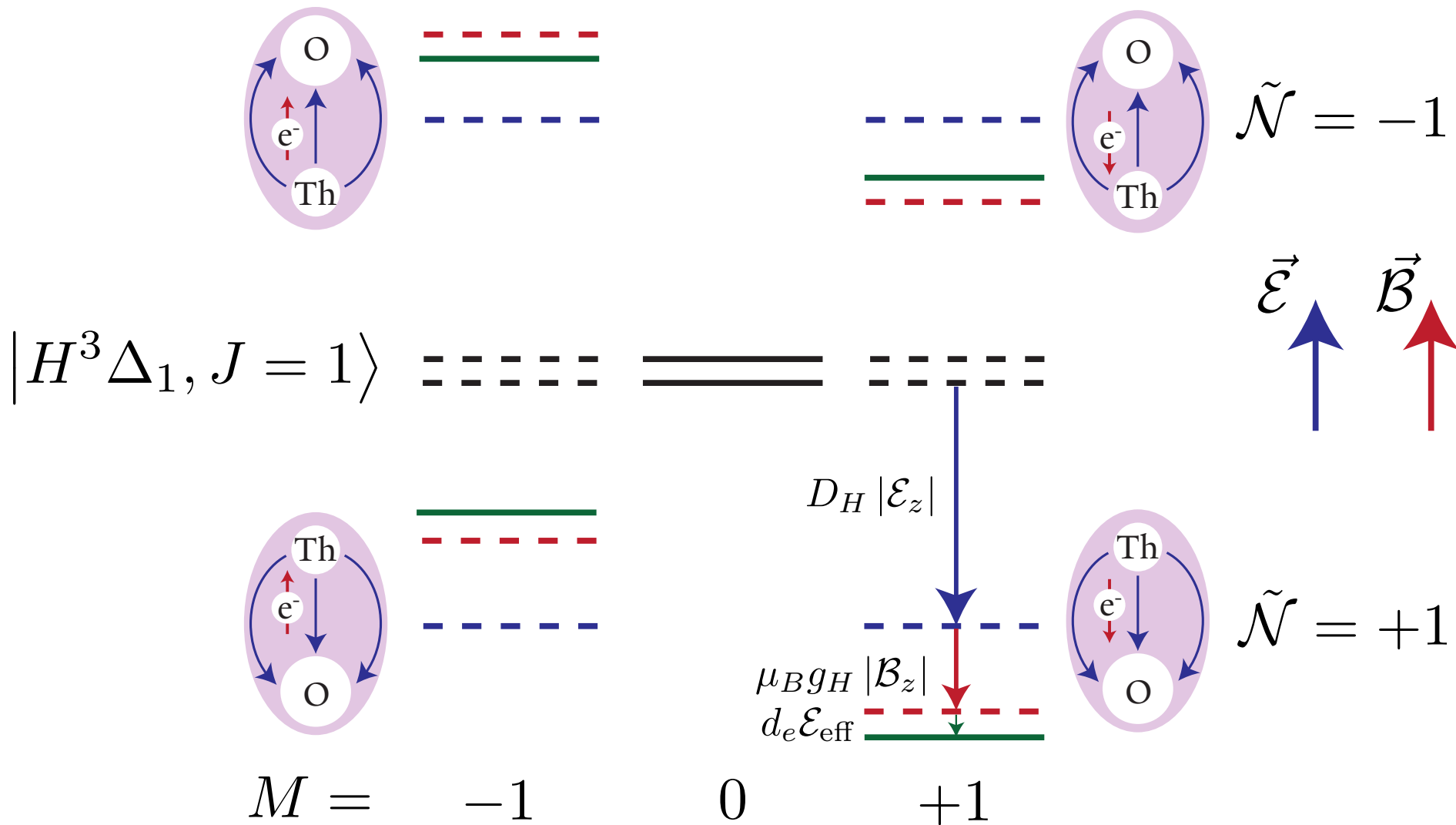




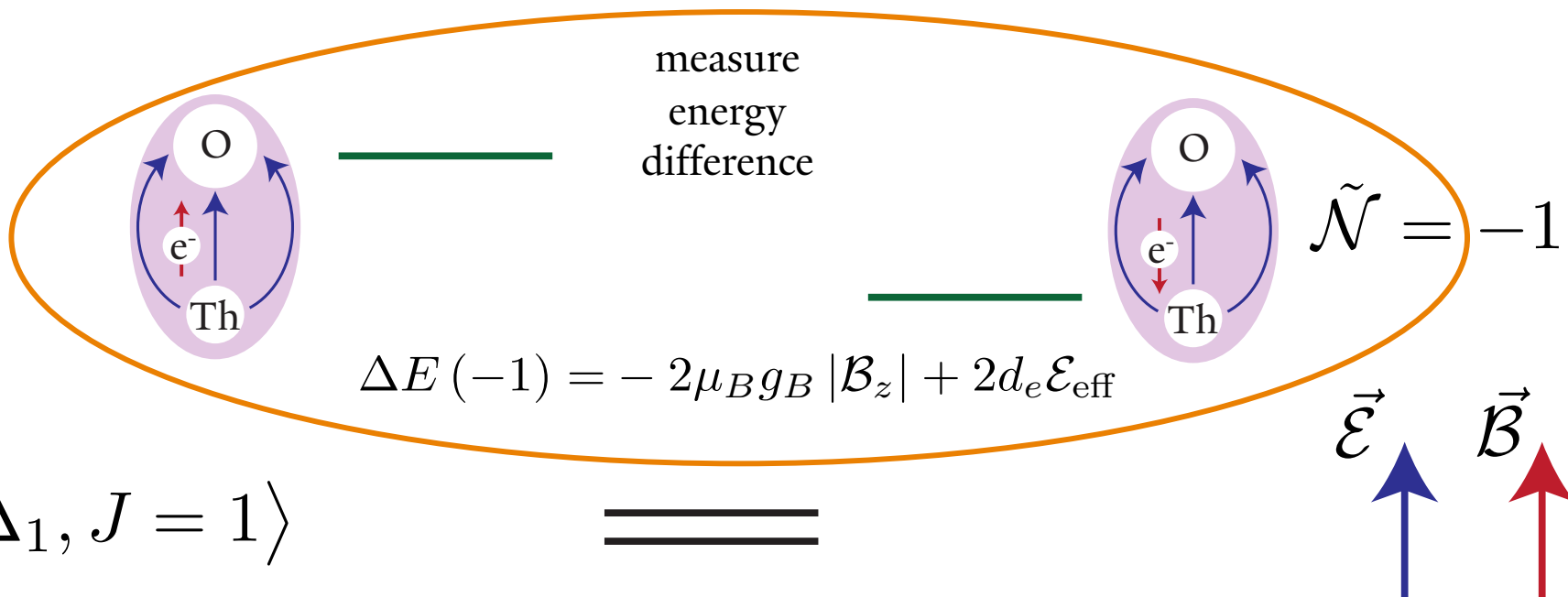
$$E(M, \tilde{N}, \tilde{\mathcal{E}}, \tilde{\mathcal{B}}) = \underbrace{-\tilde{N}D_H|\mathcal{E}_z|}_{\text{purple}} \underbrace{-M\mu_B g_H \tilde{\mathcal{B}}|\mathcal{B}_z|}_{\text{pink}} \underbrace{-M\tilde{N}\tilde{\mathcal{E}}d_e \mathcal{E}_{\text{eff}}}_{\text{green}}$$



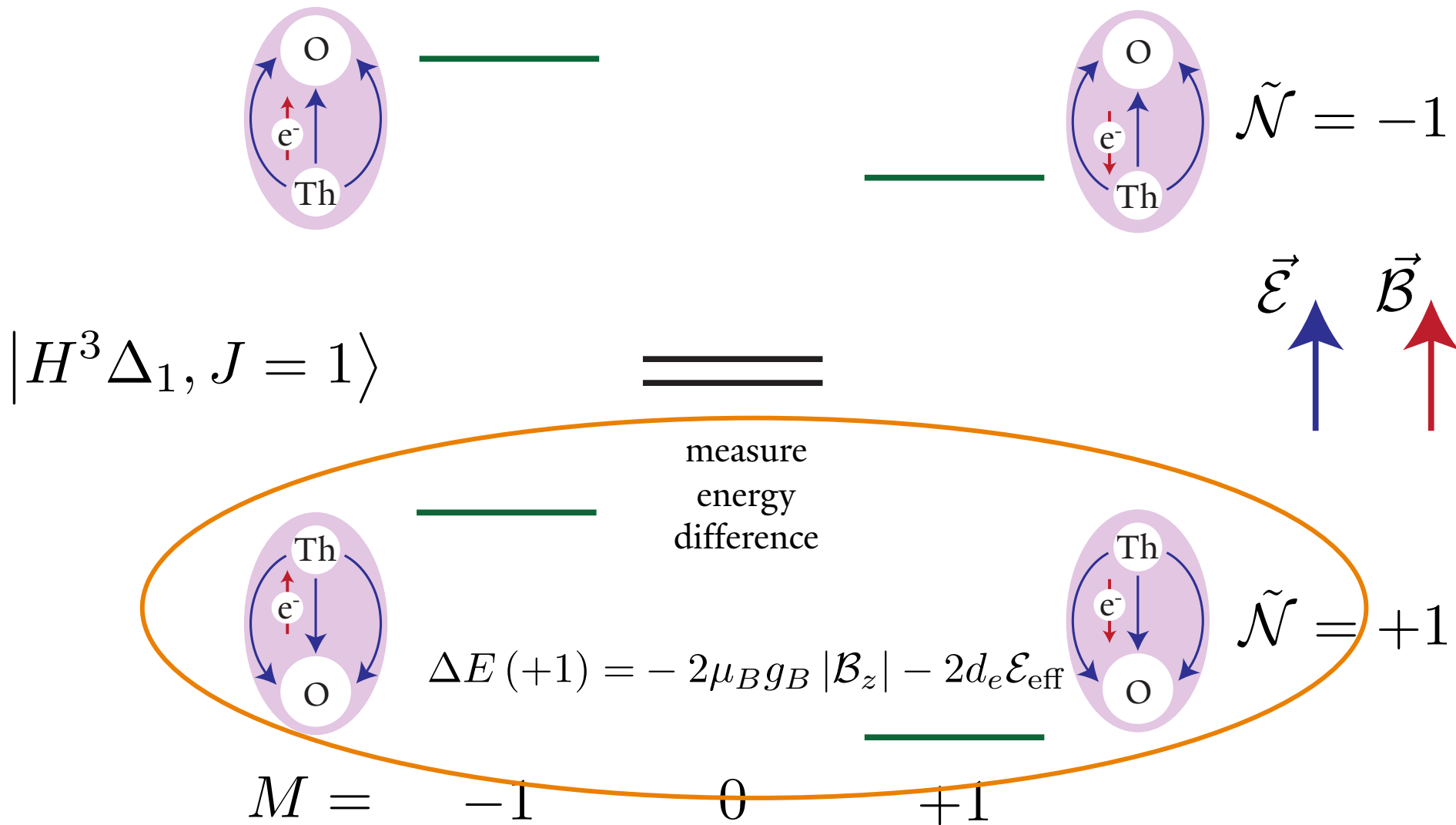
$$E(M, \tilde{N}, \tilde{\mathcal{E}}, \tilde{\mathcal{B}}) = \underbrace{-\tilde{N}D_H |\mathcal{E}_z|}_{\sim 100 \text{ MHz}} - \underbrace{M\mu_B g_H \tilde{\mathcal{B}} |\mathcal{B}_z|}_{\sim 100 \text{ Hz}} - \underbrace{M\tilde{N}\tilde{\mathcal{E}}d_e \mathcal{E}_{\text{eff}}}_{\sim 1 \text{ mHz}}$$



$$E(M, \tilde{N}, \tilde{\mathcal{E}}, \tilde{\mathcal{B}}) = -\tilde{N}D_H |\mathcal{E}_z| - M\mu_B g_H \tilde{\mathcal{B}} |\mathcal{B}_z| - M\tilde{N}\tilde{\mathcal{E}}d_e \mathcal{E}_{\text{eff}}$$



$$E(M, \tilde{N}, \tilde{\mathcal{E}}, \tilde{\mathcal{B}}) = -\tilde{N}D_H |\mathcal{E}_z| - M\mu_B g_H \tilde{\mathcal{B}} |\mathcal{B}_z| - M\tilde{N}\tilde{\mathcal{E}}d_e \mathcal{E}_{\text{eff}}$$



# Extracting the EDM

$$\Delta E (-1) = - 2\mu_B g_B |\mathcal{B}_z| + 2d_e \mathcal{E}_{\text{eff}}$$

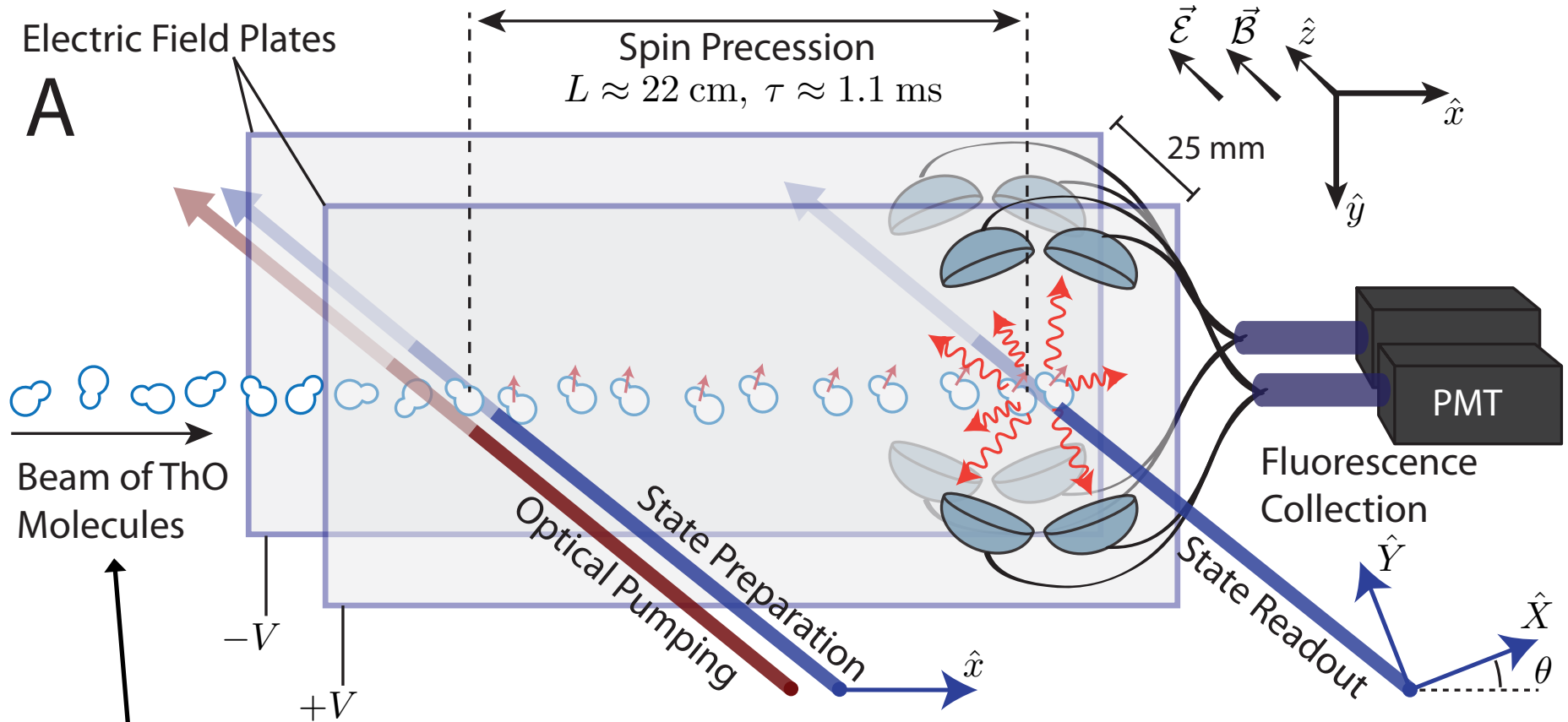
$$\mathbf{-} \quad \Delta E (+1) = - 2\mu_B g_B |\mathcal{B}_z| - 2d_e \mathcal{E}_{\text{eff}}$$

---

$$\Delta E (-1) - \Delta E (+1) =$$

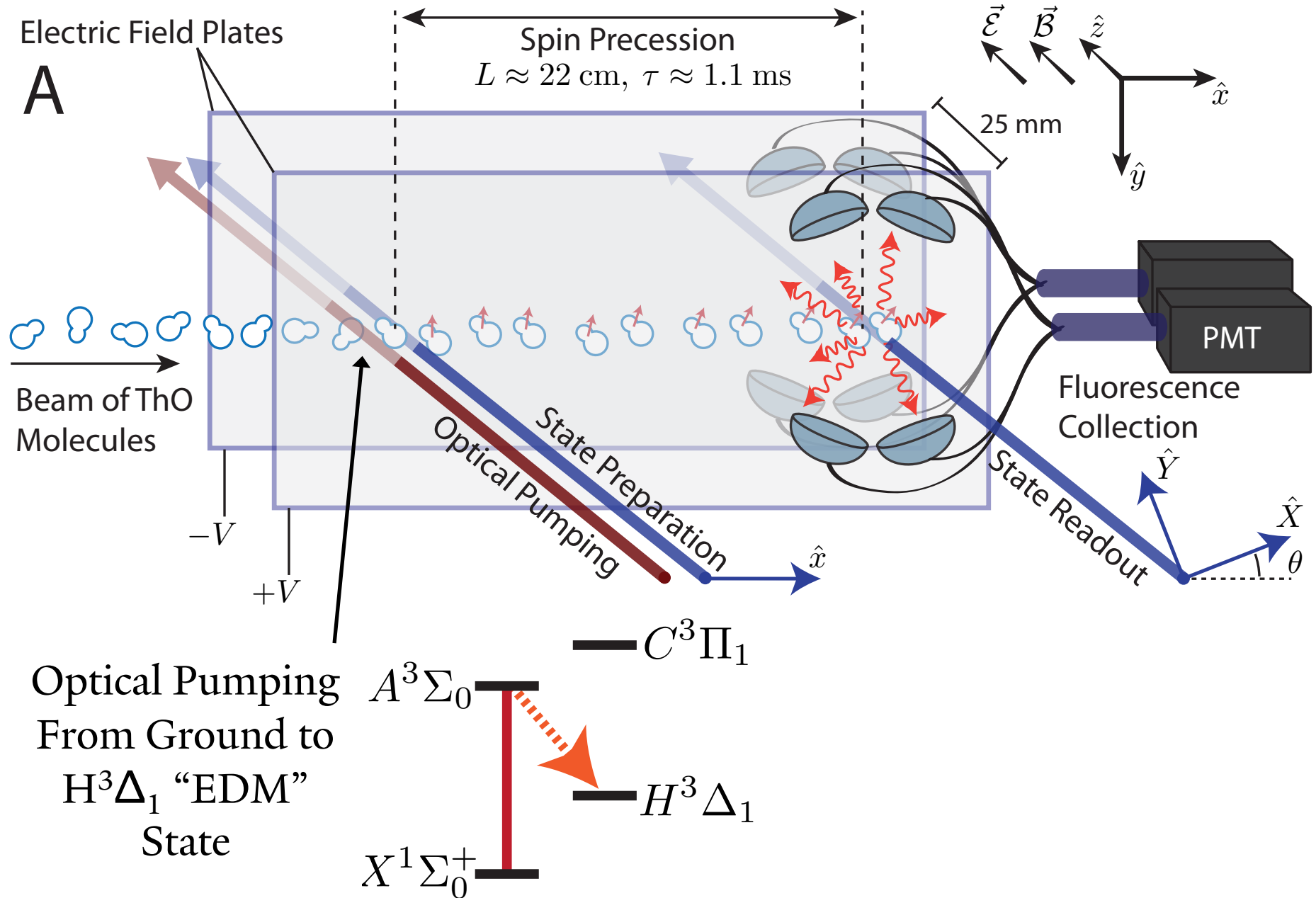
$$\boxed{4d_e \mathcal{E}_{\text{eff}}}$$

# The Spin Precession Measurement

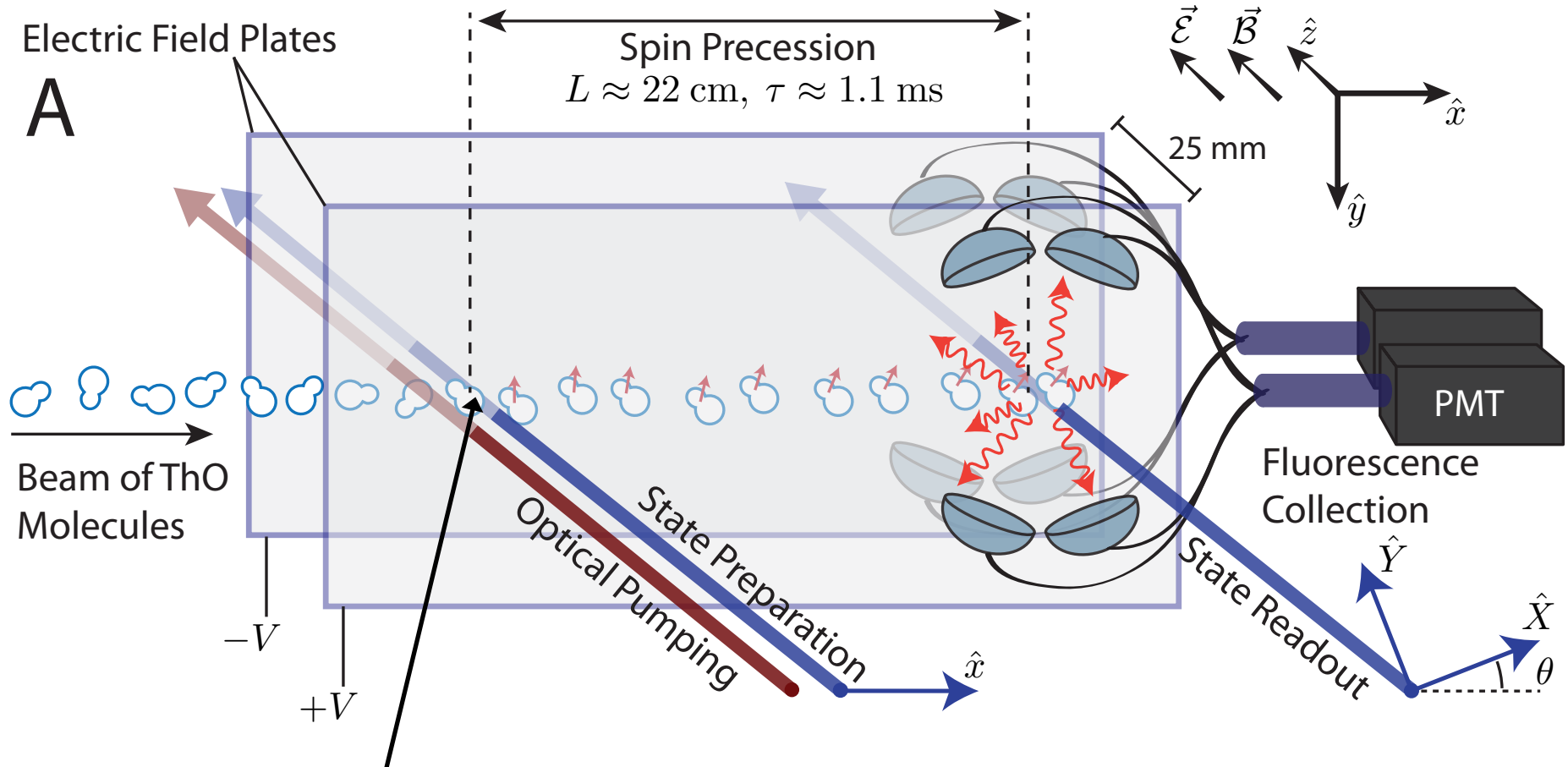


Cryogenic Buffer Gas Beam Source  
 $v \sim 200$  m/s,  $dv \sim 30$  m/s

# The Spin Precession Measurement



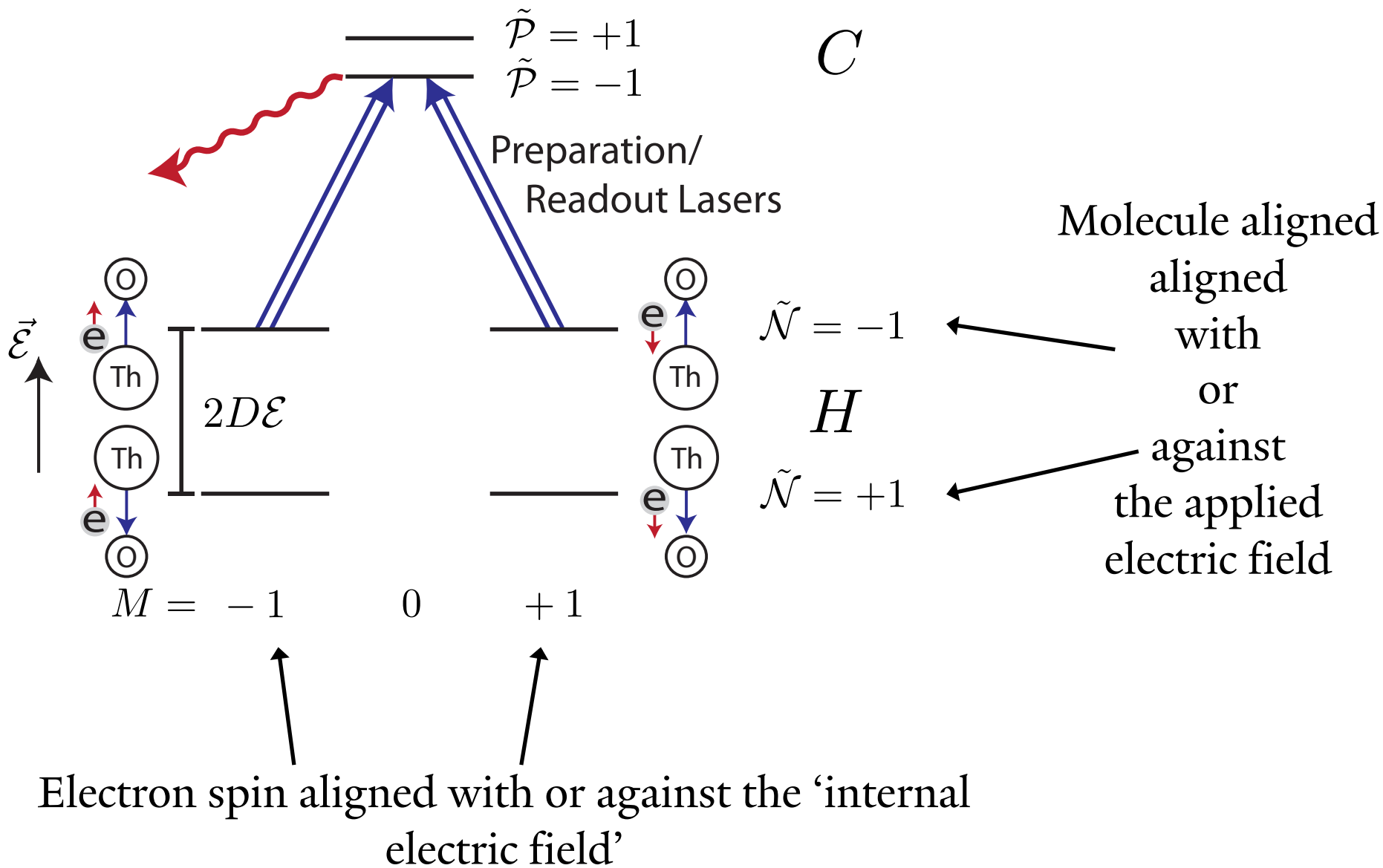
# The Spin Precession Measurement



State preparation:

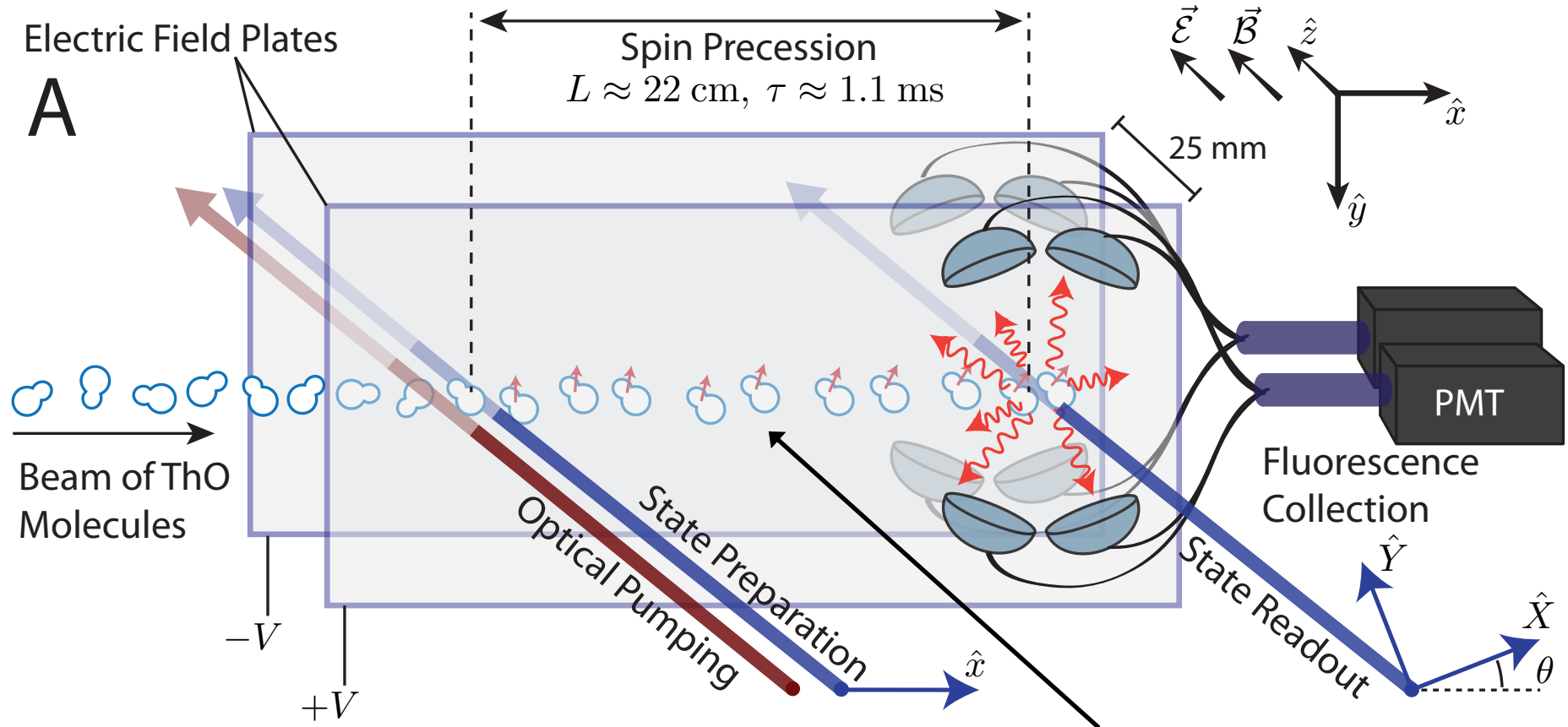
- Choose molecule alignment with frequency
- Choose electron spin alignment with polarization (optically pump out wrong electron alignment)





We prepare a superposition of these two using linear laser polarization (electron spin in xy plane)

# The Spin Precession Measurement

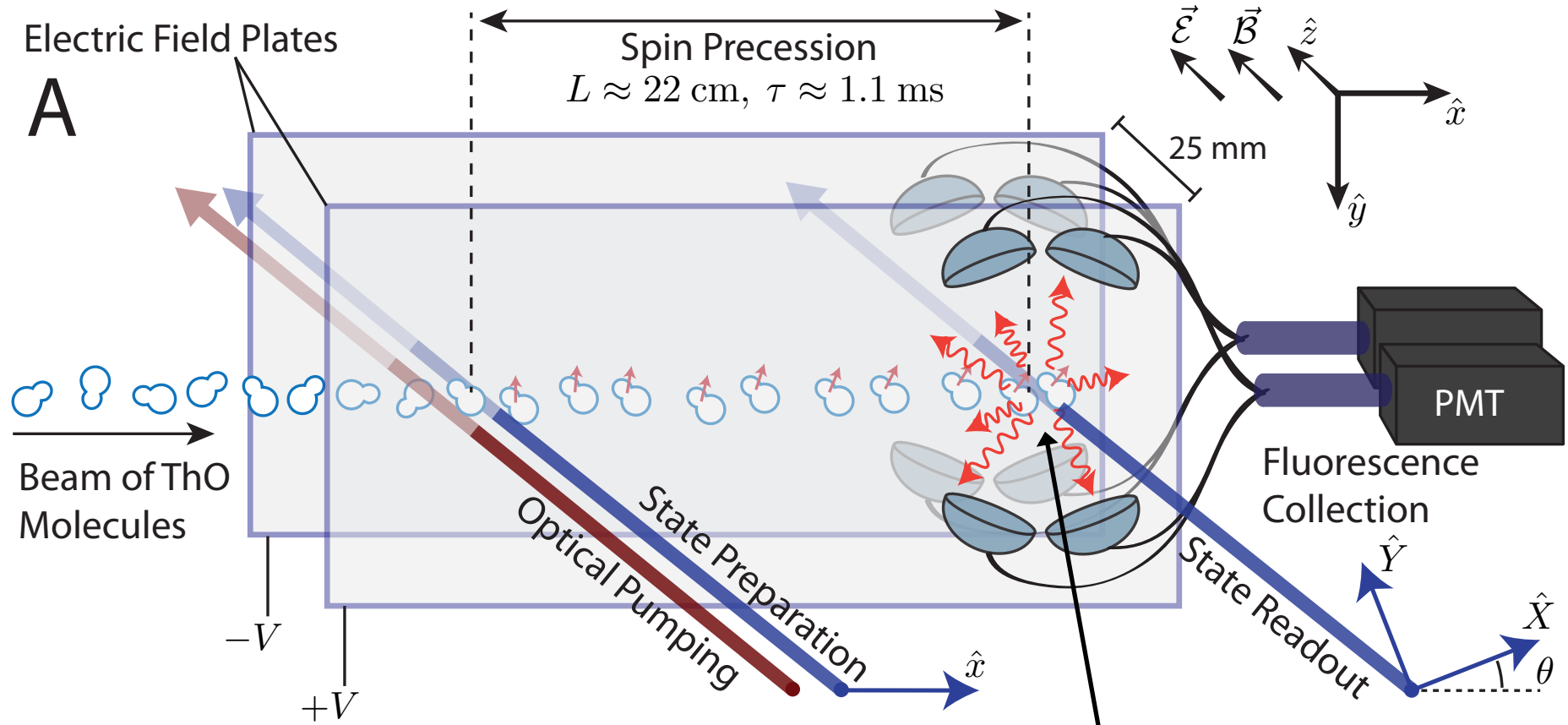


The electrons spins precess around the applied magnetic field

And the also precess around the molecules internal electric field if there is an EDM

$$|\psi(\tau), \tilde{\mathcal{N}}\rangle = \frac{1}{\sqrt{2}} \left( e^{-i\phi} |M = +1, \tilde{\mathcal{N}}\rangle - e^{+i\phi} |M = -1, \tilde{\mathcal{N}}\rangle \right)$$

# The Spin Precession Measurement

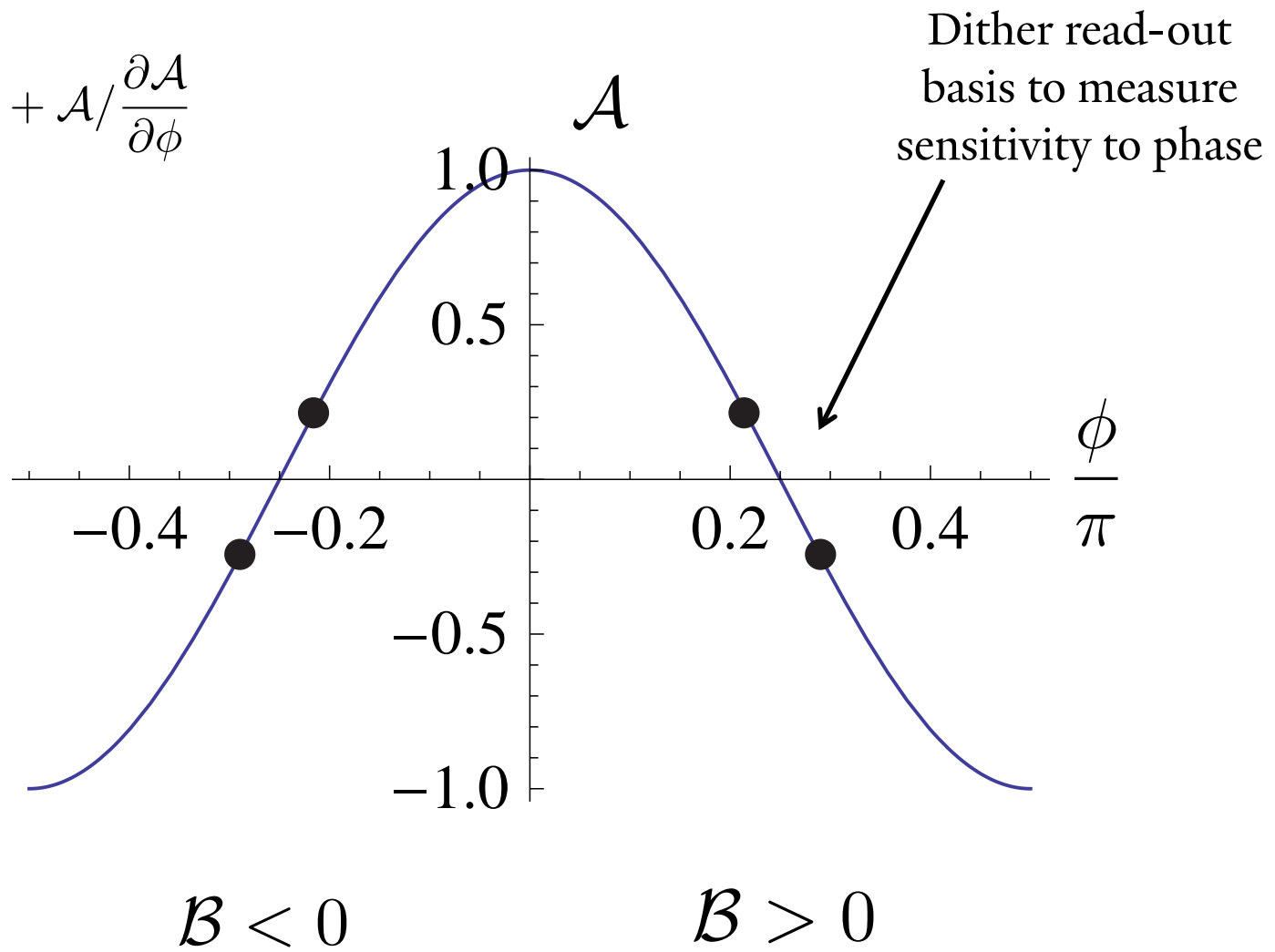


- We project the molecule spins onto the X and Y directions (set by our laser polarizations)
- We collect the resulting fluorescence from which we can determine the precession phase

$$A = \frac{S_X - S_Y}{S_X + S_Y} = C \cos(2(\phi - \theta)) \quad \phi = - \left( \mu_B g \tilde{\mathcal{B}} |B_z| + \tilde{\mathcal{N}} \tilde{\mathcal{E}} d_e \mathcal{E}_{\text{eff}} \right) \tau$$

# Precession Fringe

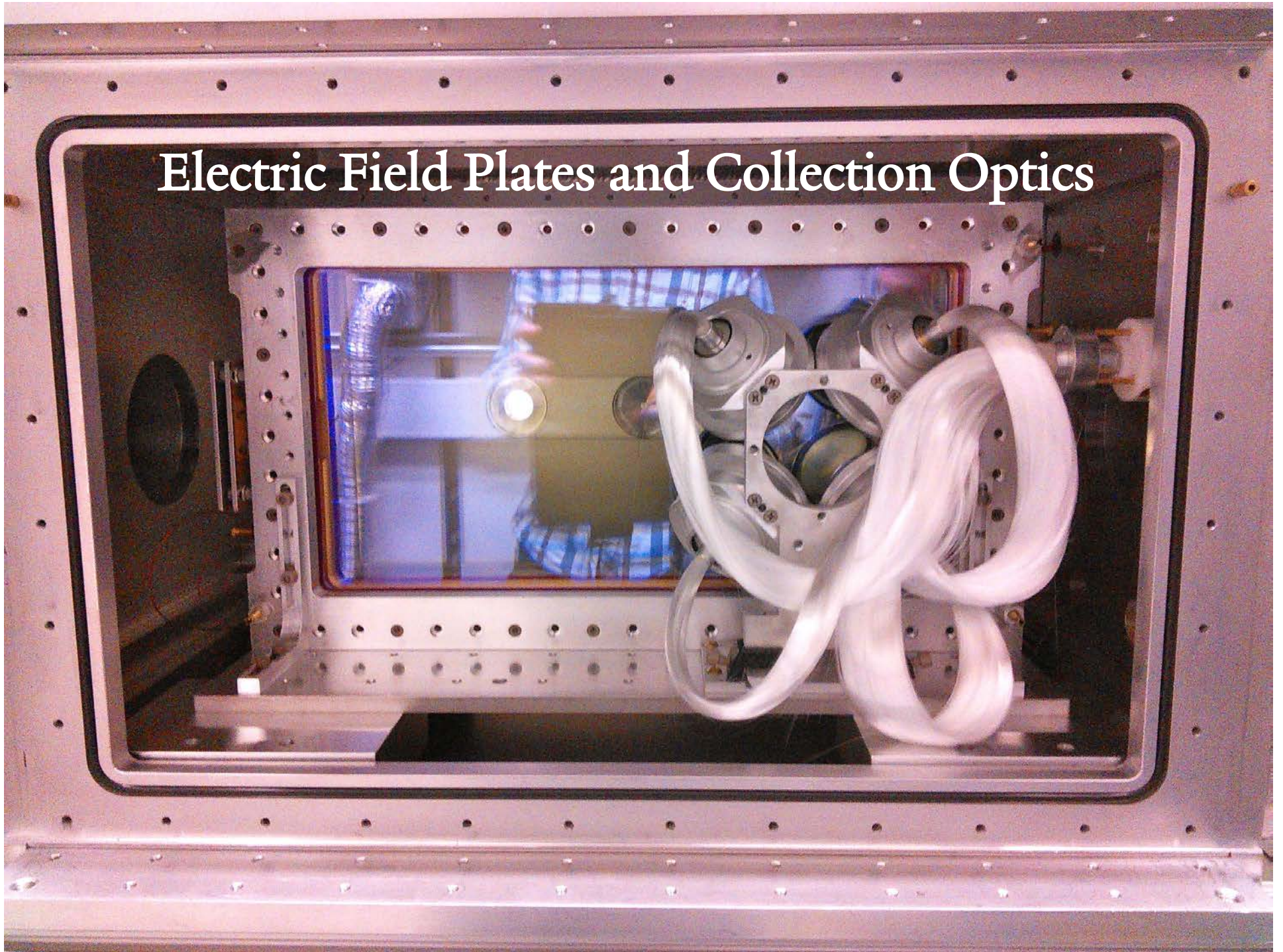
$$\phi \approx \text{sgn}(\mathcal{B}) \frac{\pi}{4} + \mathcal{A} / \frac{\partial \mathcal{A}}{\partial \phi}$$



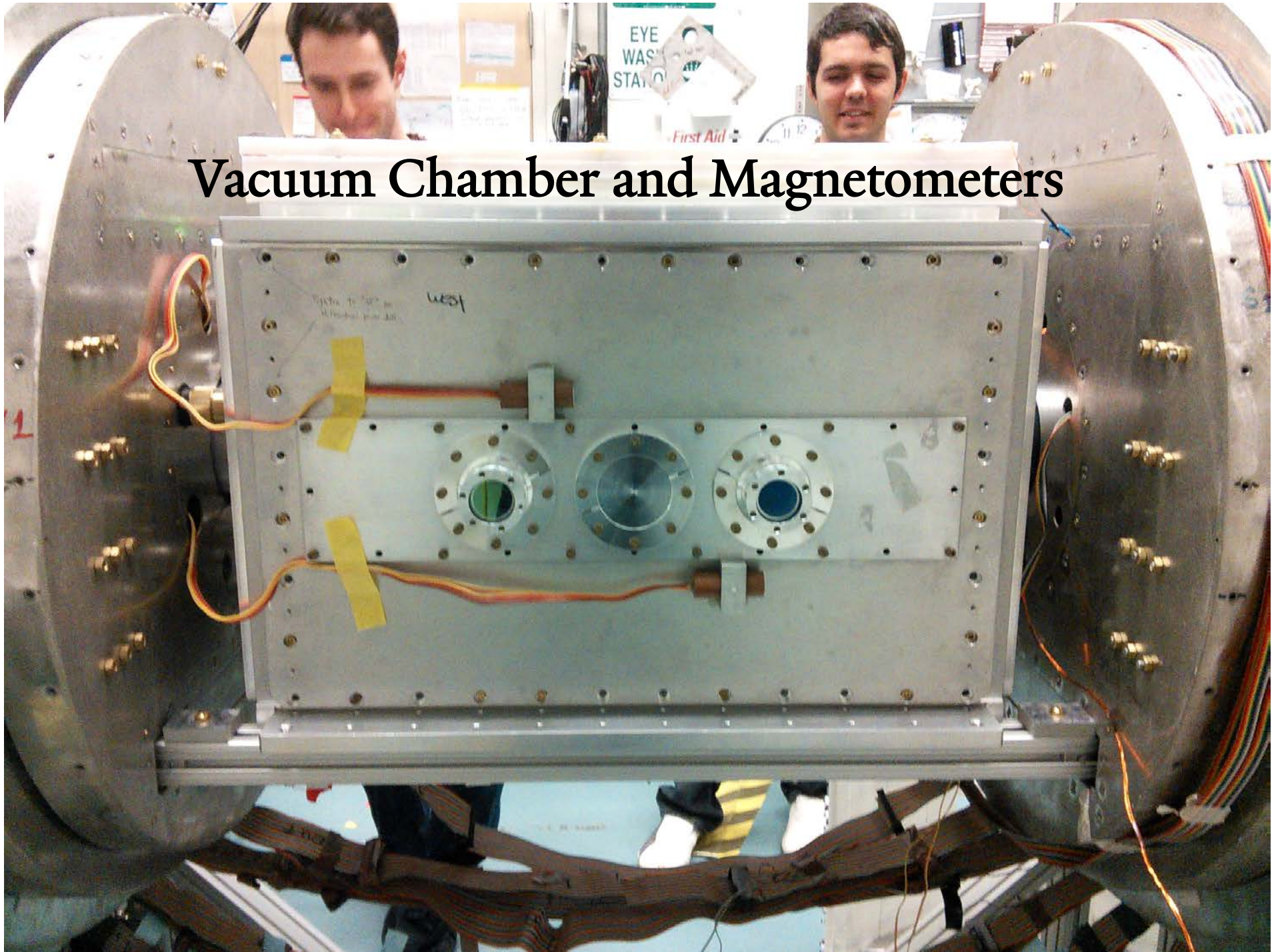
# The Apparatus

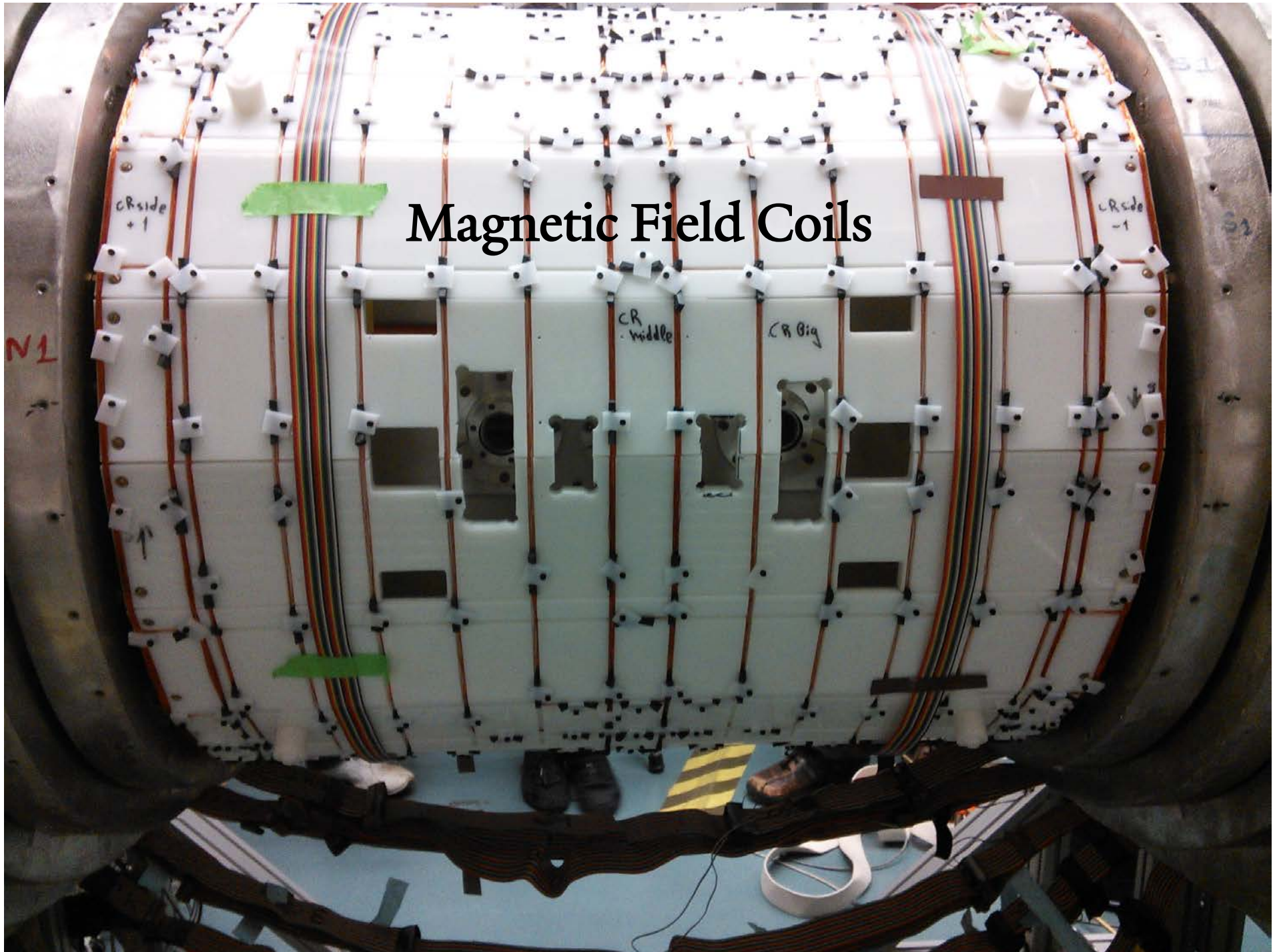


# Electric Field Plates and Collection Optics



# Vacuum Chamber and Magnetometers

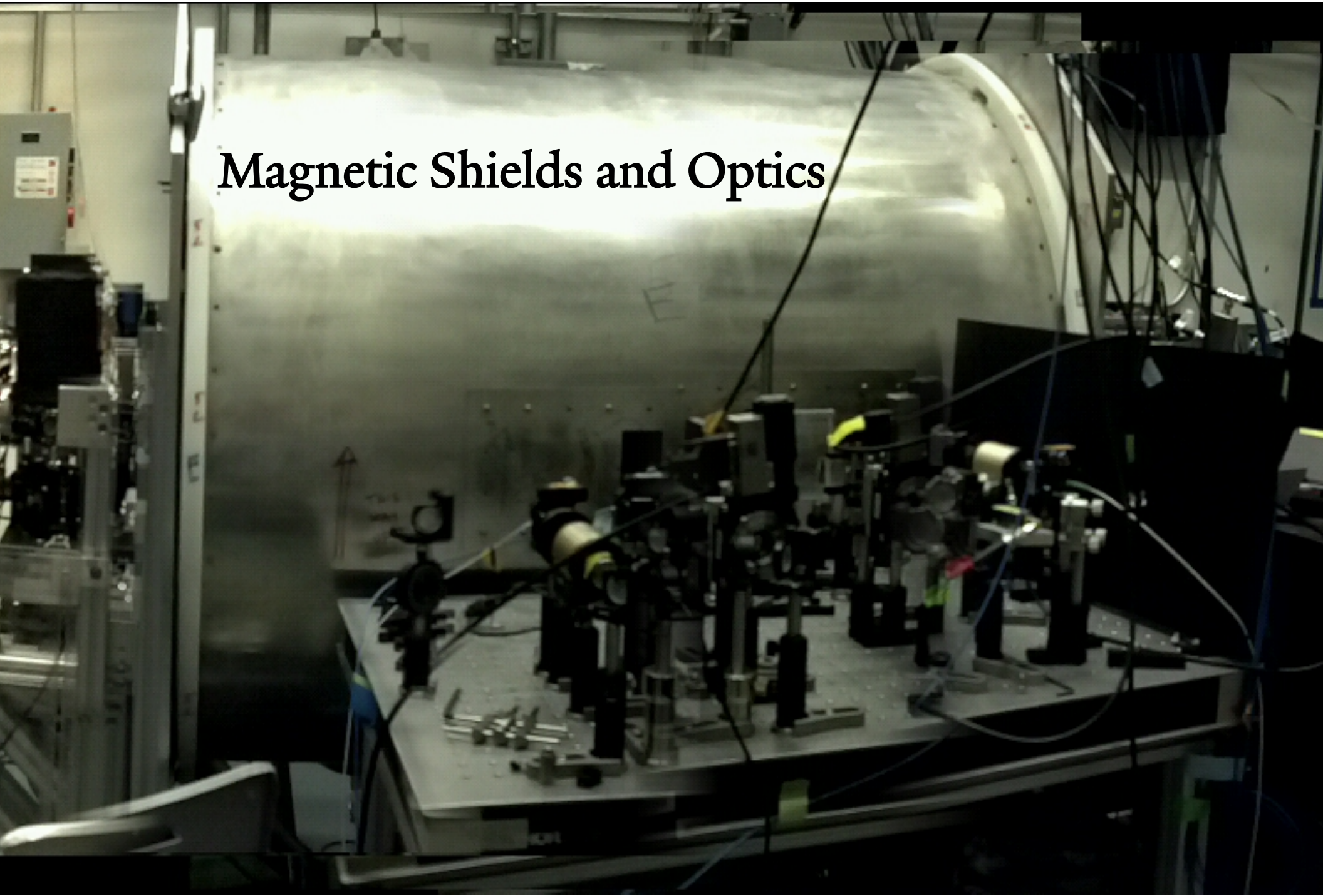




# Magnetic Field Coils



# Magnetic Shields and Optics



# Switches and Timescales

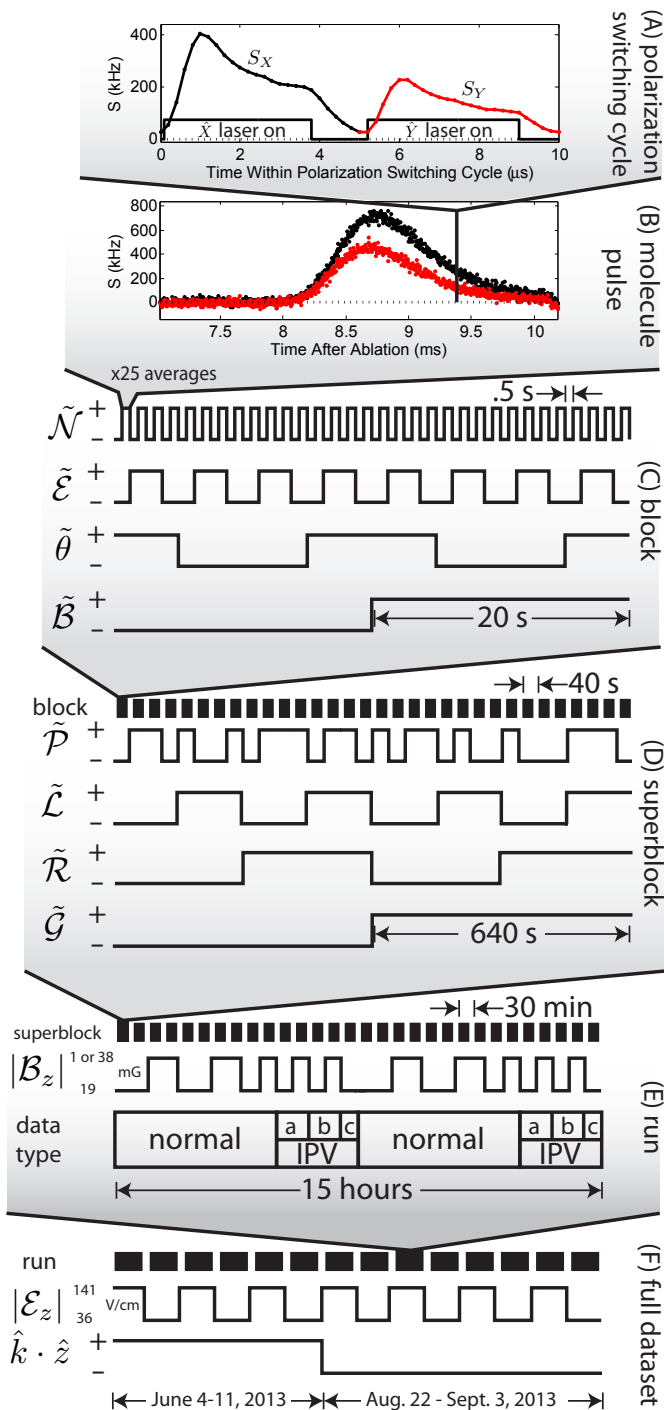
Switches = Changing the experimental configuration in a controlled way

Most of our switches are naturally binary (have two states) –

Look at effects that are even and odd with respect to these switches

Necessary to:

- Distinguish the EDM from background phases or fluorescence effects.
- Search for Unknown Systematic Errors and Monitor known ones.



# Switches and Timescales

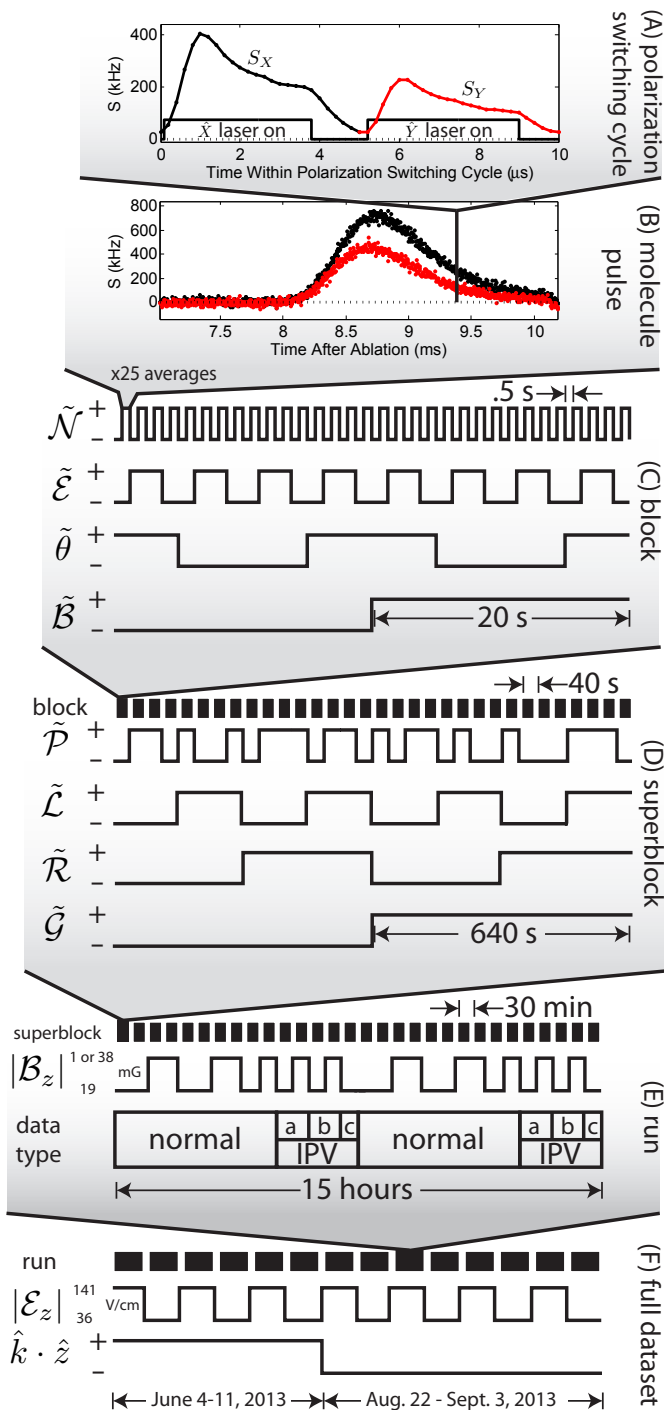
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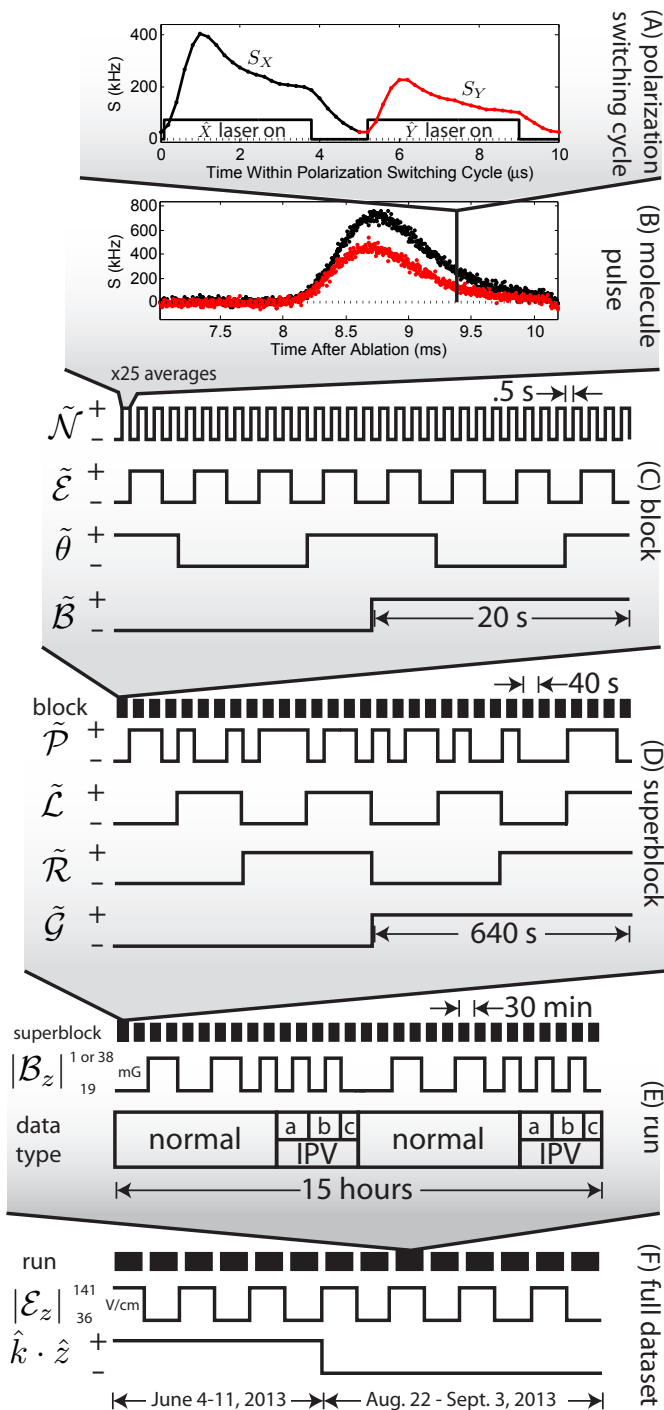


# Switches and Timescales

Switches = Changing the experimental configuration in a controlled way

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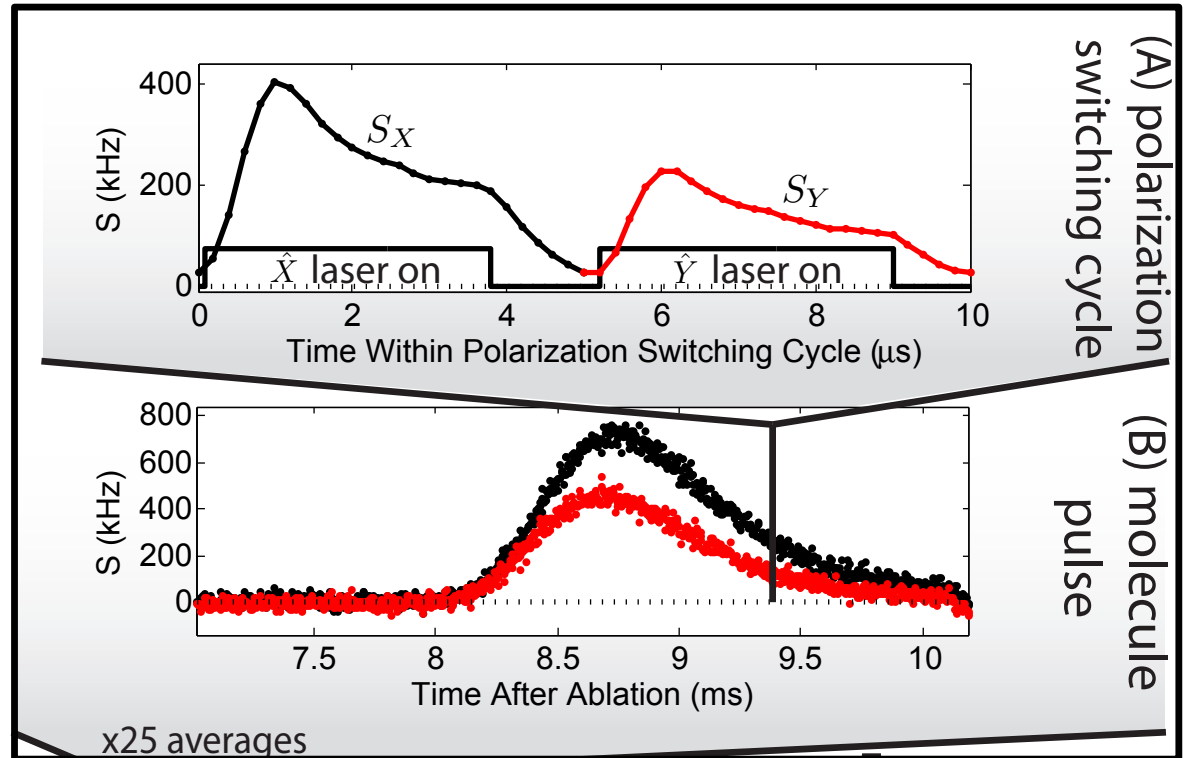
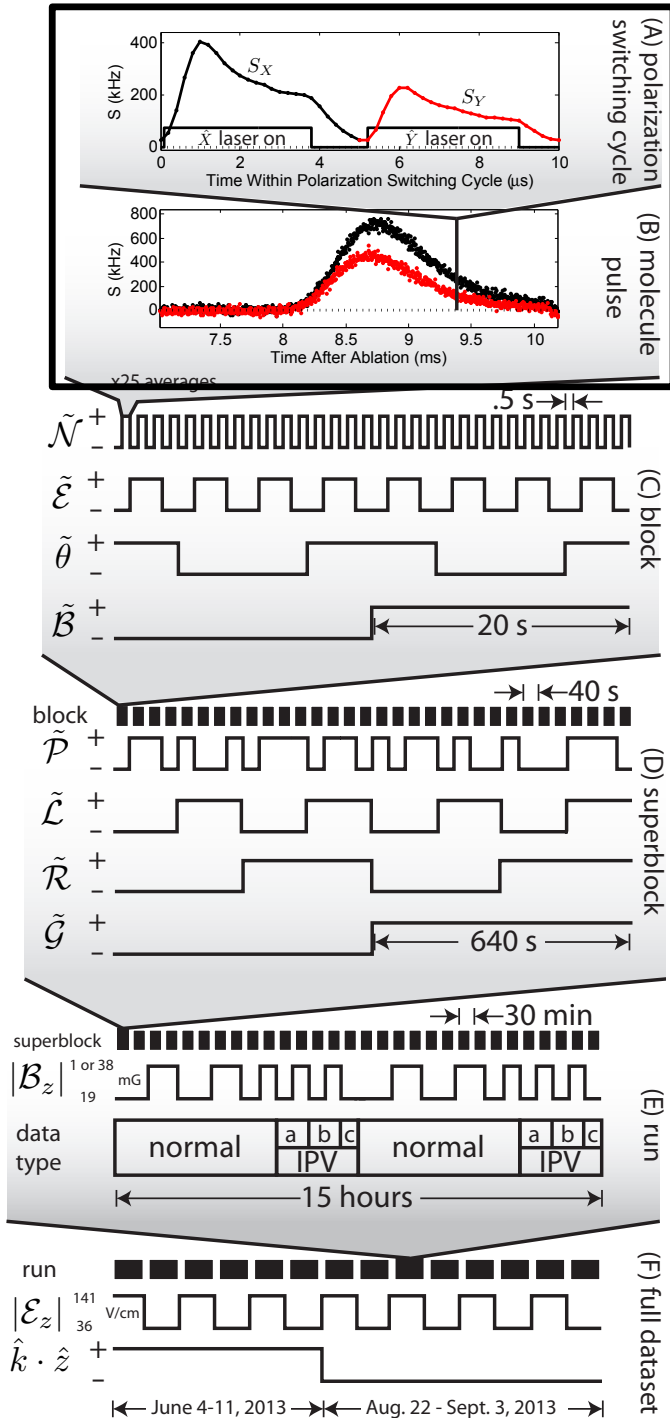
Look at effects that are even and odd with respect to these switches



Necessary to:

- Distinguish the EDM from background phases or fluorescence effects.
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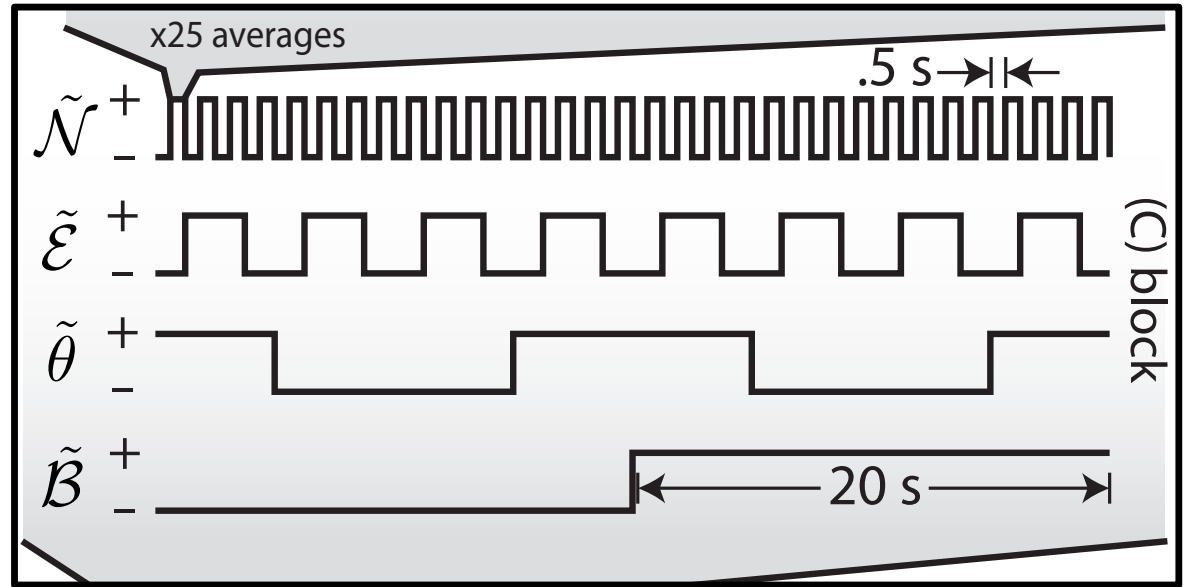
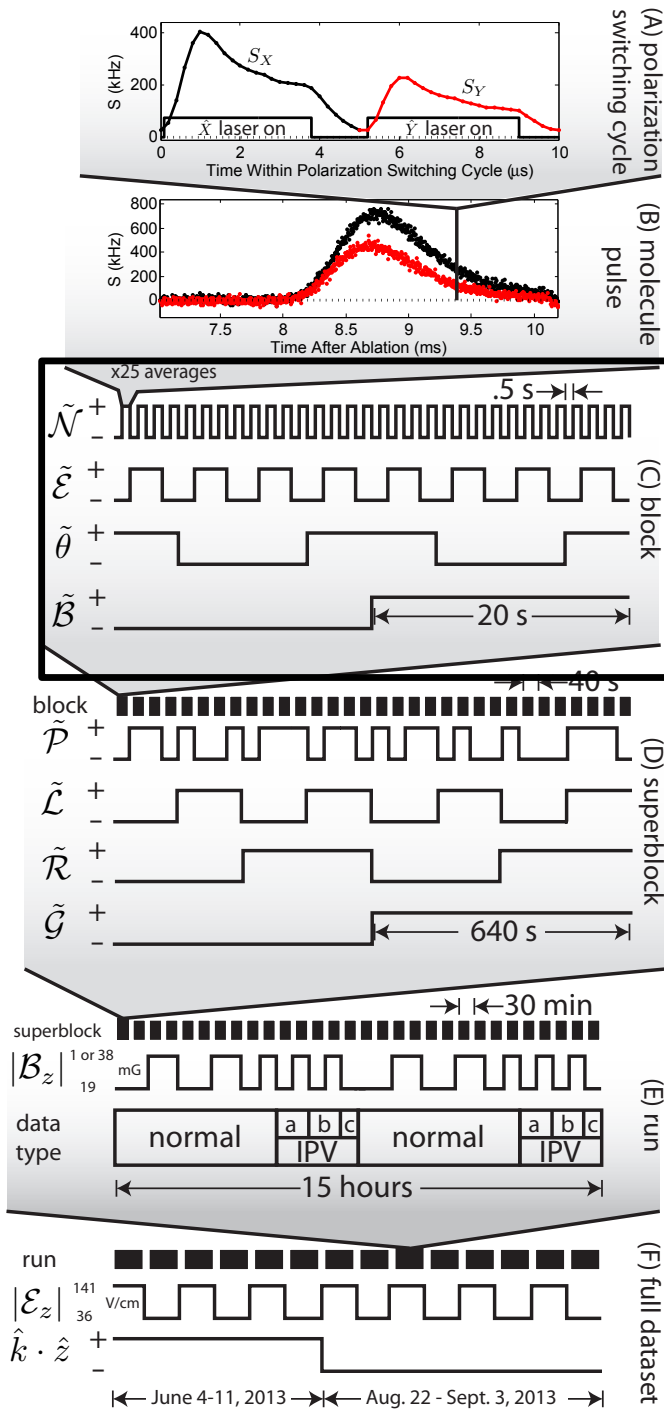
# Switches and Timescales



- Switch between read-out polarizations on the microsecond timescale.  
(to normalize out molecule number fluctuations)

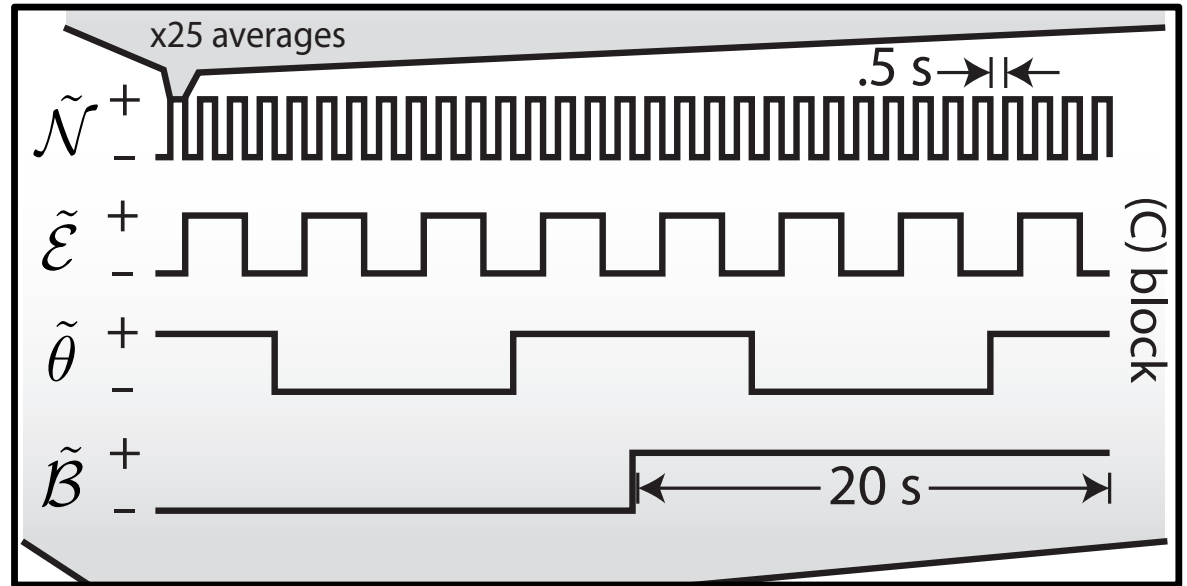
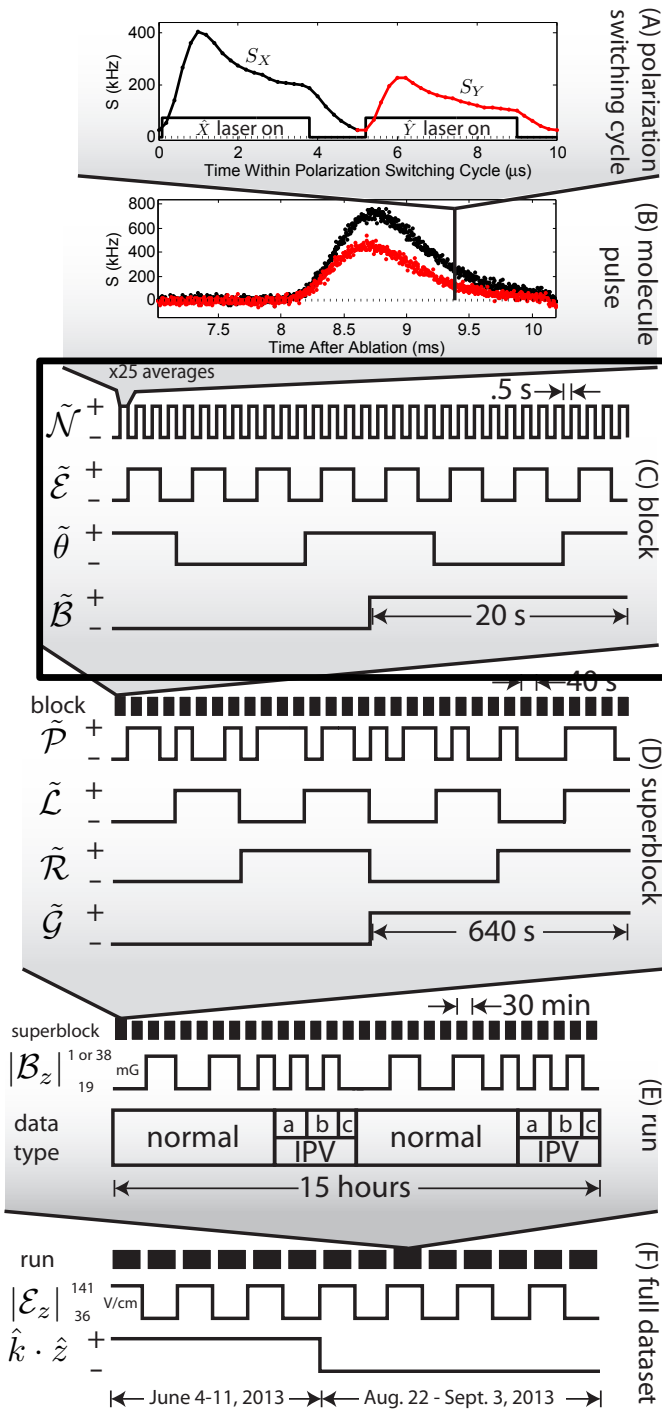
$$\mathcal{A} = \frac{S_X - S_Y}{S_X + S_Y} = C \cos(2(\phi - \theta)) \approx 2C(\phi - \theta)$$

# Switches and Timescales



- $\tilde{\mathcal{N}}$  : Molecule alignment with respect to applied E-field
- $\tilde{\mathcal{E}}$  : Direction of applied electric field in laboratory
- $\tilde{\theta}$  : Dither state of the Read-out laser polarization basis
- $\tilde{\mathcal{B}}$  : Direction of applied magnetic field in laboratory

# Switches and Timescales



- Extract contrast using  $\tilde{\theta}$  switch to compute phase:  

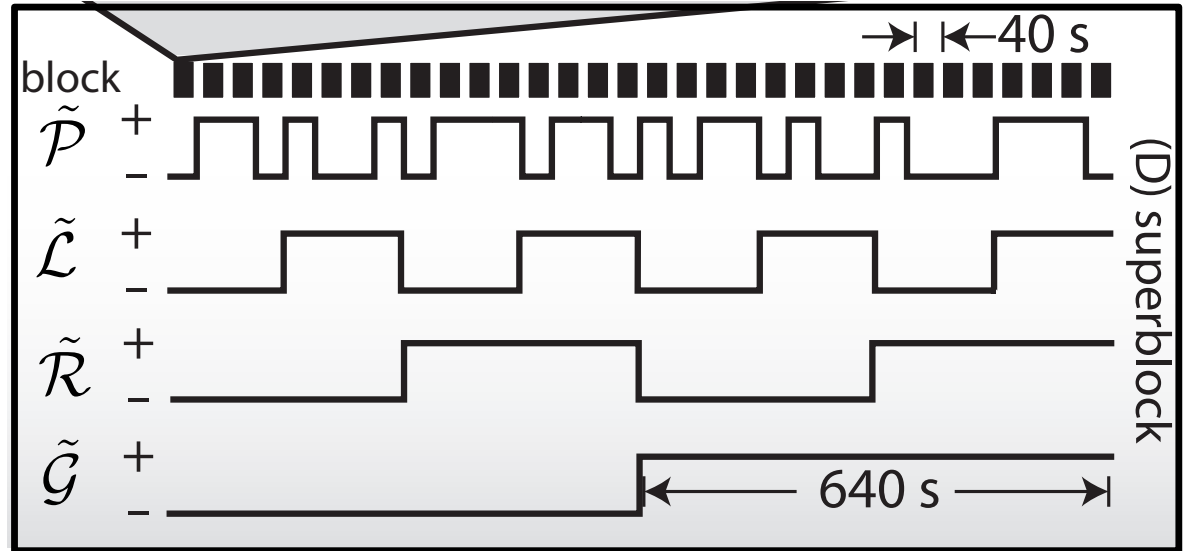
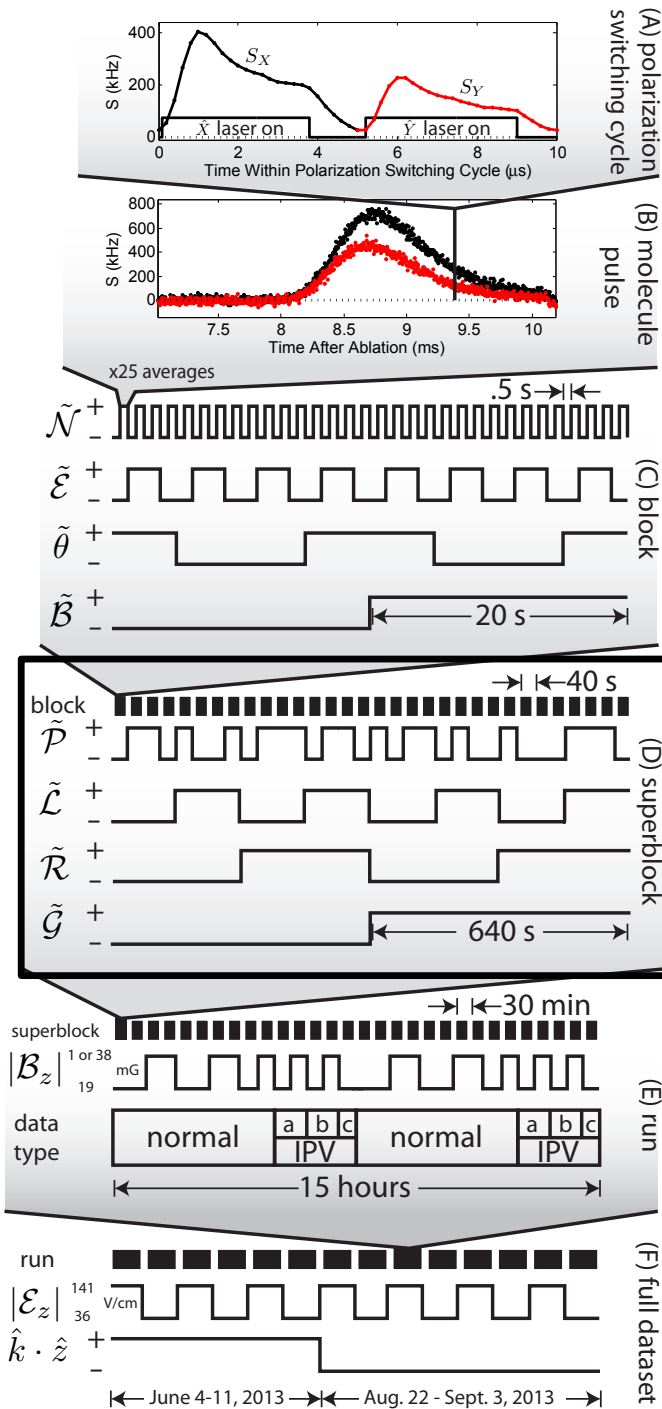
$$c = \frac{1}{\Delta\theta} \left[ \mathcal{A}(\tilde{\theta} = +1) - \mathcal{A}(\tilde{\theta} = -1) \right] \longrightarrow \phi \approx \mathcal{A}/2C$$
- Use the  $\tilde{B}$  switch to extract the precession time and compute energy shifts:

$$\phi^B = \mu_B g |\mathcal{B}_z| \tau \longrightarrow \omega = \phi/\tau$$

- Use the  $\tilde{N}\tilde{E}$  switches to distinguish between the energy shift from an EDM:

$$\omega^{\mathcal{N}\mathcal{E}} = d_e \mathcal{E}_{\text{eff}}$$

# Switches and Timescales



$\tilde{P}$  : Parity of the Excited State

$\tilde{L}$  : Reversal of Electric field leads

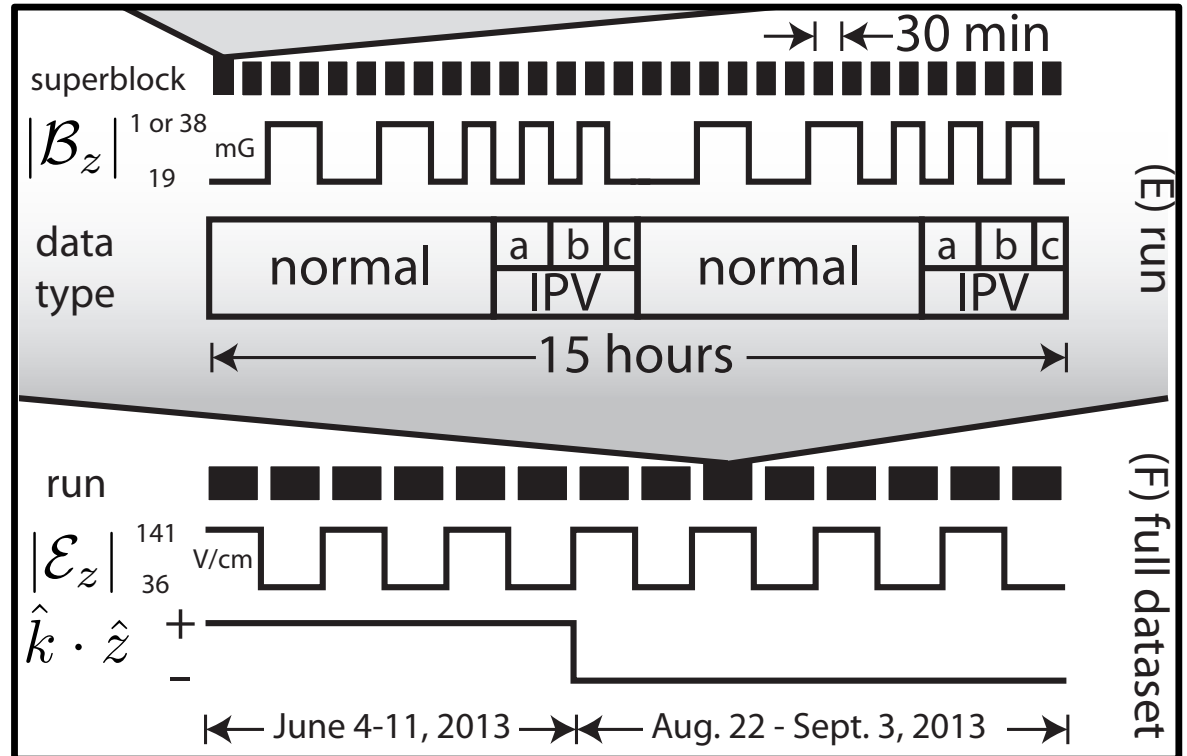
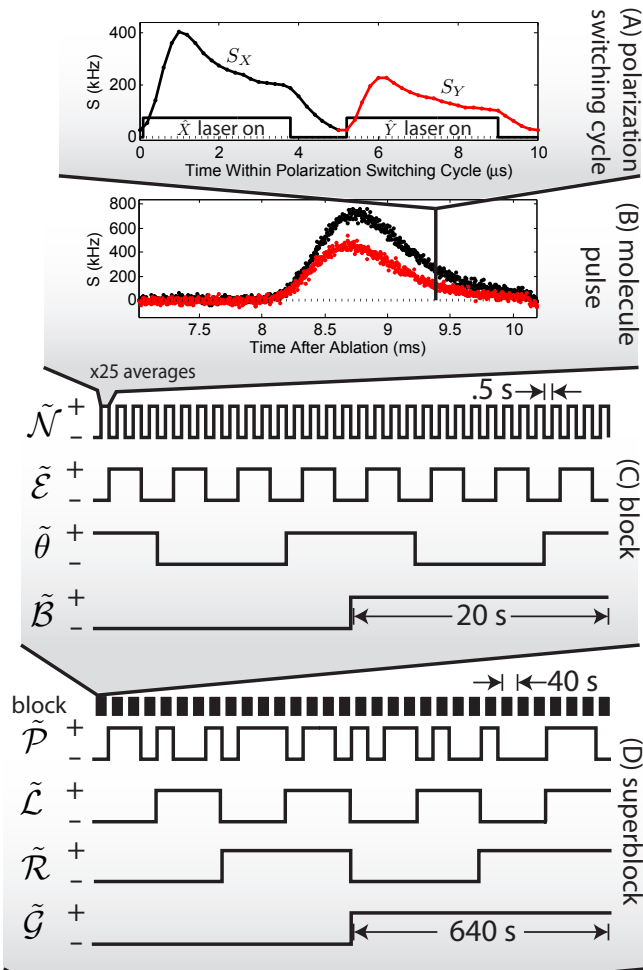
$\tilde{R}$  : Reversal of X and Y read-out laser beams

$\tilde{G}$  : Rotation of all laser polarizations in sync

- Systematic errors that depend on differences between X and Y read-out beams are odd under  $\tilde{P}\tilde{R}$
- An offset voltage in the E-field power supply is canceled by  $\tilde{L}$
- $\tilde{G}$  states are chosen to minimize a systematic error coupling to ellipticity of the laser light



# Switches and Timescales

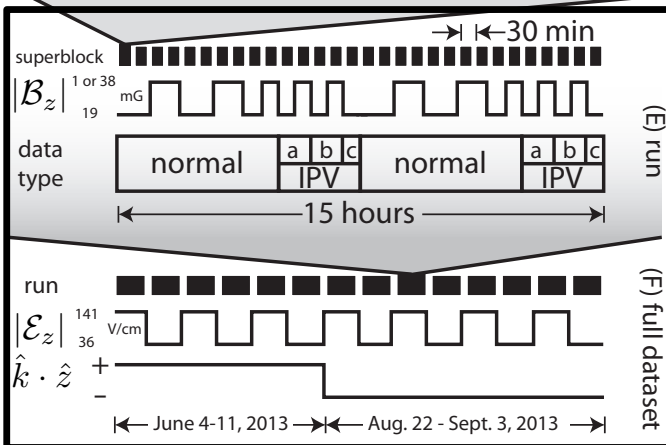


$|B_z|$  : Magnetic field magnitude

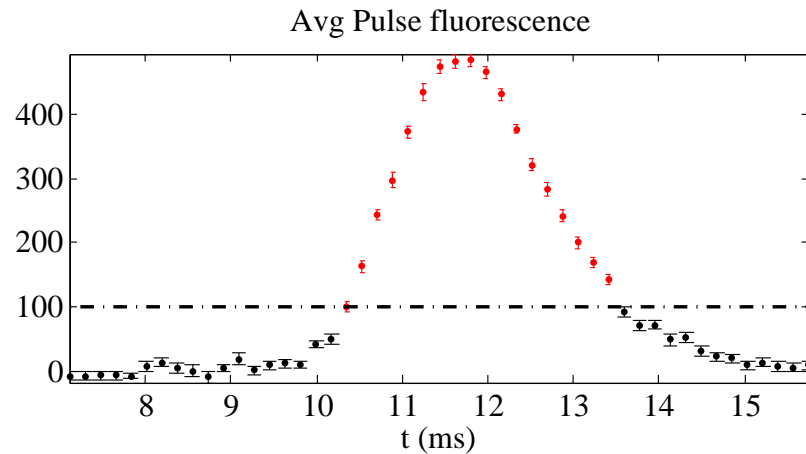
$|E_z|$  : Electric field magnitude

$\hat{k} \cdot \hat{z}$  : Propagation direction of lasers

EDM data is interwoven with Intentional Parameter Variations to carefully monitor quantities that couple to known systematic errors.

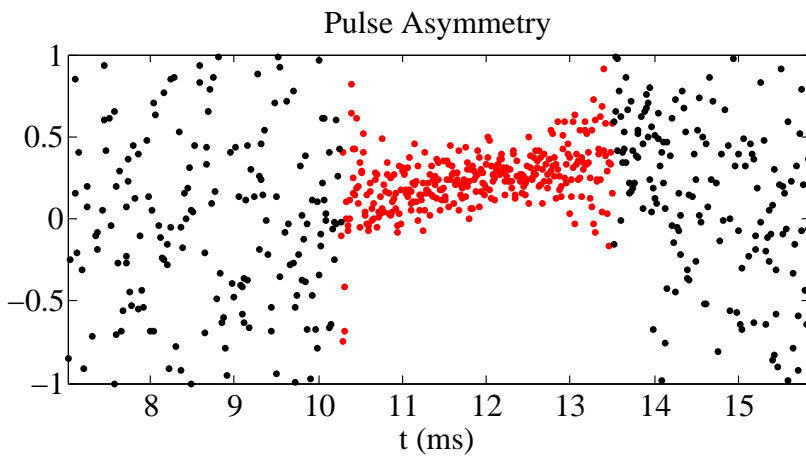


# Data Analysis



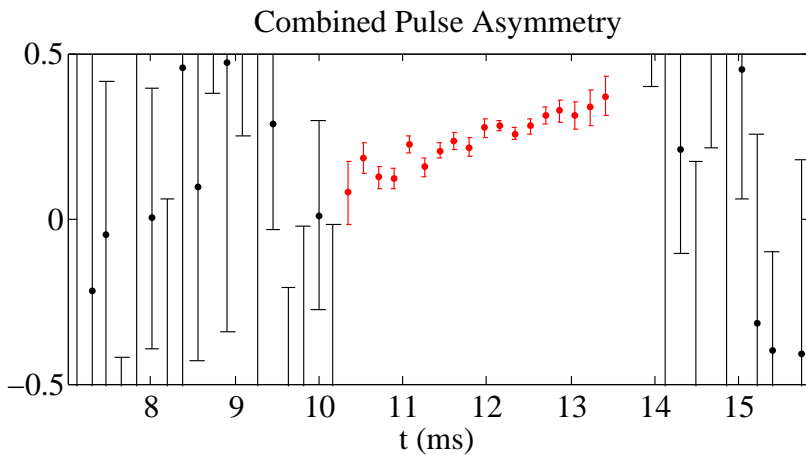
signal  
threshold cut  
ensures  
gaussian  
asymmetry

- Computation of Uncertainty



- Uncertainty propagation

- Statistical Distribution

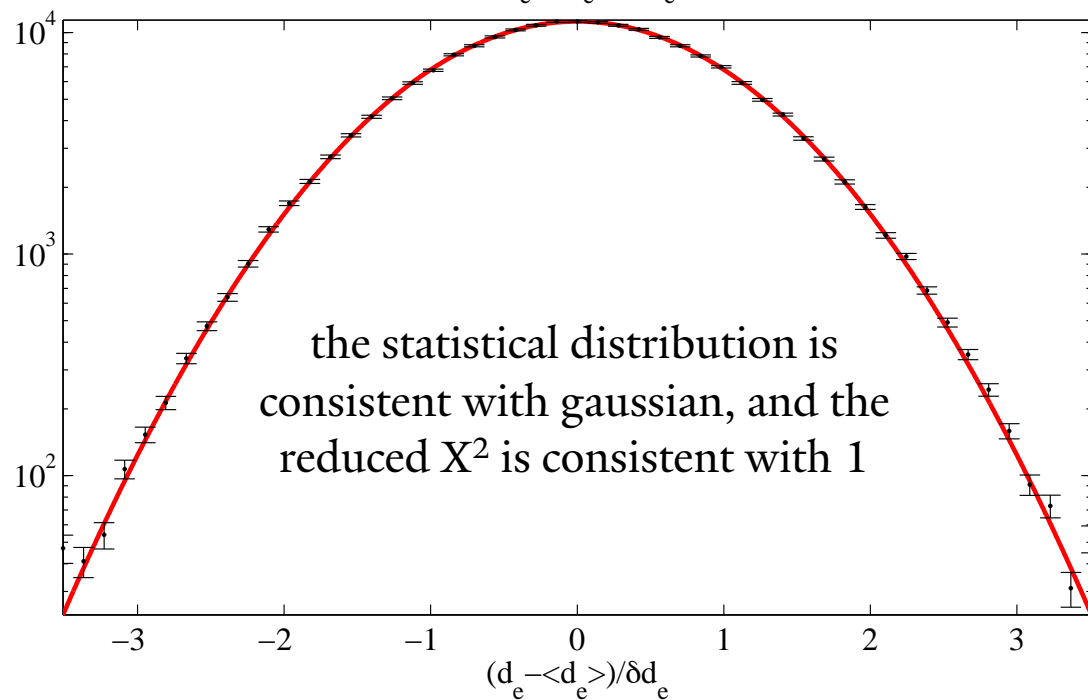
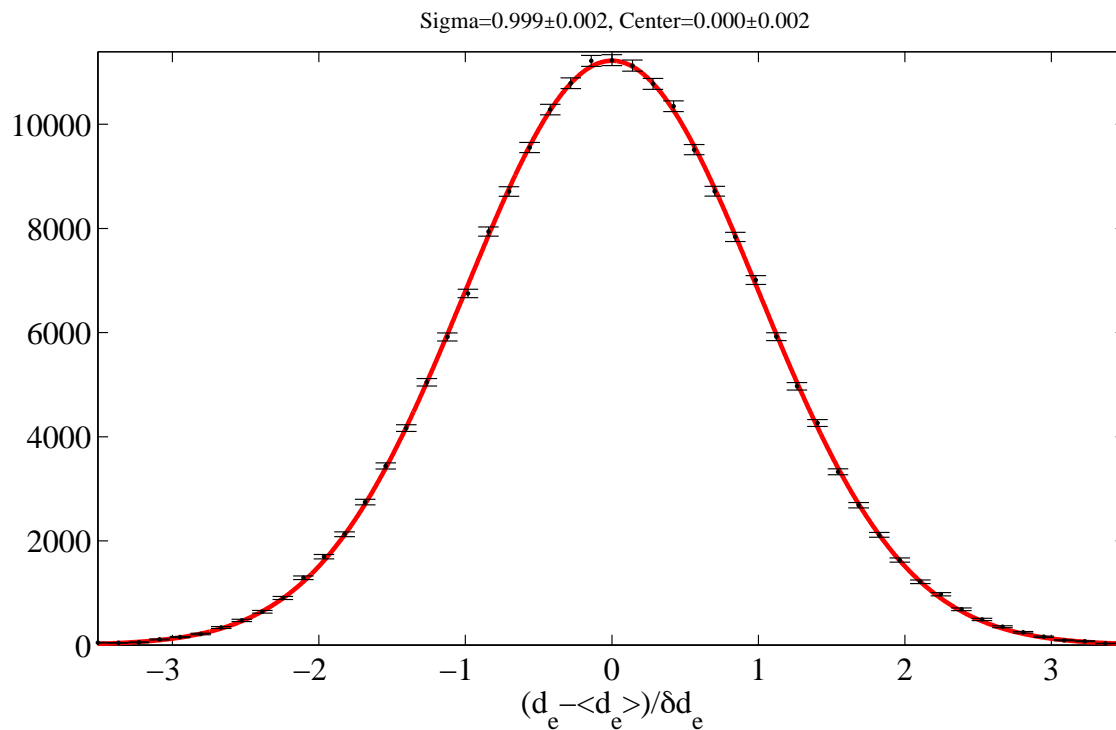


binning of  
asymmetries  
(18-30 pts)

- Blind Offset

- Feldman-Cousins  
Confidence Intervals

compute the standard error in the mean, and use standard error propagation to obtain the result.



# Data Analysis

- Computation of Uncertainty
- Uncertainty propagation

## • Statistical Distribution

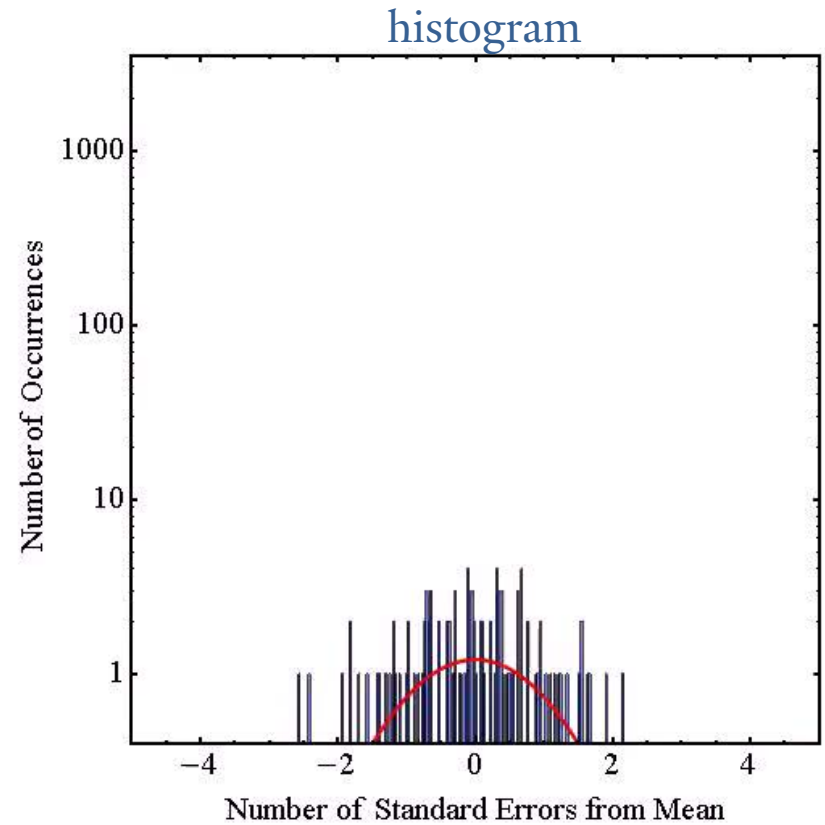
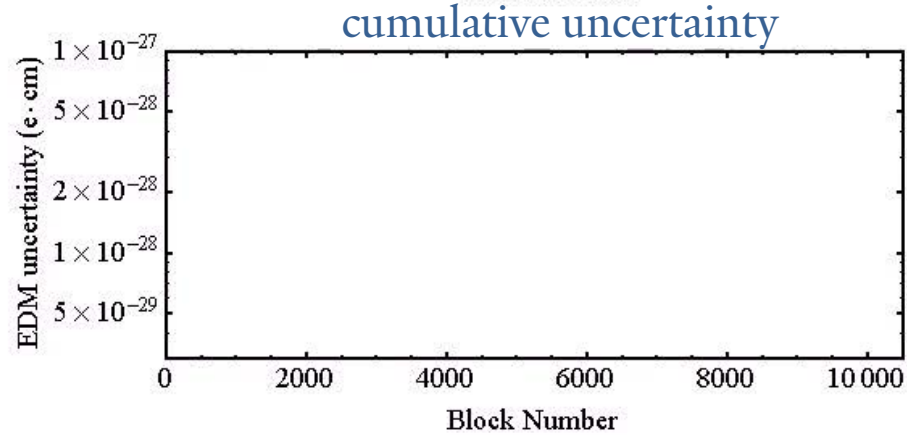
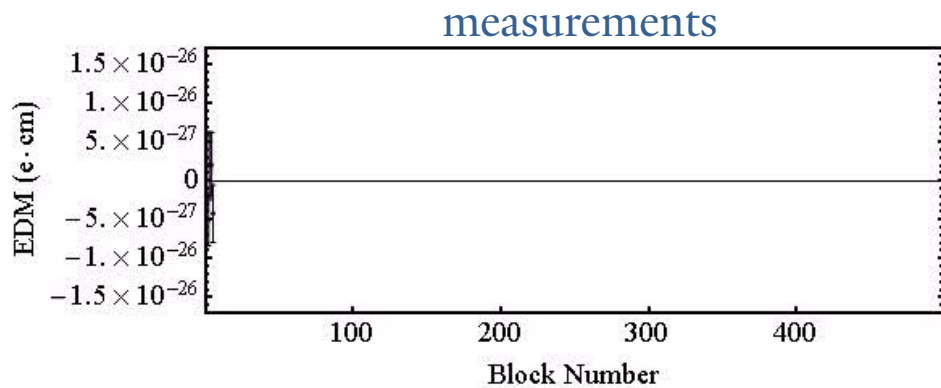
- Blind Offset

- Feldman-Cousins Confidence Intervals

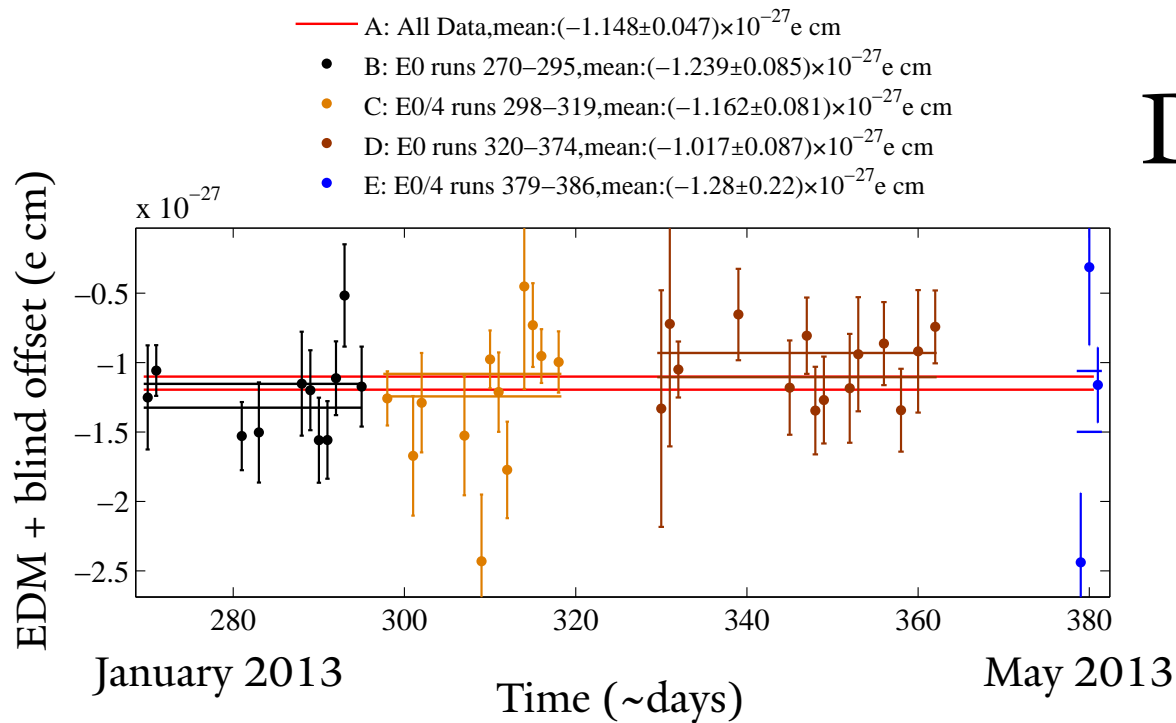
the uncertainty is limited by photon shot noise in the photodetectors,

$$\delta\omega^{\mathcal{N}\mathcal{E}} \approx 1.15 \times \frac{1}{C_T \sqrt{N}}$$

# Visualization of the Statistics



# Data Analysis



- Computation of Uncertainty

- Uncertainty propagation

- Statistical Distribution

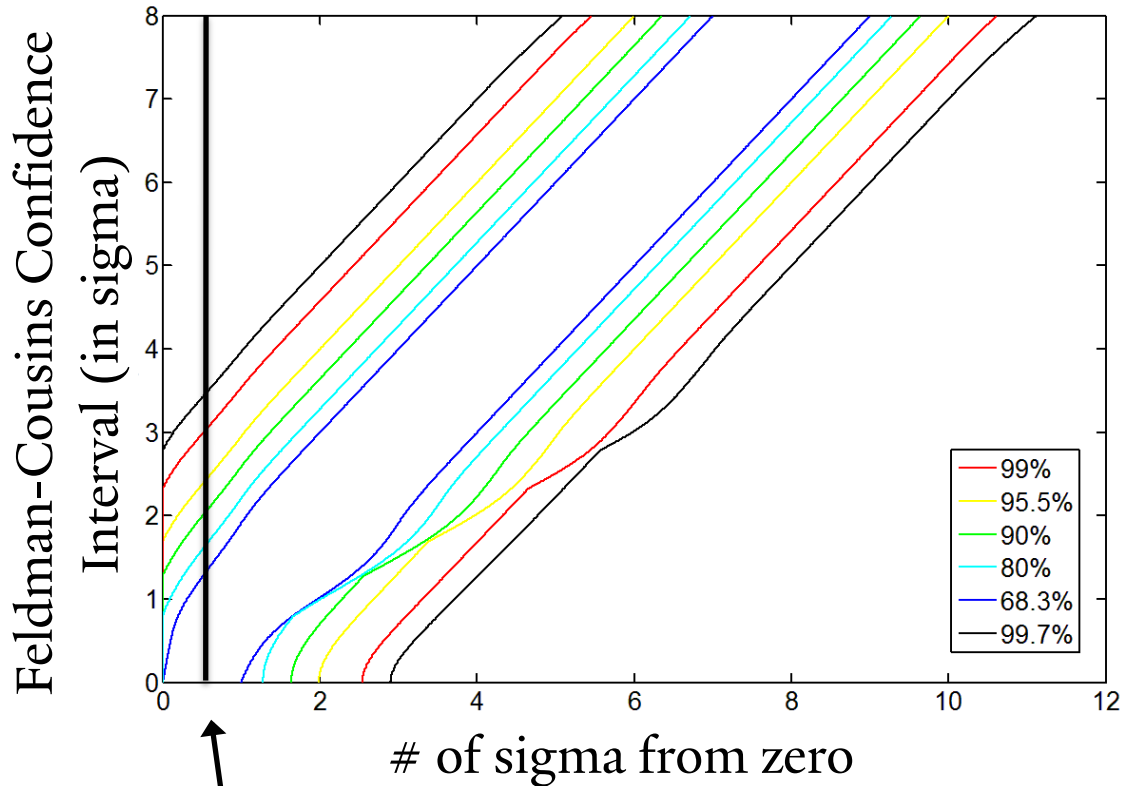
Blind Offset was a randomly chosen number selected from a Gaussian distribution

- centered on zero
- 1 sigma width equal to the previous best limit (at 90% confidence)

- Blind Offset

- Feldman-Cousins Confidence Intervals

# Data Analysis



measured center value for EDM  
(corresponds to an upper limit in this case  
for all reasonable confidence levels)

Avoids overconfidence that results from  
flipping between reporting a center value or  
upper limit contingent on the result.

- Computation of Uncertainty
- Uncertainty propagation
- Statistical Distribution
- Blind Offset
- Feldman-Cousins Confidence Intervals

# How to Perform a Systematic Search

1.) Vary some experiment parameter

(in this case an offset voltage of field plates relative to vacuum chamber)

2.) Measure the EDM channel

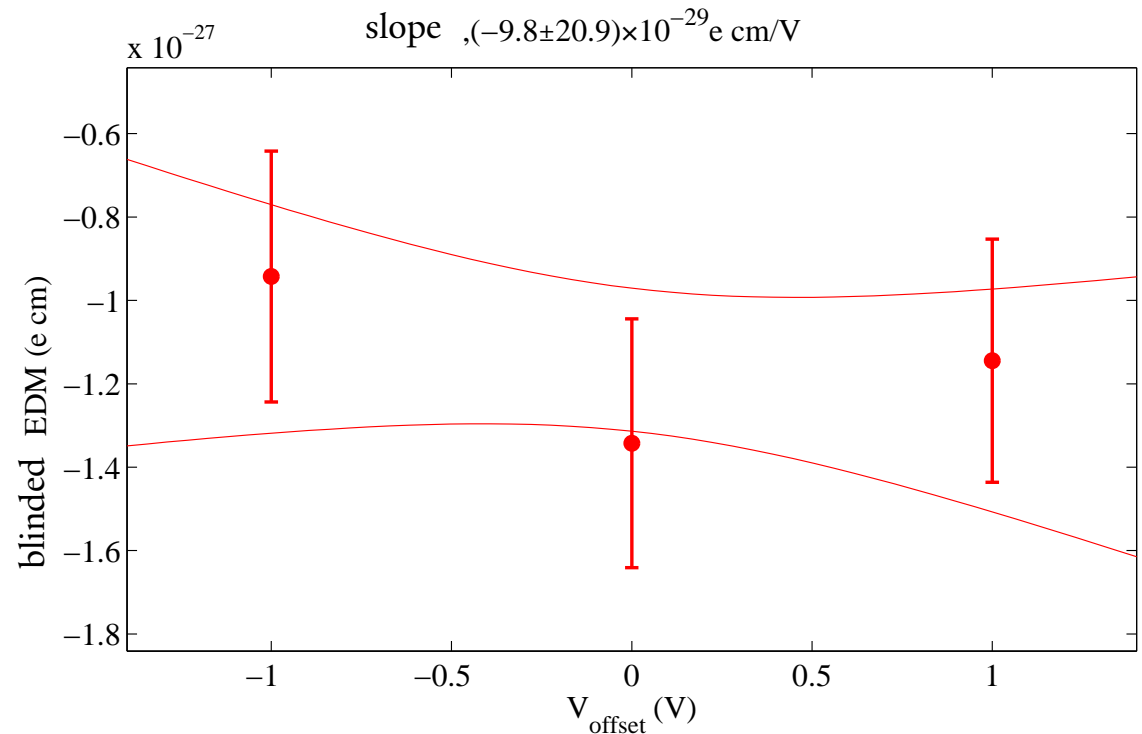
3.) Choose a model for a systematic to enter into the EDM channel

(usually we fit to a line)

4.) Measure the value that was varied under normal conditions

(in this case with a volt-meter)

5.) Derive a systematic errorbar



$$\frac{\partial d_e}{\partial V_{\text{offset}}} \sim (-1 \pm 2) \times 10^{-28} e \cdot \text{cm/V}$$

$$V_{\text{offset}} \sim (0 \pm 5) \text{ mV}$$

$$\delta d_{e, \text{ syst}} \sim \frac{\partial d_e}{\partial V_{\text{offset}}} \delta V_{\text{offset}} \approx 10^{-30} e \cdot \text{cm}$$

---

---

## Category I Parameters

---

### Magnetic Fields

- Non-Reversing  $\mathcal{B}$ -Field:  $\mathcal{B}_z^{\text{nr}}$
- Transverse  $\mathcal{B}$ -Fields:  $\mathcal{B}_x, \mathcal{B}_y$  (even and odd under  $\tilde{\mathcal{B}}$ )
- Magnetic  $\mathcal{B}$ -Field Gradients:  
 $\frac{\partial \mathcal{B}_x}{\partial x}, \frac{\partial \mathcal{B}_y}{\partial x}, \frac{\partial \mathcal{B}_y}{\partial y}, \frac{\partial \mathcal{B}_y}{\partial z}, \frac{\partial \mathcal{B}_z}{\partial x}, \frac{\partial \mathcal{B}_z}{\partial z}$  (even and odd under  $\tilde{\mathcal{B}}$ )
- $\tilde{\mathcal{E}}$  correlated  $\mathcal{B}$ -field:  $\mathcal{B}^{\mathcal{E}}$  (to simulate  $\vec{v} \times \vec{\mathcal{E}}$ /geometric phase/leakage current effects)

---

### Electric Fields

- Non-Reversing  $\mathcal{E}$ -Field:  $\mathcal{E}^{\text{nr}}$
- $\mathcal{E}$ -Field Ground Offset

---

### Laser Detunings

- Detuning of the Prep/Read Lasers:  $\Delta_{\text{prep}}, \Delta_{\text{read}}$
- $\tilde{\mathcal{P}}$  correlated Detuning:  $\Delta^{\mathcal{P}}$
- $\tilde{\mathcal{N}}$  correlated Detunings:  $\Delta^{\mathcal{N}}, \Delta\Delta^{\mathcal{N}}$

---

### Laser Pointings along $\hat{x}$

- Change in Pointing of Prep/Read Lasers
- Readout laser  $\hat{X}/\hat{Y}$  dependent pointing
- $\tilde{\mathcal{N}}$  correlated laser pointing
- $\tilde{\mathcal{N}}$  and  $\hat{X}/\hat{Y}$  dependent laser pointing

---

### Laser Powers

- Power of Prep/Read Lasers:  $P_{\text{prep}}, P_{\text{read}}$
- $\tilde{\mathcal{N}}\tilde{\mathcal{E}}$  correlated power,  $P^{\mathcal{N}\mathcal{E}}$  (simulating  $\Omega_r^{\mathcal{N}\mathcal{E}}$ )
- $\tilde{\mathcal{N}}$  correlated power,  $P^{\mathcal{N}}$
- $\hat{X}/\hat{Y}$  dependent Readout laser power

---

### Laser Polarization

- Preparation Laser Ellipticity

---

### Molecular Beam Clipping

- Molecule Beam Clipping along the  $\hat{y}$  and  $\hat{z}$  (changes  $\langle v_y \rangle, \langle v_z \rangle, \langle y \rangle, \langle z \rangle$  for molecule ensemble)
- 
- 

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## Category II Parameters

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### Experiment Timing

- $\hat{X}/\hat{Y}$  Polarization Switching Rate
- Number of Molecule Pulse Averages contributing to an Experiment State

---

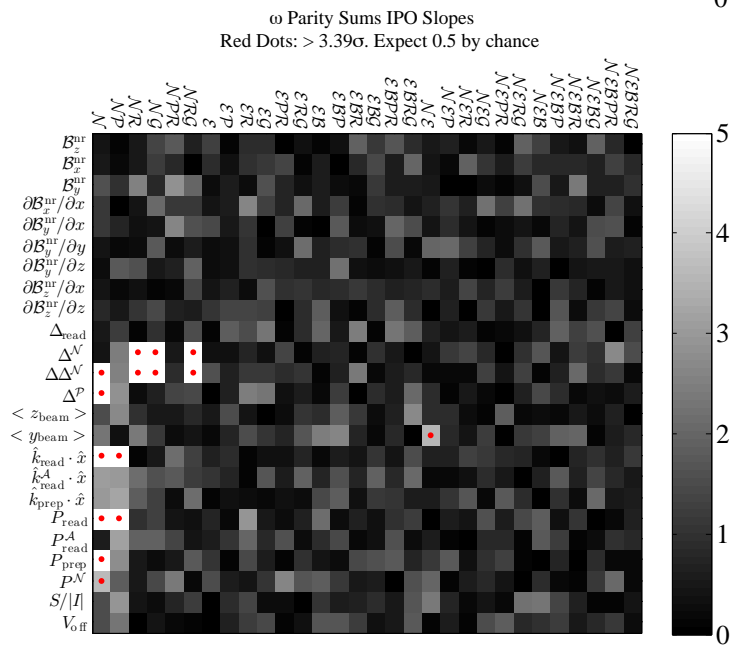
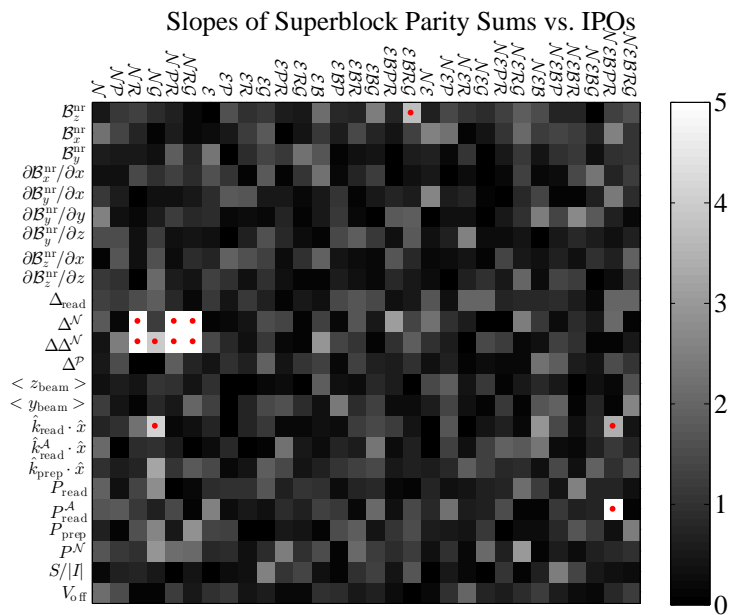
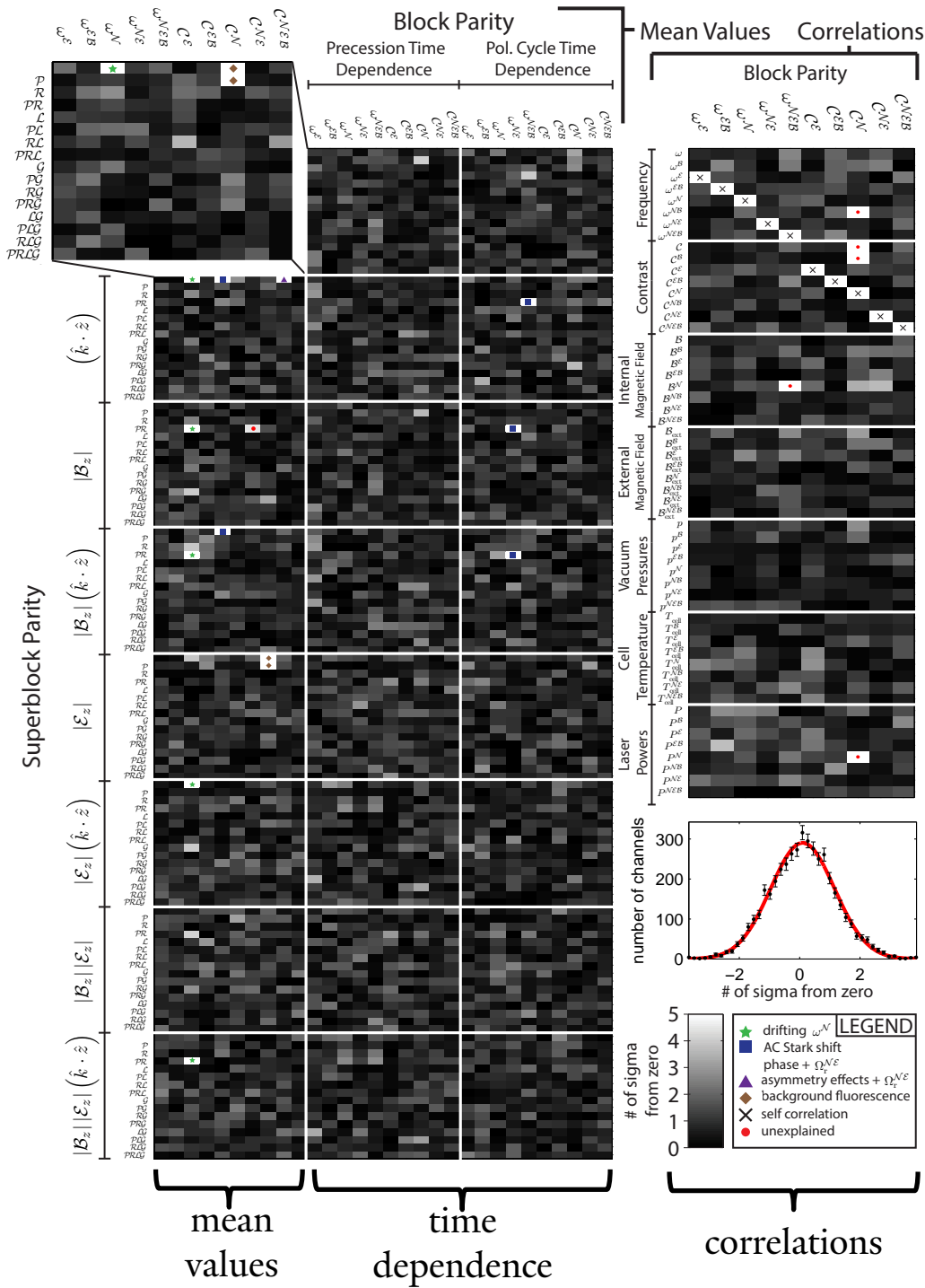
### Analysis

- Signal size cuts, Asymmetry magnitude cuts, Contrast cuts
  - Difference between two PMT detectors (checking spatial fluorescence region dependence)
  - Variation with time within molecule pulse (serves to check  $v_x$  dependence)
  - Variation with time within polarization switching cycle
  - Variation with time throughout the full dataset (autocorrelation)
  - Search for correlations with all  $\phi, \mathcal{C}$ , and  $\mathcal{S}$  switch-parity components
  - Search for correlations with auxiliary measurements of  $\mathcal{B}$ -fields, laser powers, and vacuum pressure
  - 3 individuals performed independent analyses of the data
- 

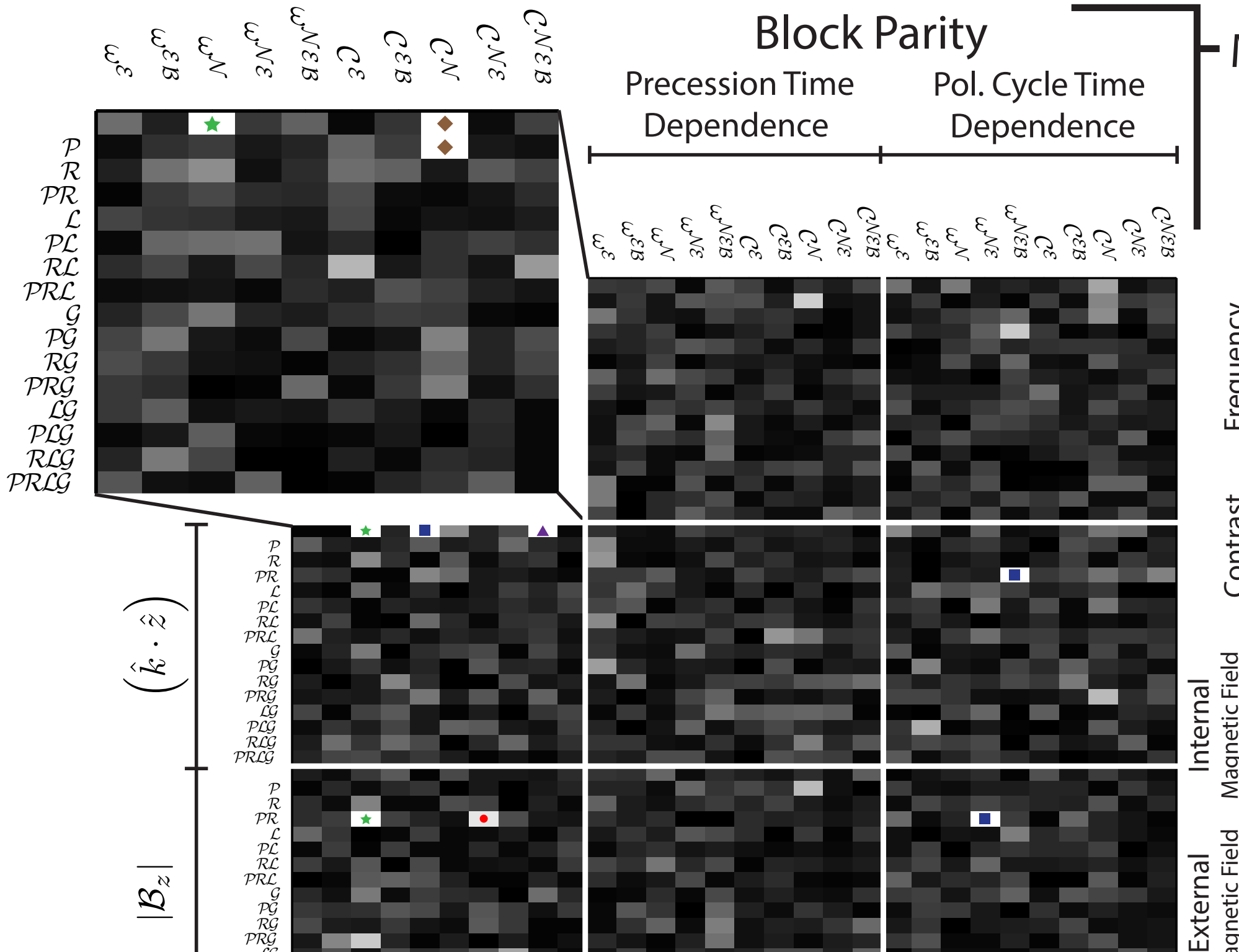
We looked at many things

EDM Measurement=  
(1 year of systematic checks)+  
(2 weeks of EDM data)

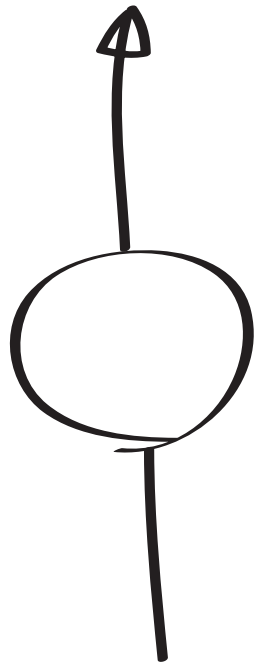




systematic checks



# Systematic Errors



vs



# Phase Dependence on $\Delta$ , $\Omega_r$ ?

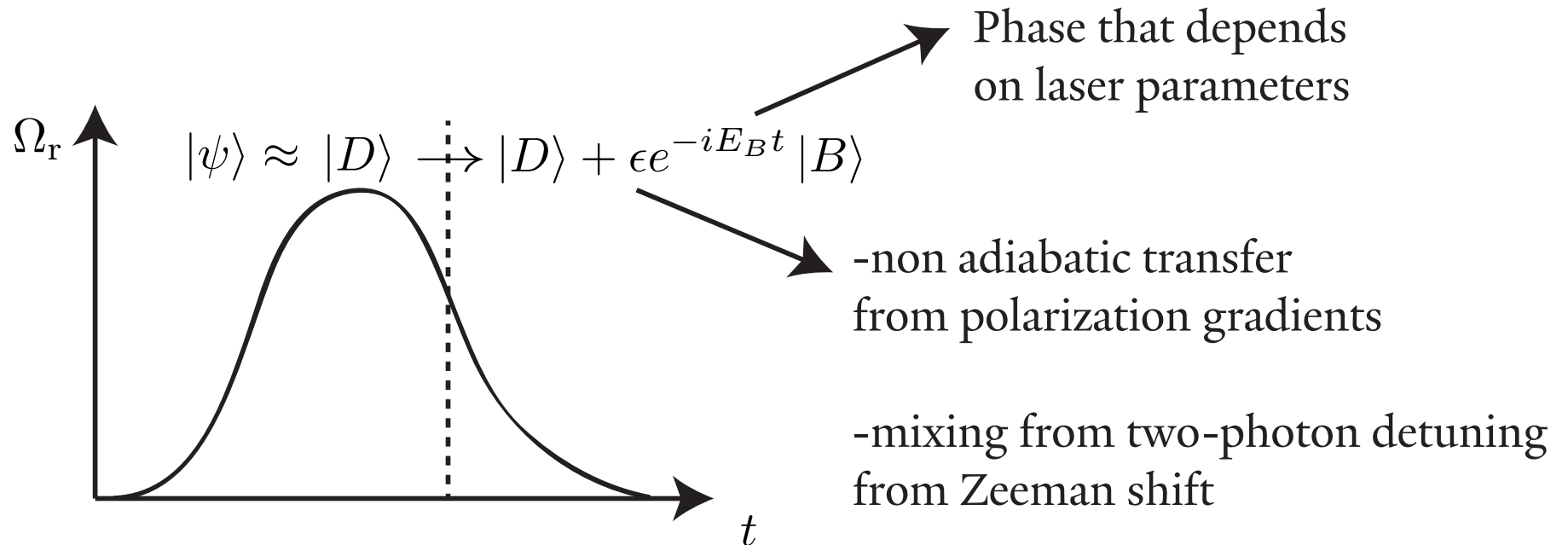
What if....  $\phi = \phi(\Delta, \Omega_r)$

The measured phase depends on the laser parameters?

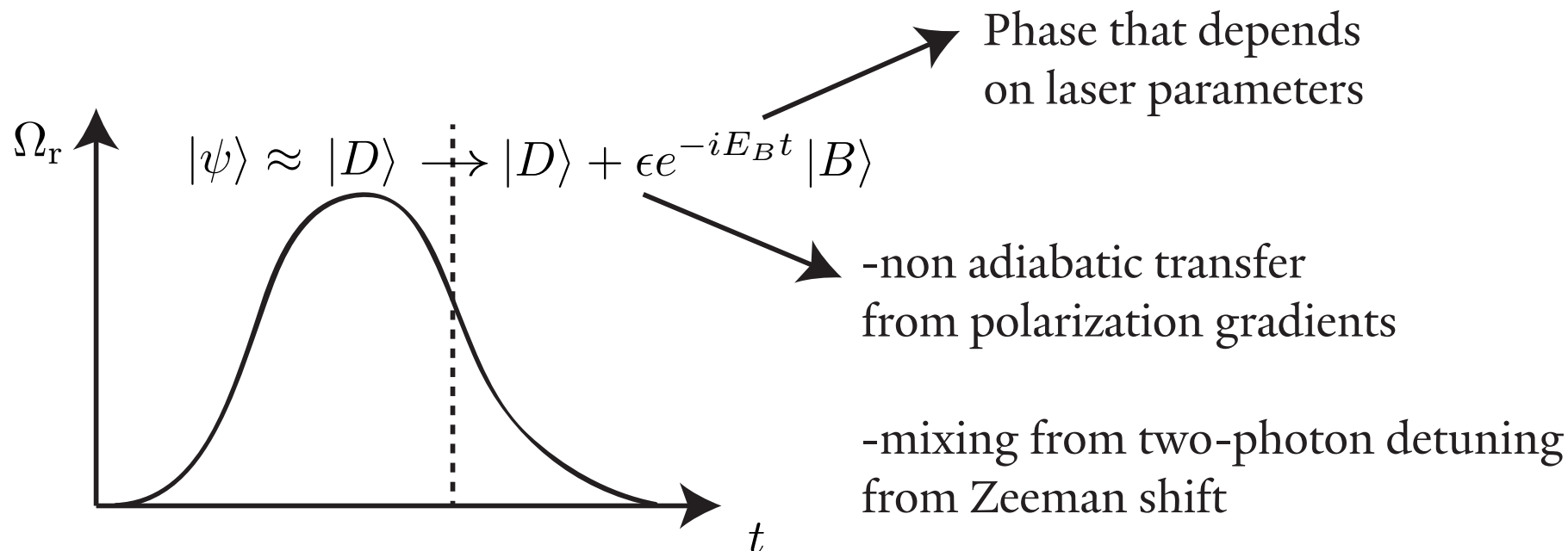
$\Delta$  : Laser Detuning  
from Resonance

$\Omega_r$  : Rabi Frequency

# Phase Dependence on $\Delta$ , $\Omega_r$ ?



# Phase Dependence on $\Delta, \Omega_r$ ?



Taylor Expansion about normal conditions:

$$\phi(\Omega_r, \Delta) \approx \underbrace{(a_1 \Delta + a_2 \Delta d\Omega_r)}_{\text{Ellipticity Gradient}} + \underbrace{(a_3 \Delta^2 + a_4 d\Omega_r)}_{\text{Linear Polarization Gradient}} + |\mathcal{B}_z| \underbrace{\tilde{\mathcal{B}} (a_5 \Delta^2 + a_6 d\Omega_r)}_{\text{Magnetic Field = 2 photon detuning}} + \dots$$

# Light Shift Systematic Errors

Then...

We could have the following systematic errors:

$$d_e^{\text{syst}} (\Delta^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Delta} \Delta^{\mathcal{N}\mathcal{E}}$$

$$d_e^{\text{syst}} (\Omega_r^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Omega_r} \Omega_r^{\mathcal{N}\mathcal{E}}$$

Requires parameters  
correlated like an EDM



# Light Shift Systematic Errors

Then...

We could have the following systematic errors:

$$d_e^{\text{syst}}(\Delta^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \left( \frac{\partial\phi}{\partial\Delta} \right) \Delta^{\mathcal{N}\mathcal{E}}$$

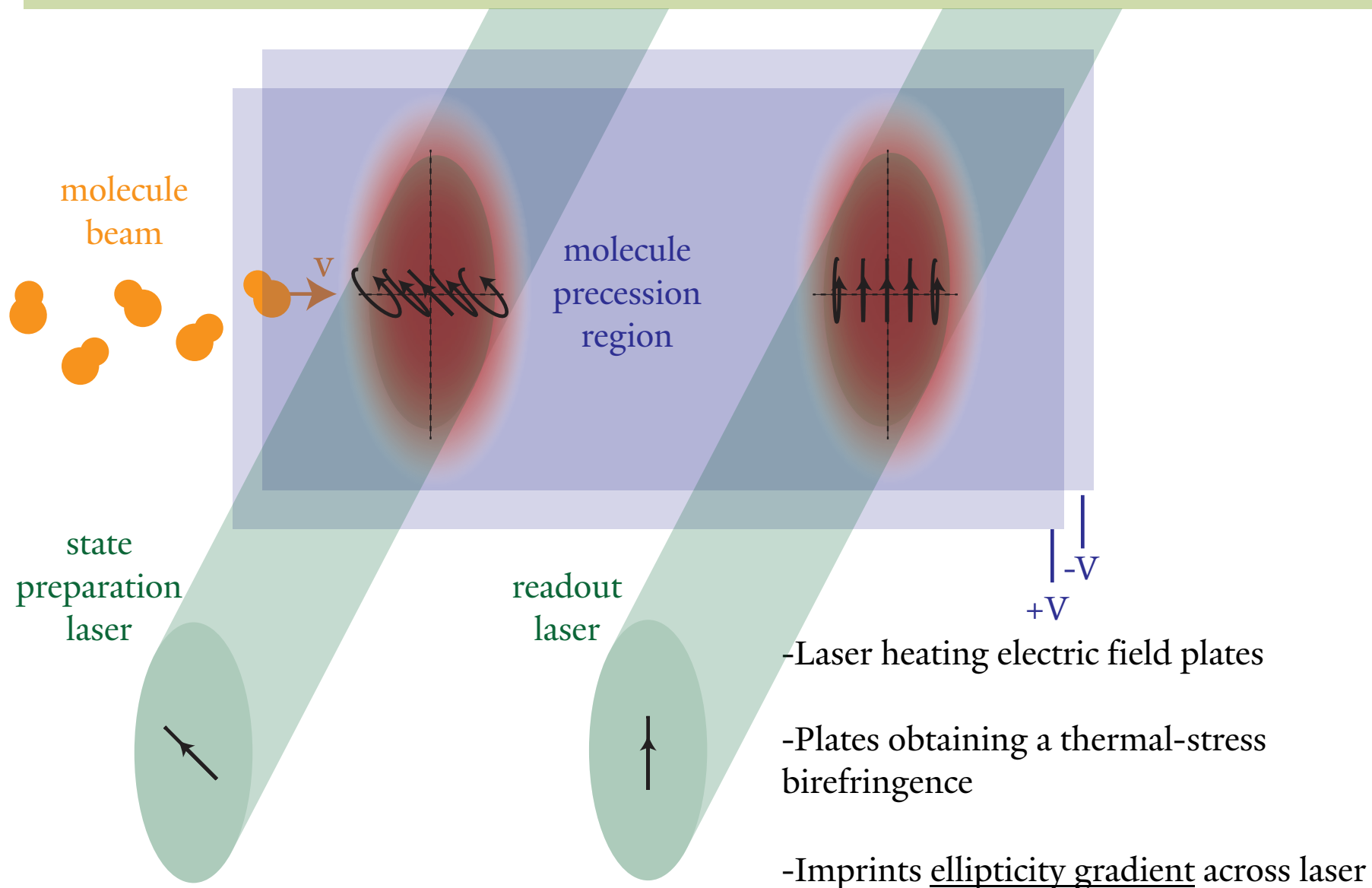
comes from ellipticity gradient  
(we have one of these)

$$d_e^{\text{syst}}(\Omega_r^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \left( \frac{\partial\phi}{\partial\Omega_r} \right) \Omega_r^{\mathcal{N}\mathcal{E}}$$

comes from a linear polarization  
gradient ( $< 1^0/\text{cm}$ )



# Light Shift Systematic Errors



# Light Shift Systematic Errors

Then...

We could have the following systematic errors:

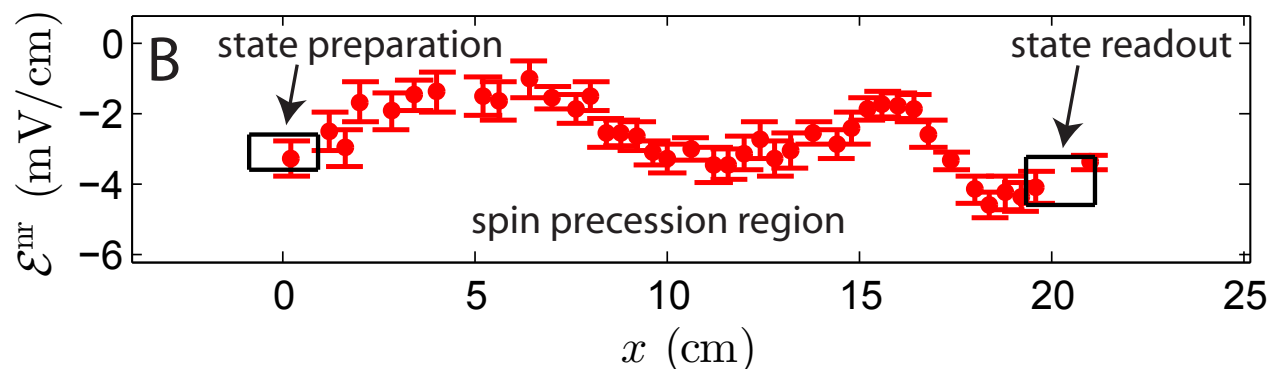
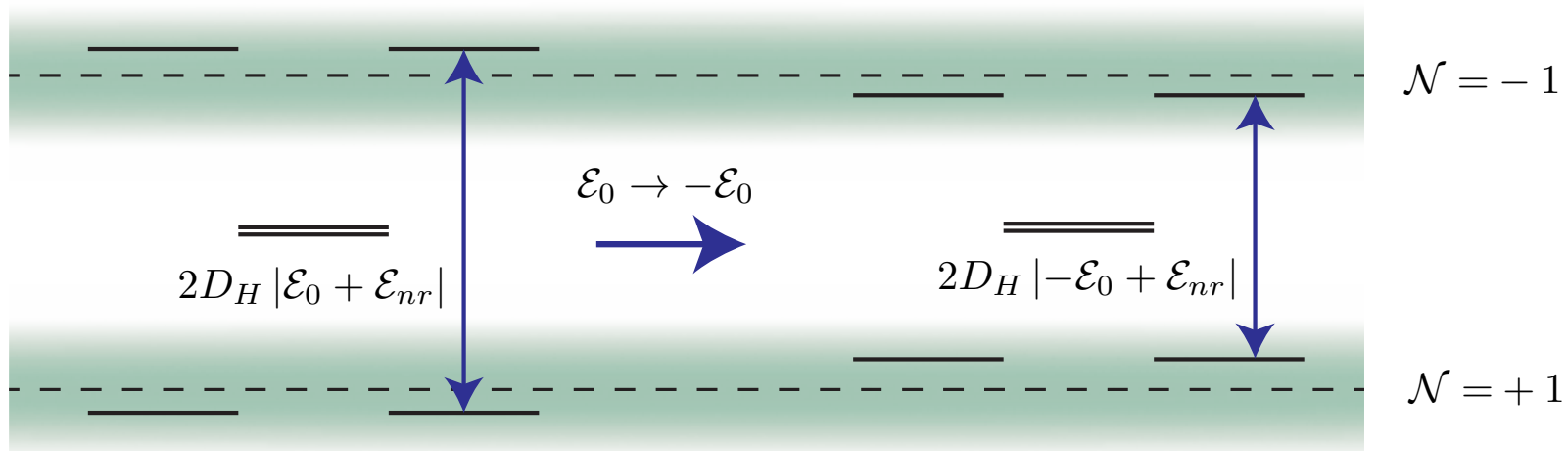
$$d_e^{\text{syst}}(\Delta^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Delta} \Delta^{\mathcal{N}\mathcal{E}}$$

comes from a non-reversing component of the applied electric field  
(we have one of these)

$$d_e^{\text{syst}}(\Omega_r^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Omega_r} \Omega_r^{\mathcal{N}\mathcal{E}}$$

# Non-Reversing Electric Fields

A Non-Reversing Electric Field Component Leads to a Detuning Correlation,  $\Delta^{\mathcal{N}\mathcal{E}} = D_H \mathcal{E}^{\text{nr}}$



We have measured and studied this detuning correlation over time and space (using 3 methods)

# Light Shift Systematic Errors

Then...

We could have the following systematic errors:

$$d_e^{\text{syst}} (\Delta^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Delta} \Delta^{\mathcal{N}\mathcal{E}}$$

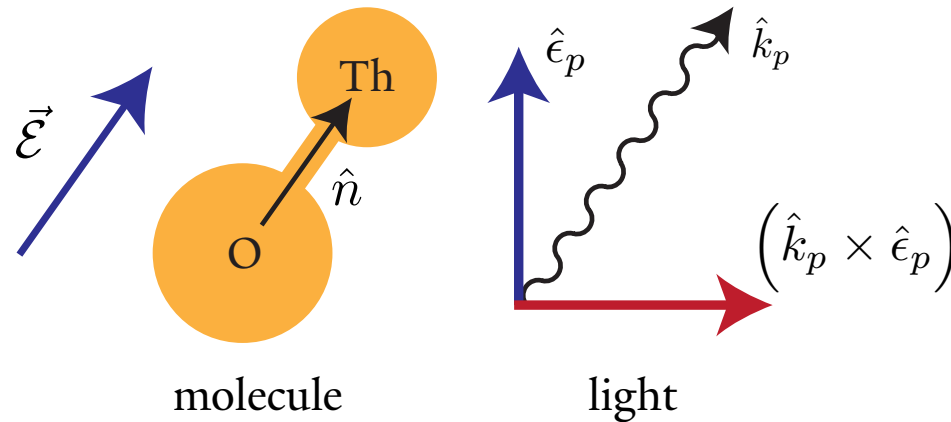
$$d_e^{\text{syst}} (\Omega_r^{\mathcal{N}\mathcal{E}}) = \frac{1}{\mathcal{E}_{\text{eff}}\tau} \frac{\partial\phi}{\partial\Omega_r} \Omega_r^{\mathcal{N}\mathcal{E}}$$

Comes from interference between the E1 and M1 amplitudes on the H to C transition

# E1/M1 Interference

Operators

$$O_{E1} = -im\omega (\hat{\epsilon}_p \cdot \vec{r}) \quad O_{M1} = -i\frac{\omega}{2c} (\hat{k}_p \times \hat{\epsilon}_p) \cdot (g_L \vec{L} + g_S \vec{S})$$



- For this geometry, the E1 and M1 operators connect the to the same superposition state. Relative sign is correlated like an EDM.

Rabi Frequency Correlation  $\frac{\Omega^{\mathcal{N}\mathcal{E}}}{\Omega^{(0)}} = \text{Im} \left( \frac{c_{M1}}{c_{E1}} \right) (\hat{k} \cdot \hat{z}) = -(8.0 \pm 0.8) \times 10^{-3} (\hat{k} \cdot \hat{z})$

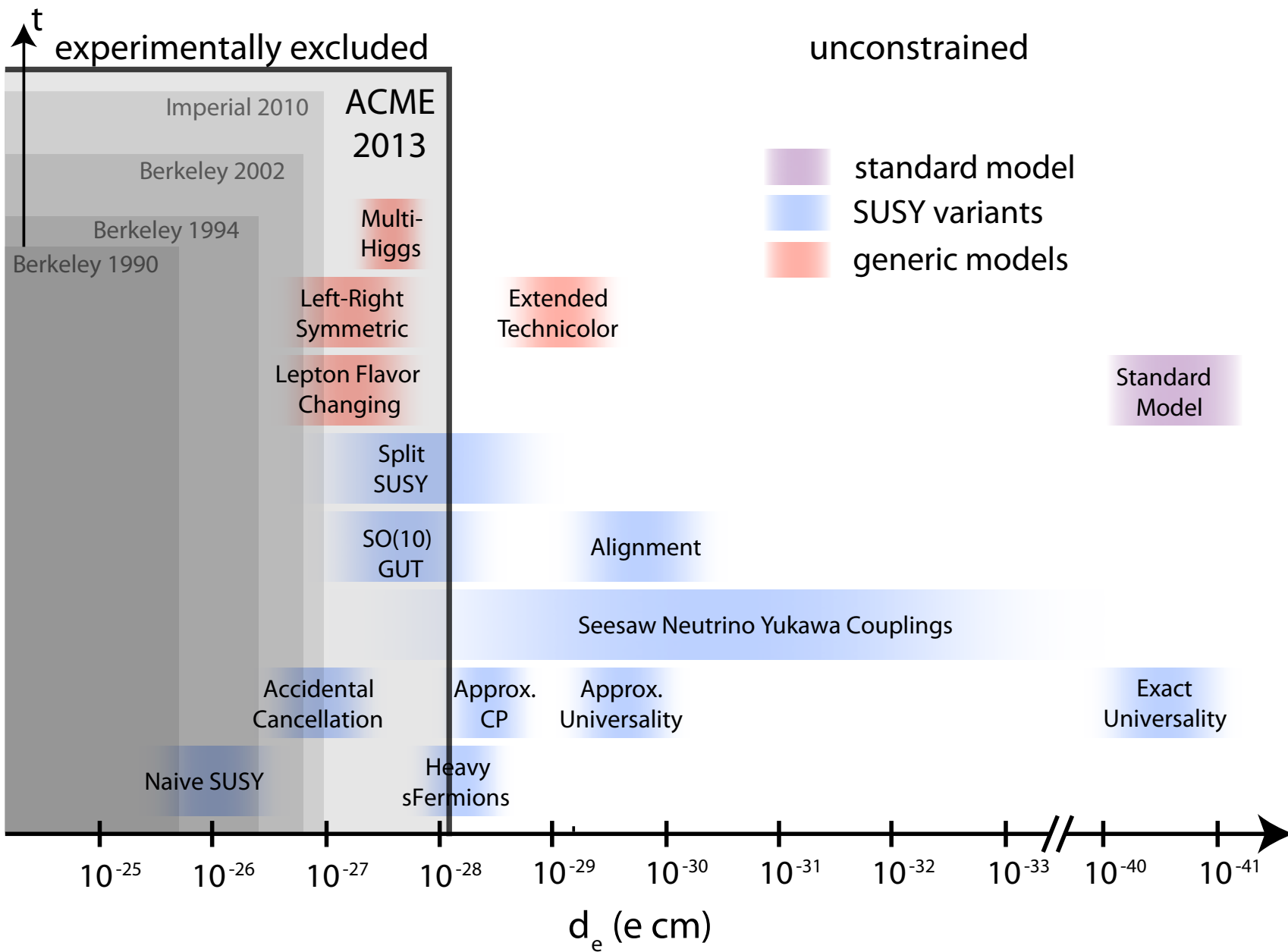
ratio of molecule frame matrix elements

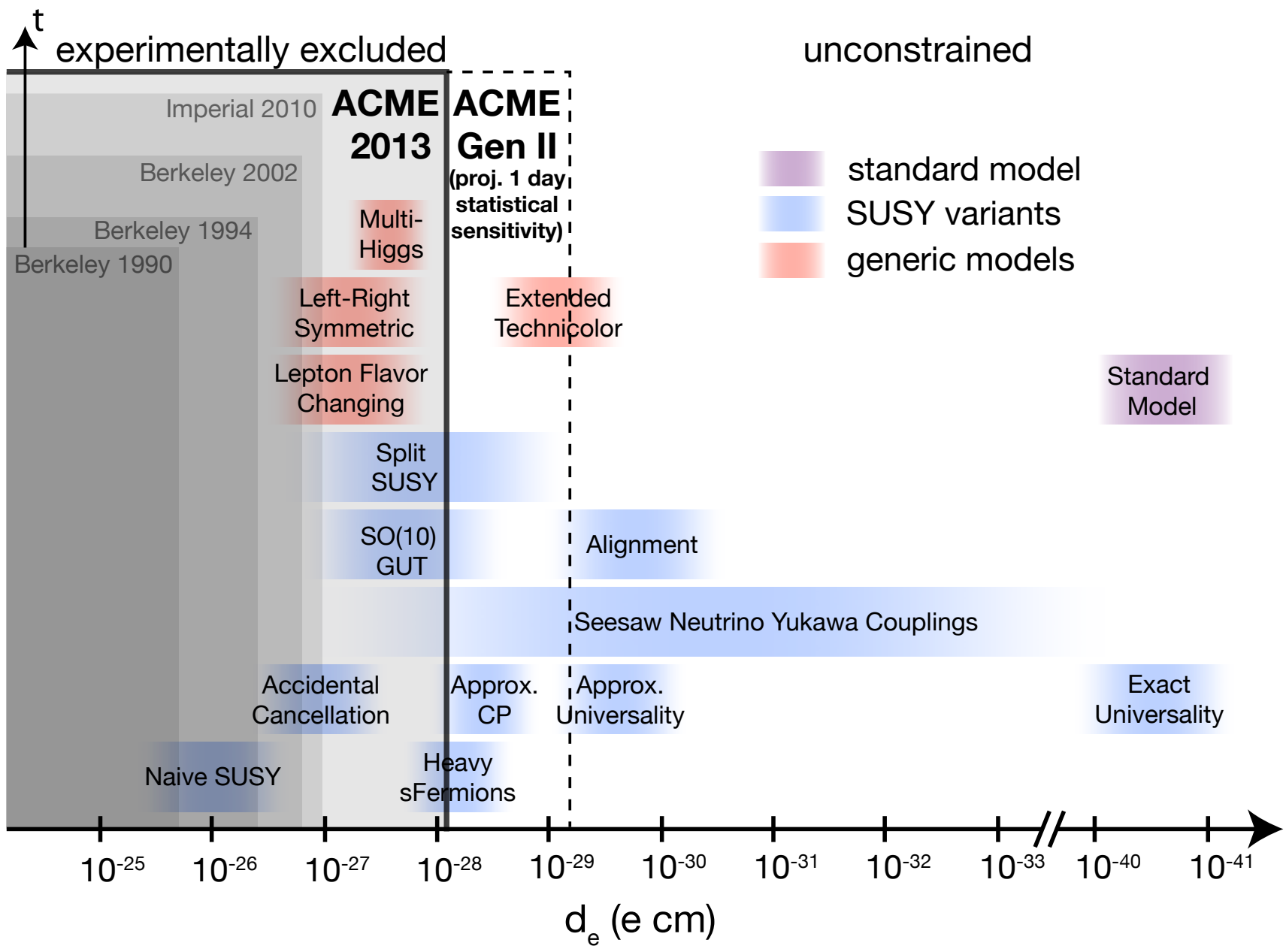
measured from from its coupling to the B-field in another channel,  $\omega^{\mathcal{N}\mathcal{E}\mathcal{B}}$

# Constructing the Systematic Error

Parameter	Shift	Uncertainty	
$\mathcal{E}^{\text{nr}}$ correction	-0.81	0.66	} <u>Nonzero Systematics Errors</u> Systematics errors that we have observed and carefully quantified
$\Omega_r^{\mathcal{N}\mathcal{E}}$ correction	-0.03	1.58	
$\phi^{\mathcal{E}}$ correlated effects	-0.01	0.01	
$\phi^{\mathcal{N}}$ correlation		1.25	} <u>Unexplained Phenomena</u> Upper limits on possible systematic errors that are correlated with unexplained phenomena in the data
Non-Reversing $\mathcal{B}$ -field ( $\mathcal{B}_z^{\text{nr}}$ )		0.86	} <u>Historic Systematics:</u> Upper limits on possible systematic errors proportional to parameters that caused systematics in experiments similar to ours in the past
Transverse $\mathcal{B}$ -fields ( $\mathcal{B}_x^{\text{nr}}, \mathcal{B}_y^{\text{nr}}$ )		0.85	
$\mathcal{B}$ -Field Gradients		1.24	
Prep./Read Laser Detunings		1.31	
$\tilde{\mathcal{N}}$ Correlated Detuning		0.90	
$\mathcal{E}$ -field Ground Offset		0.16	
Total Systematic	-0.85	3.24	
Statistical		4.80	
Total Uncertainty		5.79	

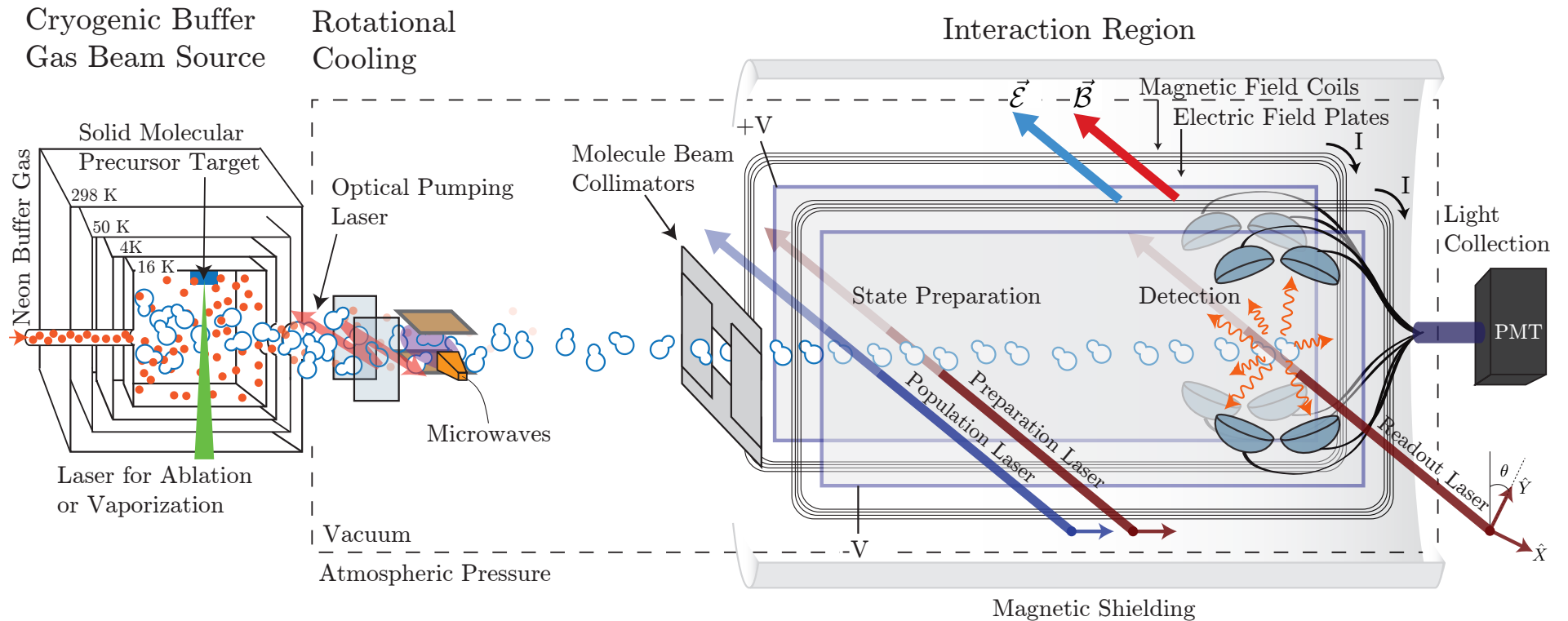
**Result:**  $d_e < 1 \times 10^{-28} e \cdot \text{cm} @ 90\% \text{ confidence}$



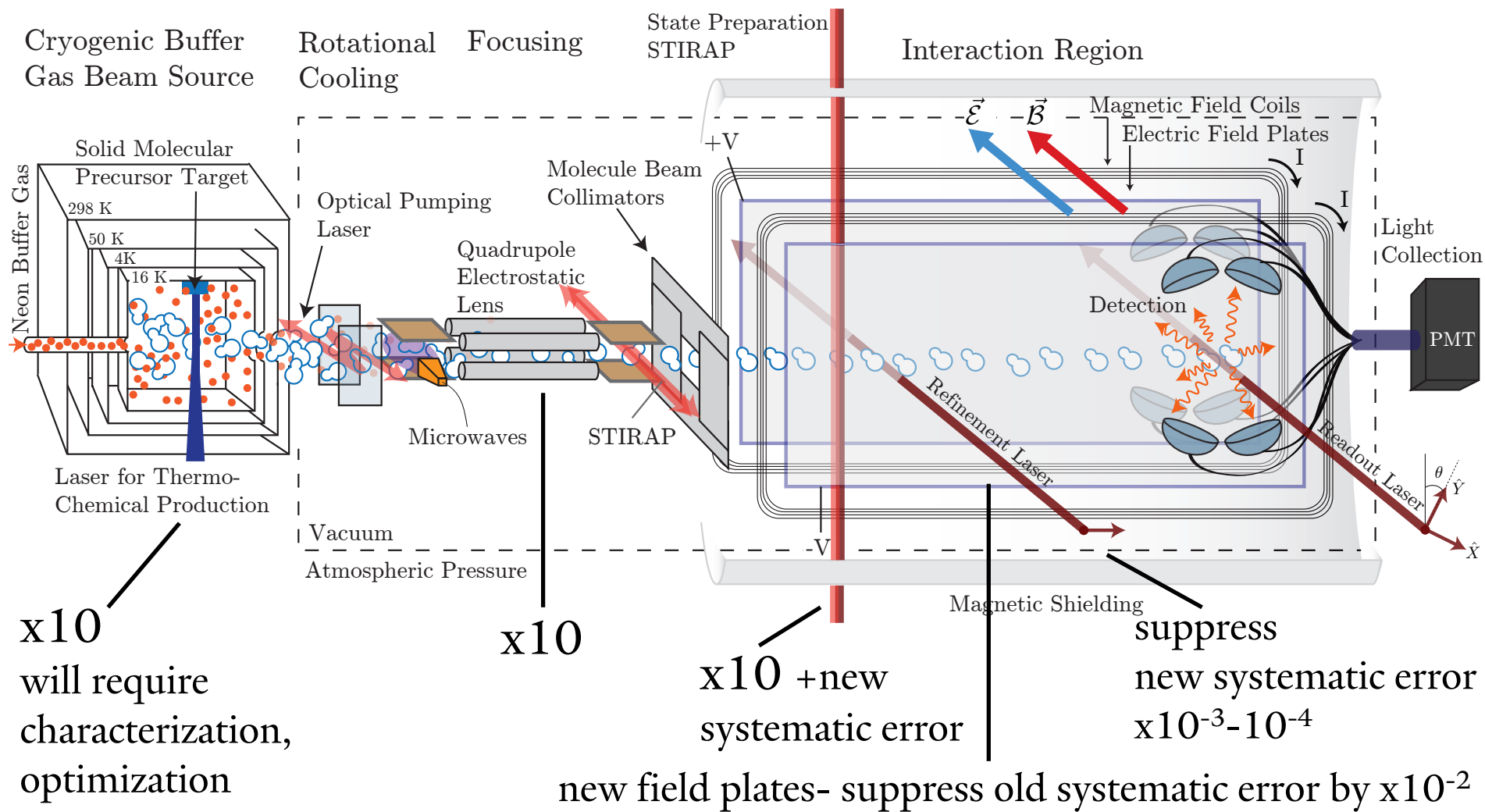




# The ACME Experiment



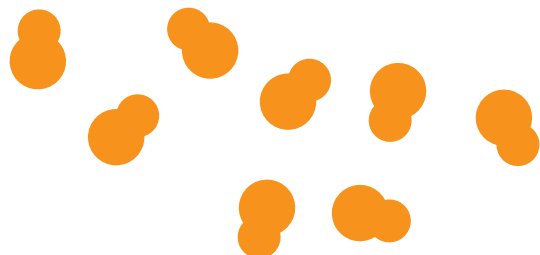
# ACME: THE NEXT GENERATION



Anticipate an order of magnitude improvement in sensitivity

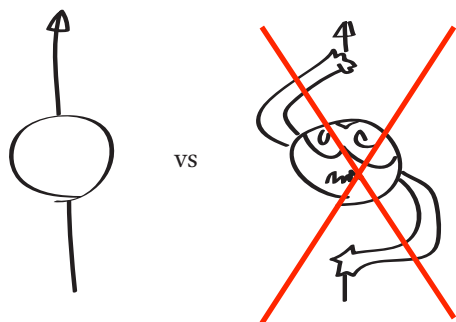
# ***ACME: THE NEXT GENERATION***

## ***MORE MOLECULES -***



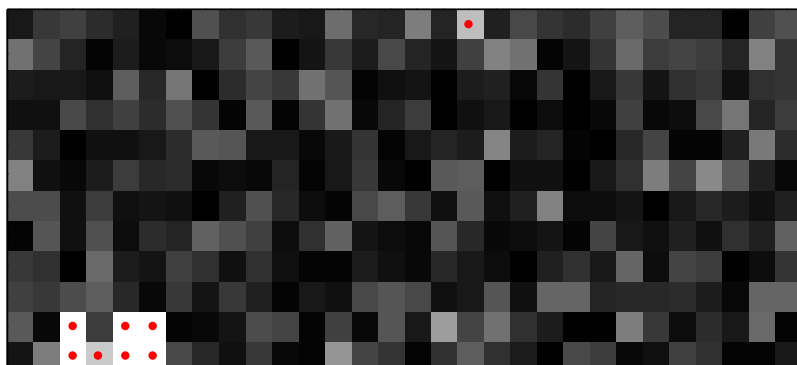
- Thermochemical Beam Source
- Electrostatic Lens
- Efficient State Preparation

## ***SMALLER SYSTEMATICS -***



- Smaller Polarization Gradients  
(Electric Field Plates with Better Thermal Properties)
- Reduction in Light Shift Phases  
(Retroreflection of lasers, spectral broadening)

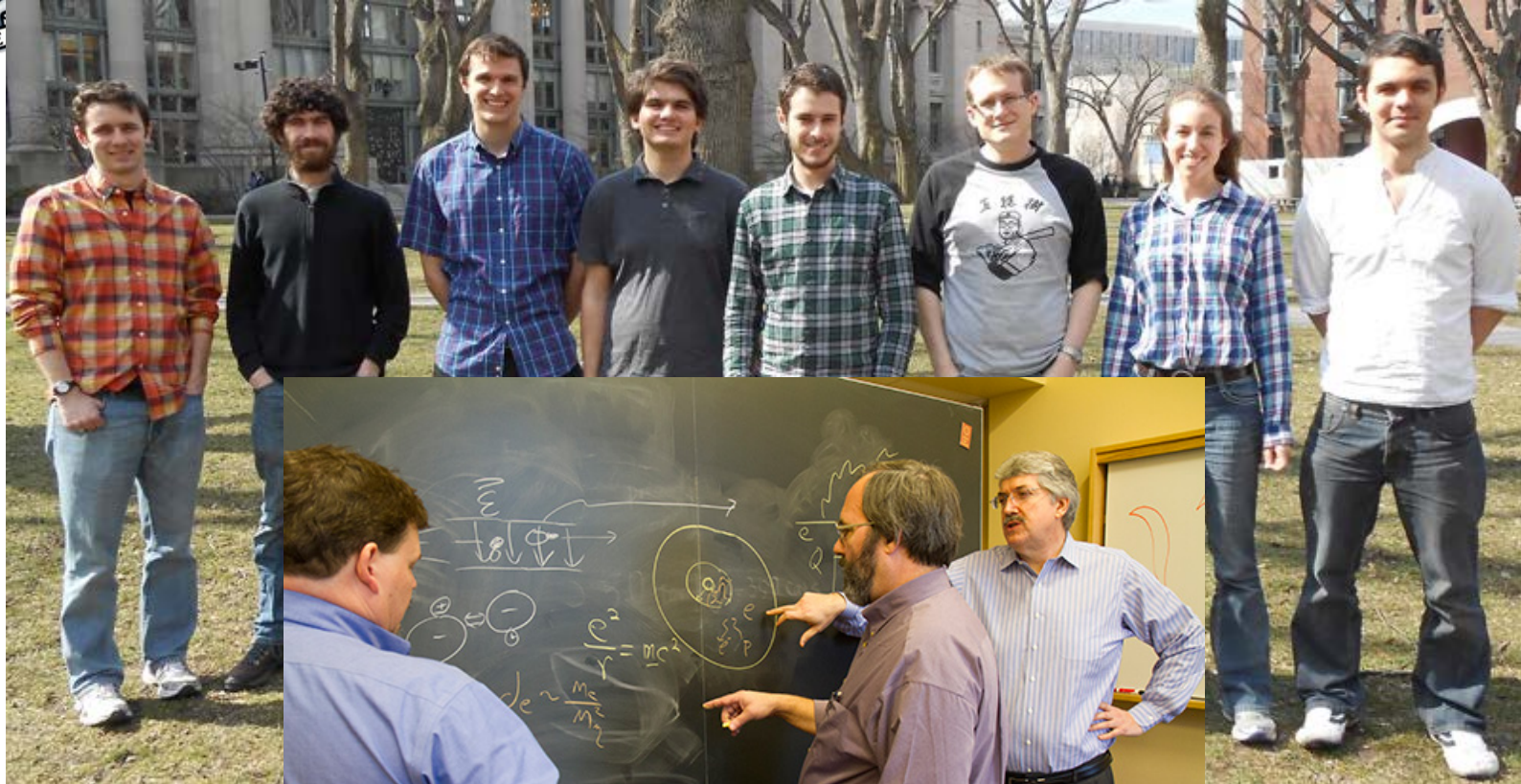
## ***MORE DATA -***



- Better Polarimetry
- Better Magnetometry
- EDM dependence on Rotational State
- Longer Integration Time?



# ACME Collaboration



Red= Harvard  
Blue= Yale  
\* = Now Elsewhere

J. Baron, W. C. Campbell\*, D. DeMille, J. M. Doyle, G. Gabrielse, Y. V. Gurevich\*, P. W. Hess, N. R. Hutzler, E. Kirilov\*, I. Kozyryev\*, B. R. O'Leary, C. D. Panda, M. F. Parsons\*, E. S. Petrik, B. Spaun, A. C. Vutha\*, A. D. West

**Extra Slides!**

# (Our Method for) Constructing the Systematic Error Budget

To what extent do we trust our result? A systematic error budget can help quantify the answer.

- What is a systematic error?

a quantification of the offset in the measurement channel caused by spurious effects...

1. that exist, that we understand and that we can quantify well.
2. that may or may not exist but we are paranoid that such a thing might exist because of:
  - a. some unexplained behavior in the data
  - b. past experience

Un-included errors can still be present.

Including more effects in the error budget increase our personal estimate of the probability that we missed a systematic error above our level of sensitivity.

# Science

17 January 2014 | \$10

HOW ROUND IS THE ELECTRON?

 AAAS

# Order of Magnitude Smaller Limit on the Electric Dipole Moment of the Electron

The ACME Collaboration,\* J. Baron,<sup>1</sup> W. C. Campbell,<sup>2</sup> D. DeMille,<sup>3†</sup> J. M. Doyle,<sup>1†</sup>  
G. Gabrielse,<sup>1†</sup> Y. V. Gurevich,<sup>1‡</sup> P. W. Hess,<sup>1</sup> N. R. Hutzler,<sup>1</sup> E. Kirilov,<sup>3§</sup> I. Kozyryev,<sup>3||</sup>  
B. R. O'Leary,<sup>3</sup> C. D. Panda,<sup>1</sup> M. F. Parsons,<sup>1</sup> E. S. Petrik,<sup>1</sup> B. Spaun,<sup>1</sup> A. C. Vutha,<sup>4</sup> A. D. West<sup>3</sup>

The Standard Model of particle physics is known to be incomplete. Extensions to the Standard Model, such as weak-scale supersymmetry, posit the existence of new particles and interactions that are asymmetric under time reversal (T) and nearly always predict a small yet potentially measurable electron electric dipole moment (EDM),  $d_e$ , in the range of  $10^{-27}$  to  $10^{-30}$   $e \cdot \text{cm}$ . The EDM is an asymmetric charge distribution along the electron spin ( $\vec{S}$ ) that is also asymmetric under T. Using the polar molecule thorium monoxide, we measured  $d_e = (-2.1 \pm 3.7_{\text{stat}} \pm 2.5_{\text{syst}}) \times 10^{-29}$   $e \cdot \text{cm}$ . This corresponds to an upper limit of  $|d_e| < 8.7 \times 10^{-29}$   $e \cdot \text{cm}$  with 90% confidence, an order of magnitude improvement in sensitivity relative to the previous best limit. Our result constrains T-violating physics at the TeV energy scale.



# AC Stark Shift Systematic Errors

Non-adiabatic polarization changes in the laser can lead to a small bright state component in the prepared state. This bright state component acquires an AC stark shift phase that depends on laser detuning and laser power.

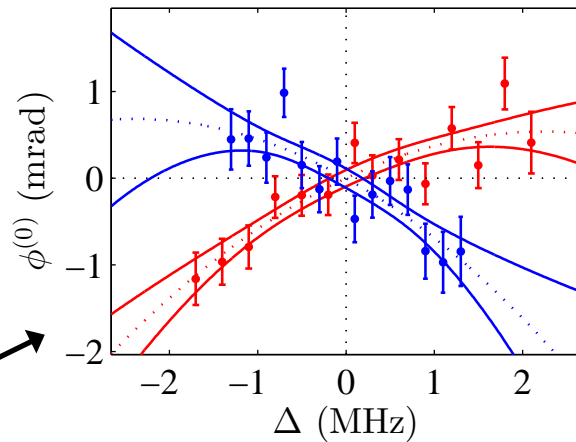
$$\alpha_{\text{prep}}^{\Delta} = (0.39 \pm 0.04)\text{mrad/MHz}, \quad \alpha_{\text{prep}}^{\Delta^2} = (-0.11 \pm 0.03)\text{mrad/MHz}^2$$

$$\alpha_{\text{read}}^{\Delta} = (-0.57 \pm 0.06)\text{mrad/MHz}, \quad \alpha_{\text{read}}^{\Delta^2} = (-0.12 \pm 0.09)\text{mrad/MHz}^2$$

$$\beta_{\text{prep}}^{\Delta^2} = (0.84 \pm 0.03)\text{mrad/MHz}^2 \mathcal{B}_{\pi/4}$$

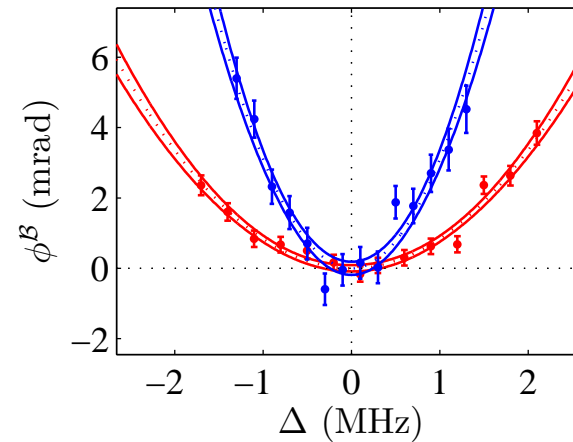
$$\beta_{\text{read}}^{\Delta^2} = (3.10 \pm 0.09)\text{mrad/MHz}^2 \mathcal{B}_{\pi/4}$$

couples residual electric field to contribute as a systematic error.



$$\alpha_{\text{prep}}^{d\Omega} = (0.93 \pm 0.21)\text{mrad}/\Omega^{(0)}$$

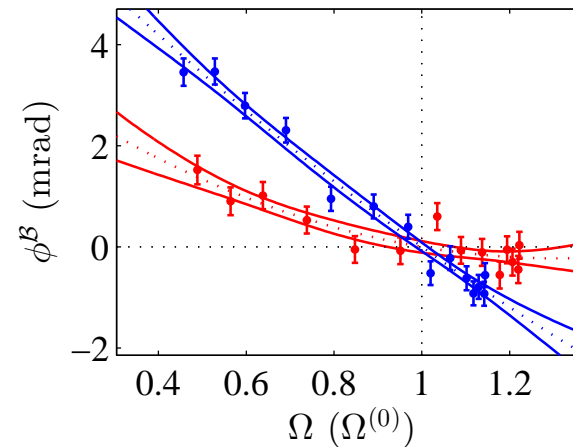
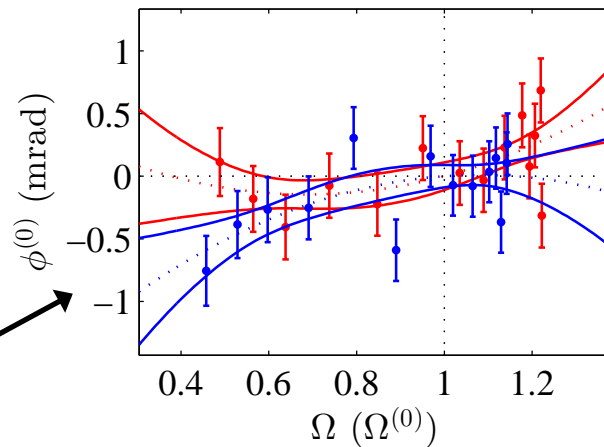
$$\alpha_{\text{read}}^{d\Omega} = (0.25 \pm 0.31)\text{mrad}/\Omega^{(0)}$$



$$\beta_{\text{prep}}^{d\Omega} = (-1.48 \pm 0.21)\text{mrad}/\Omega^{(0)} \mathcal{B}_{\pi/4}$$

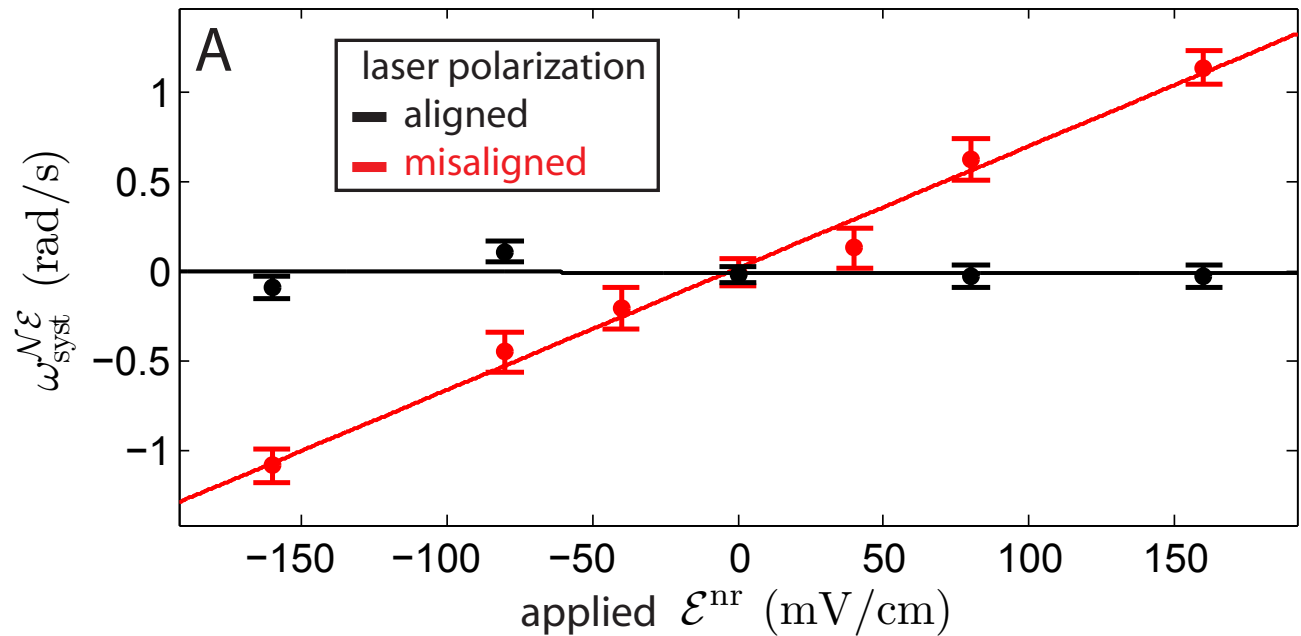
$$\beta_{\text{read}}^{d\Omega} = (-6.23 \pm 0.31)\text{mrad}/\Omega^{(0)} \mathcal{B}_{\pi/4}$$

couples to E1/M1 interference to contribute as a systematic error.

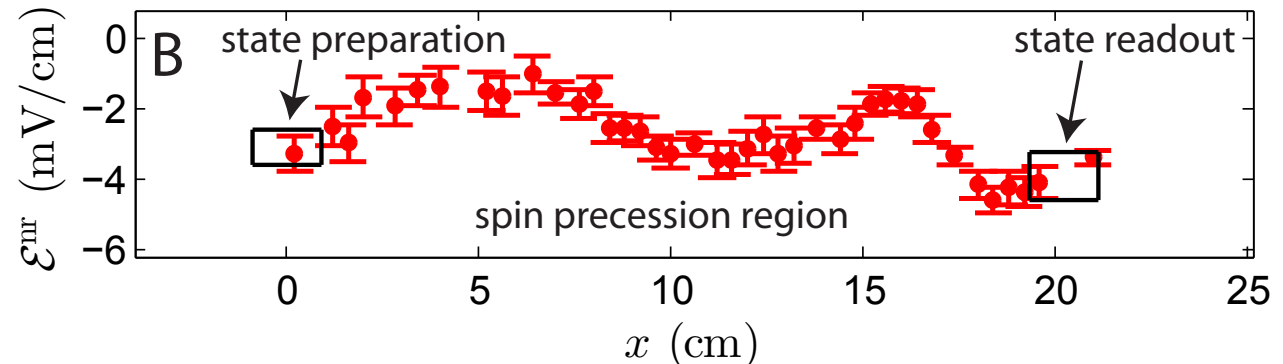


# AC Stark Shift Systematic Errors

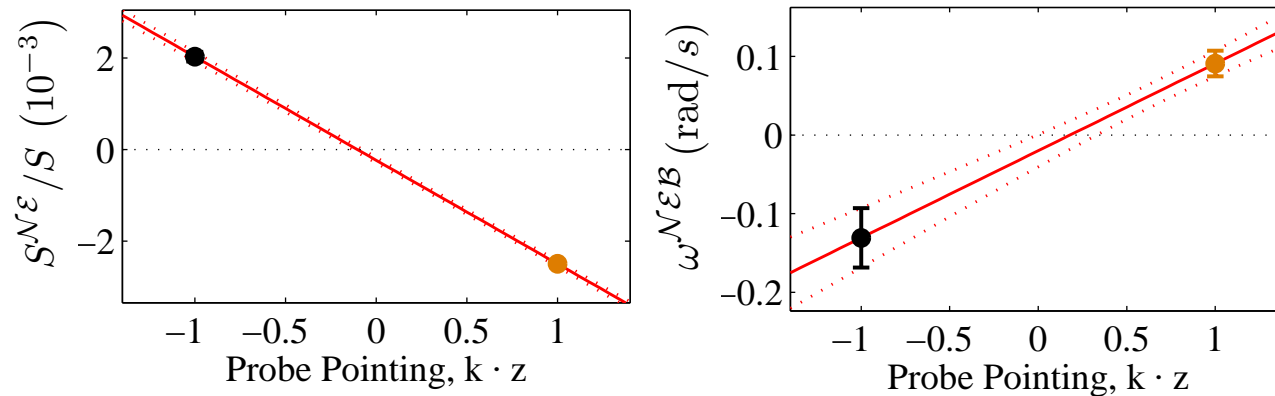
We were able to verify the model and were able to suppress the systematic error by tuning the laser polarization



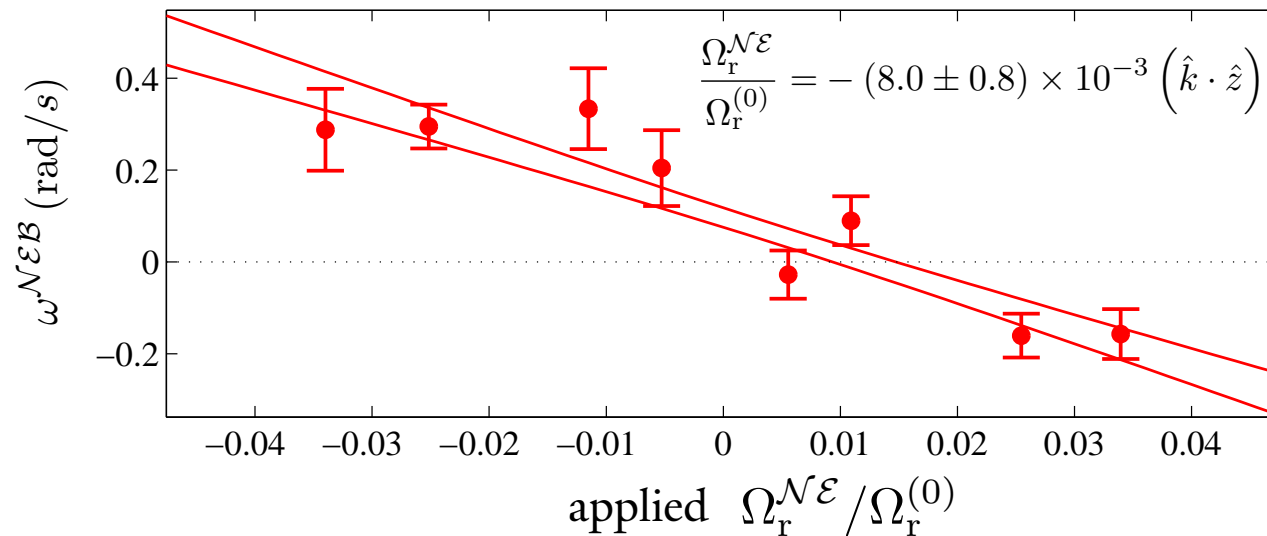
We were also able to very precisely measure the residual electric field and its spatial variation



# $\Omega_r^{\mathcal{N}\mathcal{E}}$ : Measurement

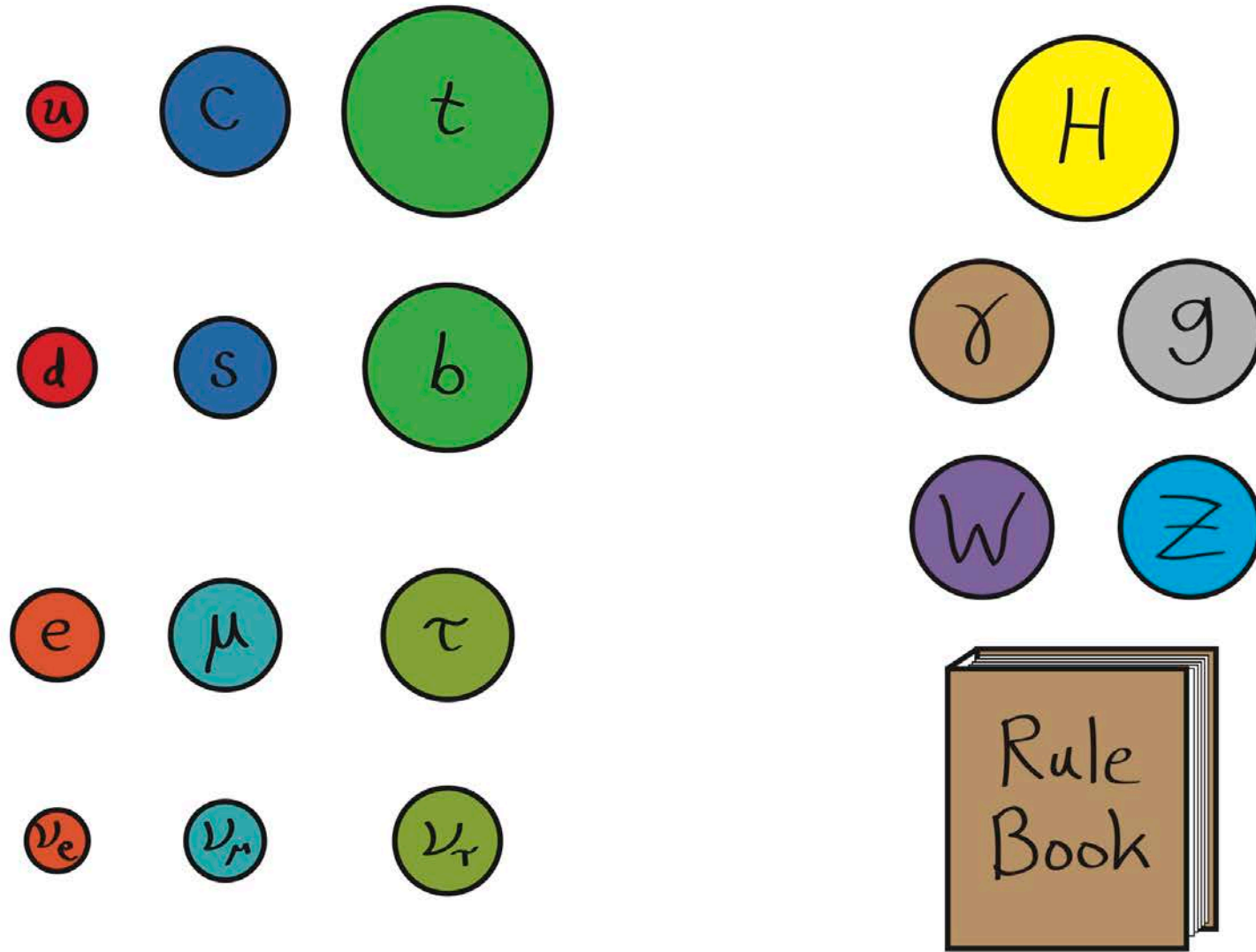


Verified that the expected measurement channels changed sign with laser pointing

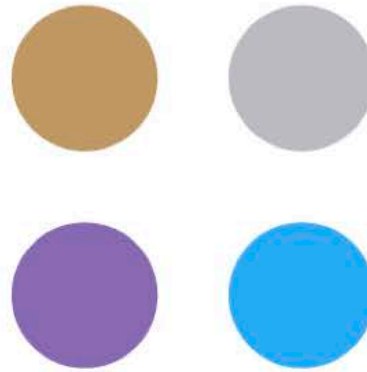
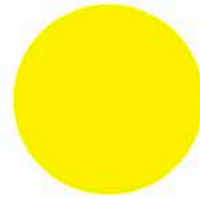
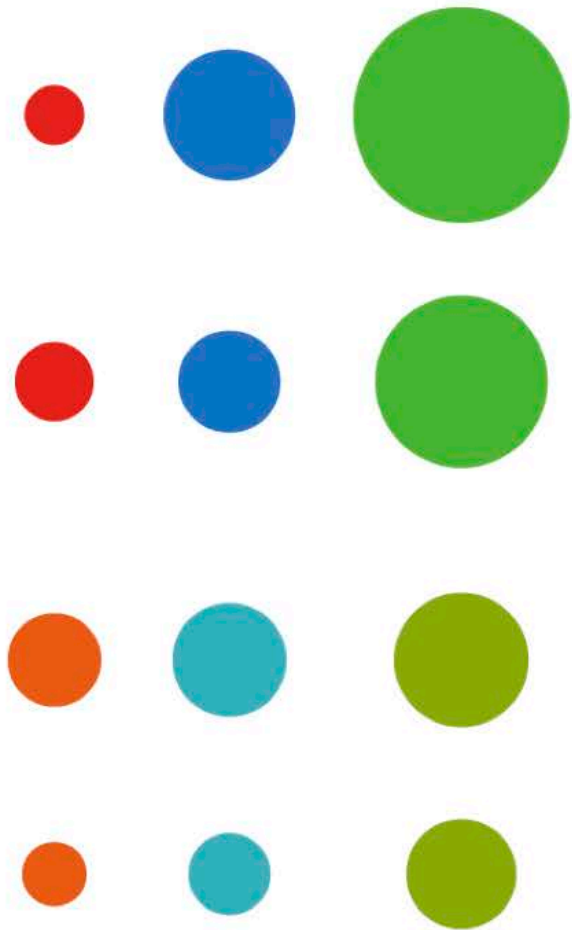


Extract  $\Omega_r^{\mathcal{N}\mathcal{E}}$  from data with an intentionally applied  $\Omega_r^{\mathcal{N}\mathcal{E}}$

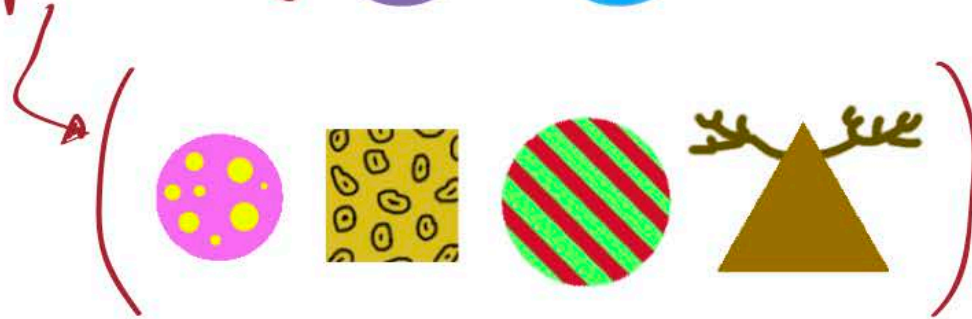
# Standard Model



# Possible Solution



exotic  
new  
particles



# Report Card

Model Name: Standard Model

Term: Spring 2014

Subject	Grade	Comments
Explaining Physical Phenomena	B	Generally does an excellent job. Has difficulty with dark matter/energy problems. Needs improvement in explaining Matter/Antimatter asymmetry.
Performing Well in Experimental Tests	A	Has answered every question correctly. Outstanding job on the prediction of the electron $g-2$ .
Getting Along with Peers	C	Does not get along well with gravity. Is generally disliked by peers.

# Report Card

Model Name: SUSY

Term: Spring 2014

Subject	Grade	Comments
Explaining Physical Phenomena	<i>A</i>	<i>Has a witty answer for everything. Invented New Particles to account for Dark Energy and Dark Matter. New particles have CP violating phases that help explain Matter/Antimatter asymmetry</i>
Performing Well in Experimental Tests	<i>C</i>	<i>Needs improvement. Answers are not explicitly wrong, but are not explicitly right either.</i>
Getting Along with Peers	<i>B</i>	<i>One of the most popular models in class. Maybe falling from popularity due to poor behavior in experimental tests.</i>